

Exercise 4.1

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1. Construct the following quadrilaterals.

(i) Quadrilateral ABCD

AB = 4.5 cm

BC = 5.5 cm

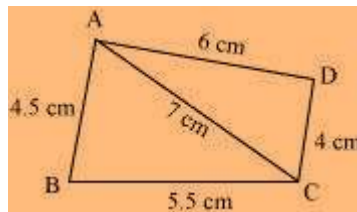
CD = 4 cm

AD = 6 cm

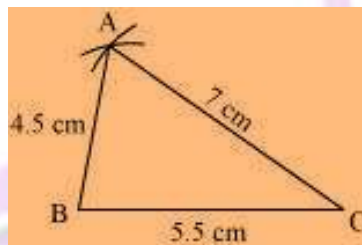
AC = 7 cm

Solution:

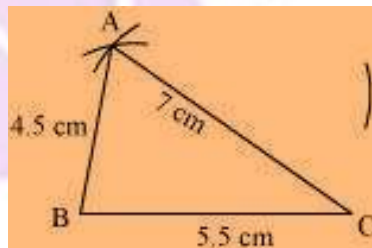
The rough sketch of the quadrilateral ABCD can be drawn as follows.



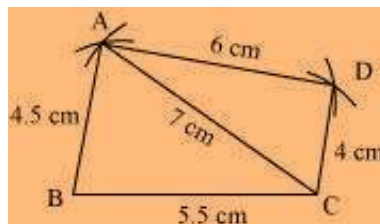
(1) $\triangle ABC$ can be constructed by using the given measurements as follows.



(2) Vertex D is 6 cm away from vertex A. Therefore, while taking A as centre, draw an arc of radius 6 cm.



(3) Taking C as centre, draw an arc of radius 4 cm, cutting the previous arc at point D. Join D to A and C.



ABCD is the required quadrilateral.

(ii) Quadrilateral JUMP

$$JU = 3.5 \text{ cm}$$

$$UM = 4 \text{ cm}$$

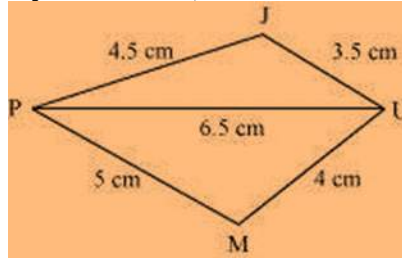
$$MP = 5 \text{ cm}$$

$$PJ = 4.5 \text{ cm}$$

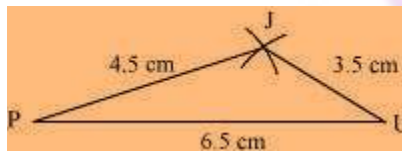
$$PU = 6.5 \text{ cm}$$

Solution:

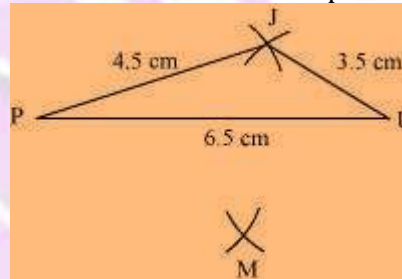
The rough sketch of the quadrilateral JUMP can be drawn as follows.



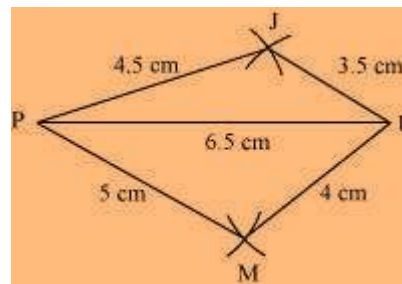
(1) ΔJUP can be constructed by using the given measurements as follows.



(2) Vertex M is 5 cm away from vertex P and 4 cm away from vertex U. Taking P and U as centres, draw arcs of radii 5 cm and 4 cm respectively. Let the point of intersection be M.



(3) Join M to P and U.



JUMP is the required quadrilateral.

