AP BOARD SSC CLASS 10

MATHEMATICS PAPER 1 MODEL PAPER SET 1

Time: 2 hrs.45 mins. PART – A & B Maximum Marks:40

Instructions:

- i) In the time duration of 2 hrs. 45 mins., 15 minutes of time is allotted to read and understand the question paper.
- ii) Answer the questions under PART A in a separate answer book.
- iii) Write the answers to the questions under PART B on the question paper itself and attach it to the answer book of PART A.

Time: 2 hrs. PART – A Marks: 30

Instructions:

- i) PART A comprises of three sections I, II, III.
- ii) All the questions are compulsory.
- iii) There is no overall choice. However, there is an internal choice to the questions under Section III

SECTION - I

Instructions: 4x1=4

- i) Answer ALL the questions.
 - ii) Each question carries ONE mark.
 - 1. Expand $\log \frac{343}{125}$
 - 2. Write a polynomial and create two questions of it.
 - 3. By comparing the ratios $\frac{a_1}{a_2}$, $\frac{b_1}{b_2}$, $\frac{c_1}{c_2}$, find out whether the lines represented by the pair of linear equations 14x-4y+8=0, 7x+6y-9=0 intersect at a point, are parallel or are coincident.
 - 4. Find the volume of right circular cone with radius 4 cm., and height 3.5 cm.

SECTION - II

Instructions: 5x2=10

- i) Answer ALL the questions.
- ii) Each question carries TWO marks.
- 5. Show that one and only one out of n, n+2 or n+4 is divisible by 3, where 'n' is any positive integer.
- 6. Write the following sets in other forms (Roster to Set builder form and vice versa)
 - (i) A={2, 9, 28, 65,126}
- (ii) C={x:x is a prime number less than 20}
- (iii) B={2, 6, 12, 20, 30}
- (iv) D={x:x is a letter in the word 'Examination'}

- 7. On dividing $x^3 3x^2 + x + 2$ by a polynomial g(x), the quotient and remainder were x 2 and -2x + 4, respectively. Find g(x).
- 8. Solve the given pair of equations using substitution method. x 7y = -42 and x 3y = 6
- 9. An oil drum is in the shape of a cylinder having the following dimensions; diameter is 2m. and height is 6m. The painter charges Rs.5 per sq.m. to paint the drum. Find the total charges to be paid to the painter for 10 drums.

SECTION - III

Instructions: 4x4=16

- i) Answer ALL the questions.
- ii) Each question carries FOUR marks.
- iii) There is an internal choice to the questions under this Section.
- 10 A. Prove that $\sqrt{p}+\sqrt{q}$ is irrational, where p, q are primes.

(OR)

10 B. If A={4,8,12,16,20}, B={5,10,15,20}, then show that

(i) $A \cup B = B \cup A$ (ii) $A \cap B = B \cap A$

(iii) $A - B \neq B - A$

(iv) $n(A \cup B) = n(A) + n(B) - n(A \cap B)$

11 A. Find the quadratic polynomial whose zeroes are the solution of the linear equations 2x+y-5=0 and 3x-2y-4=0

(OR)

- 11 B. A boat goes 30 km. upstream and 44 km. downstream in 10 hours. In 13 hours it can go 40 km. upstream and 55 km. downstream. Determine the speed of the stream and that of the boat in still water.
- 12 A. The diameter of a metallic sphere is 6 cm. It is melted and drawn into a wire having diameter of the cross section as 0.2 cm. Find the length of the wire.

(OR)

- 12 B. A container shaped like a right circular cylinder having diameter 12 cm. and height 15 cm. is full of ice cream. The ice cream is to be filled into cones of height 12 cm. and diameter 6 cm. having a hemispherical shape on the top. Find the number of such cones which can be filled with ice cream.
- 13 A. Draw the graph of $p(x) = x^2 4x + 5$ and find the zeroes of the polynomial.

(OR)

13 B. In a garden there are some bees and flowers. If one bee sits on each flower then one bee will be left. If two bees sit on each flower, one flower will be left. Find the number of bees and number of flowers by using graph.

