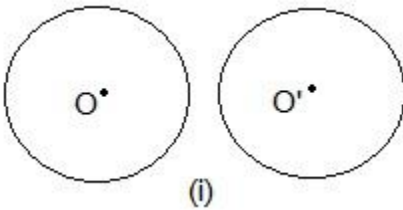


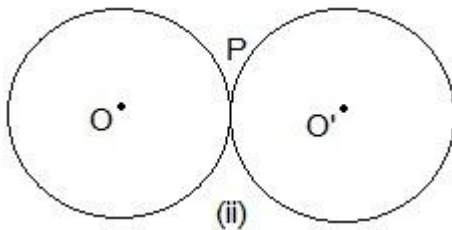
**Exercise: 10.3****(Page No: 176)**

1. Draw different pairs of circles. How many points does each pair have in common? What is the maximum number of common points?

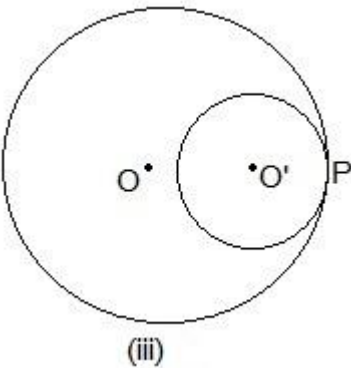
**Solution:**



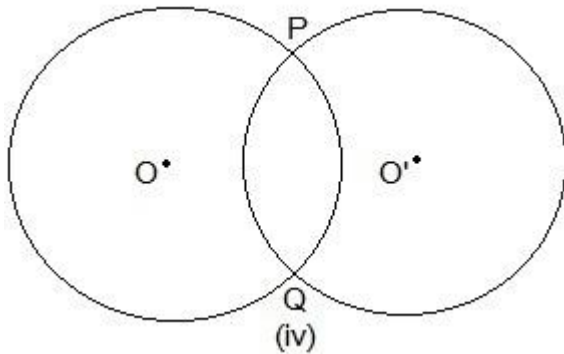
In these two circles, no point is common.



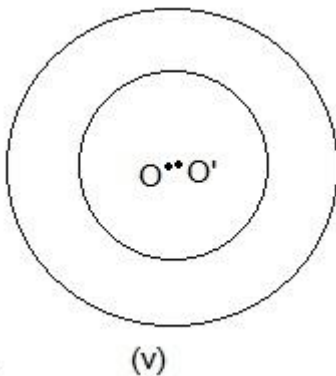
Here, only one point "P" is common.



Even here, P is the common point.



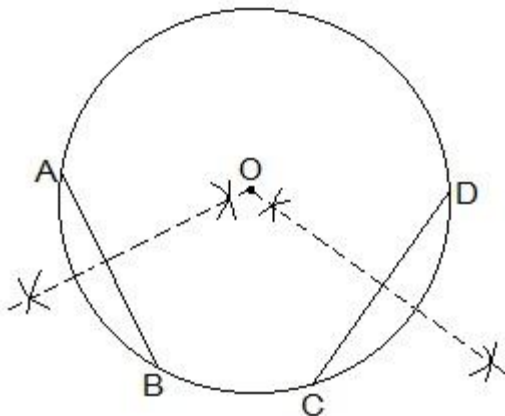
Here, two points are common which are  $P$  and  $Q$ .



No point is common in the above circle.

**2. Suppose you are given a circle. Give a construction to find its centre.**

**Solution:**



The construction steps to find the center of the circle are:

**Step I:** Draw a circle first.

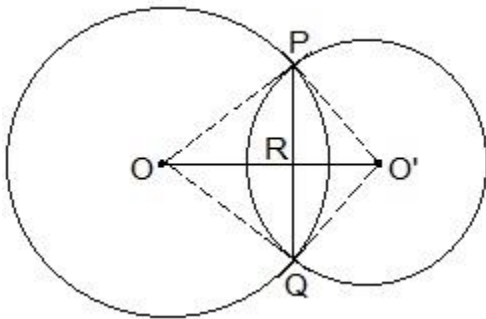
**Step II:** Draw 2 chords  $AB$  and  $CD$  in the circle.

**Step III:** Draw the perpendicular bisectors of  $AB$  and  $CD$ .

**Step IV:** Connect the two perpendicular bisectors at a point. This intersection point of the two perpendicular bisectors is the centre of the circle.

**3. If two circles intersect at two points, prove that their centres lie on the perpendicular bisector of the common chord.**

**Solution:**



It is given that two circles intersect each other at P and Q.

**To prove:**

OO' is perpendicular bisector of PQ.

**Proof:**

Triangle  $\Delta POO'$  and  $\Delta QOO'$  are similar by SSS congruency since

$OP = OQ$  and  $O'P = O'Q$  (Since they are also the radii)

$OO' = OO'$  (It is the common side)

So, It can be said that  $\Delta POO' \cong \Delta QOO'$

$\therefore \angle POO' = \angle QOO'$  --- (i)

Even triangles  $\Delta POR$  and  $\Delta QOR$  are similar by SAS congruency as

$OP = OQ$  (Radii)

$\angle POR = \angle QOR$  (As  $\angle POO' = \angle QOO'$ )

$OR = OR$  (Common arm)

So,  $\Delta POR \cong \Delta QOR$

$\therefore \angle PRO = \angle QRO$

Also, we know that

$\angle PRO + \angle QRO = 180^\circ$

Hence,  $\angle PRO = \angle QRO = 180^\circ / 2 = 90^\circ$

So, OO' is the perpendicular bisector of PQ.