## BOARD OF INTERMDIATE EDUCATION, A.P., HYDERABAD REVISION OF SYLLABUS SUBJECT- MATHEMATICS-IIB (w.e.f. 2013-2014)

| CHAPTERS | PERIODS |
| :---: | :---: |
| $\begin{array}{l}\text { O1. COORDINATE GEOMETRY }\end{array}$ |  |
| $\begin{array}{l}\text { 1.1 Equation of circle -standard form-centre } \\ \text { and radius of a circle with a given line } \\ \text { segment as diameter \& equation of circle } \\ \text { through three non collinear points - } \\ \text { parametric equations of a circle. }\end{array}$ | 08 |
| $\begin{array}{l}\text { 1.2 Position of a point in the plane of a circle - } \\ \text { power of a point-definition of tangent-length } \\ \text { of tangent }\end{array}$ | 06 |
| 1.3 Position of a straight line in the plane of a |  |
| circle-conditions for a line to be tangent - |  |
| chord joining two points on a circle - |  |
| equation of the tangent at a point on the |  |
| circle- point of contact-equation of normal. |  |
| 1.4 Chord of contact - pole and polar-conjugate |  |
| points and conjugate lines - equation of |  |
| chord with given middle point. |  |$)$

## 03. Parabola:

3.1 Conic sections -Parabola- equation of parabola in standard form-different forms of parabola- parametric equations.
3.2 Equations of tangent and normal at a point on the parabola ( Cartesian and parametric) - conditions for straight line to be a tangent.

## 04. Ellipse:

4.1 Equation of ellipse in standard formParametric equations.
4.2 Equation of tangent and normal at a point on the ellipse (Cartesian and parametric)condition for a straight line to be a tangent.

## 05. Hyperbola:

5.1 Equation of hyperbola in standard formParametric equations.
5.2 Equations of tangent and normal at a point on the hyperbola (Cartesian and parametric)- conditions for a straight line to be a tangent- Asymptotes.

## CALCULUS

## 06. Integration :

6.1 Integration as the inverse process of differentiation- Standard forms -properties of integrals.
6.2 Method of substitution- integration of Algebraic, exponential, logarithmic, trigonometric and inverse trigonometric functions. Integration by parts.

| 6.3 Integration- Partial fractions method. | 05 |
| :---: | :---: |
| 6.4 Reduction formulae. | 05 |
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| 07. Definite Integrals: | 03 |
| 7.1 Definite Integral as the limit of sum | $03$ |
| 7.2 Interpretation of Definite Integral as an area. | 04 |
| 7.3 Fundamental theorem of Integral Calculus. | 04 |
| 7.4 Properties. <br> 7.5 Reduction formulae | 06 |
| 7.6 Application of Definite integral to areas. | 04 |
|  | 24 |
| 08. Differential equations: |  |
| 8.1 Formation of differential equation-Degree and order of an ordinary differential equation. | 02 |
| 8.2 Solving differential equation by <br> a) Variables separable method. | 03 |
| b) Homogeneous differential equation. | 03 |
| equation | 04 |
| d) Linear differential equations. | 04 |
|  | 16 |
| TOTAL | 150 |