| Time: 30 Minutes | | PART - B | | Mark | s: 10 |
|--|---|------------------------------------|-----------------------------|-----------|--------|
| INSTRUCTIONS: | | | | 20 x ½ | |
| i) Answer AL | L the questions. | | | | |
| ii) Each ques | stion carries ½ Mark. | | | | |
| iii) Answers | are to be written in q | uestion paper only | '. | | |
| iv) Marks wi | ll not be awarded in a | any case of over wr | iting and rewriting o | or erase | d |
| answers. | | | | | |
| • | CAPITAL LETTER (A, E in the brackets pro | | | the foll | owing |
| | C | ECTION – IV | | | |
| 14 The LCM of two | | | ag cannot ha thair U | CE3[| 1 |
| 1. 600 | numbers is 1200. W 2. 500 | 3. 400 | 4. 200 | CF![| J |
| | | | | .1 | 1 |
| | oansion of the rationa | in number $\frac{1250}{1250}$ Will | i terminate after | _ aecin | naı |
| places | | | | [|] |
| 1.1 | 2. 2 | 3.3 | 4. 4 | N. | _ |
| | number, then 9^{2n} — | | | L | J |
| 1.5 | 2. 13 | 3. Both 5 & 13 | 4. None of th | | |
| 17. The sum of the | exponents of the prir | ne factors in the pr | ime factorization of | 196, is | |
| | | | D-0. | 1 |] |
| 1.1 | 2. 2 | 3. 4 | 4. 6 | | , |
| 18.If A = $\{x/x \in \mathbb{N}, 1 < 1 < 1 < 1 < 1 < 1 < 1 < 1 < 1 < 1 $ | | 2.0 | 4.40 | L | J |
| 1. 3 | 2.4 $a_1^2 + 2a_2 + b_1 = a_2 + a_1^2$ | 3. 8 | 4. 10 | ما ما | |
| 19. A=Set of Zeroes | of x^2+3x+k , B= set of | zeroes of x +9x – 1 | U and $A - B = \{2\}$ the | :n k= | |
| 1. 1 | 2. 2 | 3. 3 | 4. 4 | L | J |
| | ctors 12. Which of the | | | Г | 1 |
| 1. 1 | 2. 4 | 3. 5 | 4. 12 | L | J |
| | llowing is not the card | | | Г | 1 |
| 1. 2 | 2. 64 | 3. 1024 | 4. 44 | L | J |
| | zeroes of the polyno | | | alue of | 'k' is |
| | | | | [|] |
| 1. 2 | 2. 4 | 3. – 2 | 4 4 | • | • |
| | f zeroes of the polyno | omial $p(x)=ax^3-6x^2+$ | 11x-6 is 4 then a is | ſ |] |
| 1. $\frac{3}{2}$ | 2. $\frac{-3}{2}$ | $3.\frac{2}{3}$ | 4. $\frac{-2}{3}$ | _ | _ |
| _ | f two zeroes of the po | | 3 | its third | 70r0 |
| | i two zeroes or the po | Diyiloililai p(x)=2x = | -4x+3 is 3, tileli i | rs tilliu | 1 |
| is 3 | 3 -3 | 2 9 | 4 -9 | L | J |
| 1. $\frac{3}{2}$ | $2.\frac{-3}{2}$ | 3. $\frac{9}{2}$ | 4. $\frac{-9}{2}$ | | |
| | subtracted to the po | lynomial x ² – 16x + | 30, so that 15 is the | zero of | f the |
| resulting polynomia | | 0.4- | | L |] |
| 1. 30 | 2. 14 | 3. 15 | 4. 16 | | |
| | for which the system | of equations kx – y | y = 2, 6x – 2y = 3 has | a uniqu | ie . |
| solution, is | | | | L | j |

3. ≠ 0

4. = 0

1. =3

2. ≠ 3

| 27. The value of 'k' fo | or which the system of | equations $x+2y-3=0$ | 0 and 5x + ky + 3 | 7 = 0 ha | ıs no |
|-------------------------|------------------------------|--------------------------------|------------------------------|----------|-------|
| solution, is | | | | [|] |
| 1. 10 | 2. 6 | 3. 3 | 4. 1 | | |
| 28. The sum of the a | ges of father and his so | on in years is 65 and tv | vice the differer | nce of t | heir |
| ages is 50. Then age | of the father in years | | | [|] |
| 1. 45 | 2. 40 | 3. 50 | 4. 55 | | |
| 29. The solution to 2 | | [|] | | |
| 1. (0,2) | 2. (1,1) | 3. (1,2) | 4. (4,0) | | |
| 30. The diagonals of a | a rhombus are 10 cm. a | and 24 cm., then the a | rea is cm² | [|] |
| 1. 200 | 2. 120 | 3. 240 | 4. 20 | | |
| 31. If the volume and | d L.S.A. of a cylinder ar | e 154 cm 2 and 88 cm 2 , | then the radius | of the | base |
| is cm. | | | | [|] |
| 1. 1.75 | 2. 3.75 | 3. 3.5 | 4. 7 | | |
| 32. The radius of a sp | cm ² | [|] | | |
| 1. 2644 | 2. 2466 | 3. 4624 | 4. 2464 | | |
| 33. The surface area | of a sphere and a cube | e are equal. Then the | ratio of their vo | lumes i | S |
| | | | | [|] |
| $1.\sqrt{11}:\sqrt{21}$ | 2. $\sqrt{31}$: $\sqrt{21}$ | 3. $\sqrt{21}$: $\sqrt{11}$ | 4. $\sqrt{21}$: $\sqrt{31}$ | | |

Part – B : Answers

| 14 | 15 | 16 | 17 | 18 | 19 | 20 | 21 | 22 | 23 |
|----|----|----|----|----|----|----|----|----|----|
| 2 | 4 | 1 | 3 | 3 | 2 | 3 | 4 | 2 | 1 |
| 24 | 25 | 26 | 27 | 28 | 29 | 30 | 31 | 32 | 33 |
| 2 | 3 | 2 | 1 | 1 | 1 | 2 | 3 | 4 | 3 |