(iii) Parallelogram MORE

$$OR = 6 \text{ cm}$$

$$RE = 4.5 \text{ cm}$$

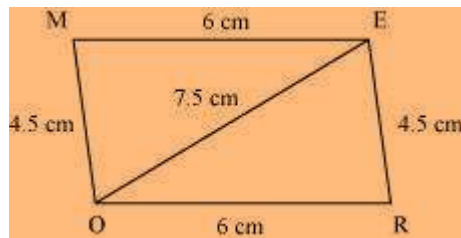
$$EO = 7.5 \text{ cm}$$

Solution:

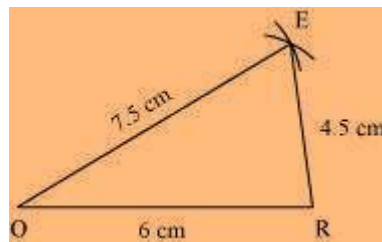
We know that opposite sides of a parallelogram are equal in length and also these are parallel to each other.

i.e., $ME = OR$, $MO = ER$

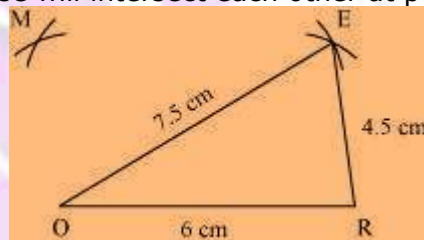
The rough sketch of the parallelogram MORE can be drawn as follows.



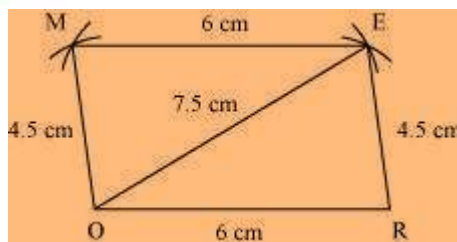
(1) $\triangle EOR$ can be constructed by using the given measurements as follows.



(2) Vertex M is 4.5 cm away from vertex O and 6 cm away from vertex E. Therefore, while taking O and E as centres, draw arcs of 4.5 cm radius and 6 cm radius respectively. These will intersect each other at point M.



(3) Join M to O and E.



MORE is the required parallelogram.

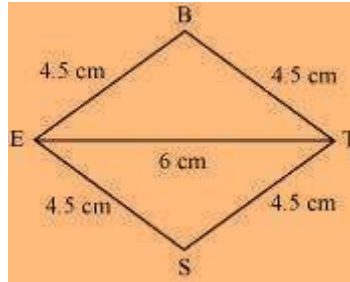
(iv) Rhombus BEST

$$BE = 4.5 \text{ cm}$$

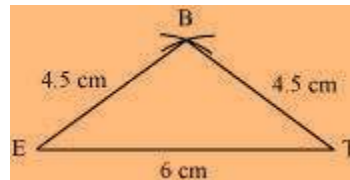
$$ET = 6 \text{ cm}$$

Solution:

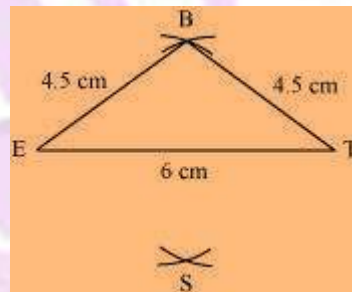
We know that all sides of a rhombus are of the same measure. Hence, $BE = ES = ST = TB$
The rough sketch of the rhombus BEST can be drawn as follows.



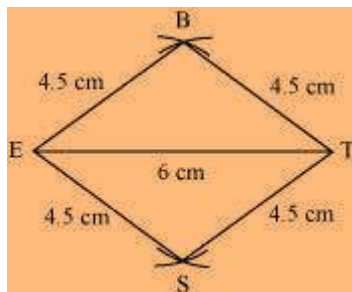
(1) ΔBET can be constructed by using the given measurements as follows.



(2) Vertex S is 4.5 cm away from vertex E and also from vertex T. Therefore, while taking E and T as centres, draw arcs of 4.5 cm radius, which will be intersecting each other at point S.



(3) Join S to E and T.



BEST is the required rhombus.