

EXERCISE 3.7

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Find the square root of the following numbers in decimal form:

1.84.8241

Solution:

By using long division method

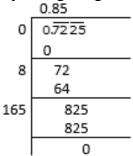
_	\mathcal{C}
	9.21
9	84.8241
	81
182	382
	364
1841	1841
	1841
	0

: the square root of 84.8241 $\sqrt{84.8241} = 9.21$

2. 0.7225

Solution:

By using long division method



: the square root of 0.7225 $\sqrt{0.7225} = 0.85$

3. 0.813604

Solution:



0.902	
0	0.813604
	0
9	81
	81
180	36
	0
1802	3604
	3604
	0

: the square root of 0.813604 $\sqrt{0.813604} = 0.902$

4. 0.00002025

Solution:

By using long division method

0.0045	
0	0.00002025
	0 0 0
4	20
	16
85	425
	425
	0

 \therefore the square root of 0.00002025 $\sqrt{0.00002025} = 0.0045$

5. 150.0625

Solution:

By using long division method

	12.25
1	150,0625
	1
22	050
	44
242	606
	484
2445	12225
	12225
	0

: the square root of 150.0625 $\sqrt{150.0625} = 12.25$



6. 225.6004

Solution:

By using long division method

	15.02
1	225,6004
	1
25	125
	125
300	060
	0
3002	6004
	6004
	0

: the square root of 225.6004 $\sqrt{225.6004} = 15.02$

7. 3600.720036

Solution:

By using long division method

60.006	
6	3600,720036
	36
120	000
	0
1200	7200
	0000
12006	720036
	720036
	0

: the square root of 3600.720036 $\sqrt{3600.720036} = 60.006$

8. 236.144689

Solution:



	15.367
1	236144689
	1
25	136
	125
303	1114
	909
3066	20546
	18396
30727	215089
	215089
	0

: the square root of 236.144689 $\sqrt{236.144689} = 15.367$

9. 0.00059049

Solution:

By using long division method

	0.0243
0	0.00059049
	0
0	0
	0
2	05
	4
44	190
	176
483	1449
	1449
	0

 \therefore the square root of 0.00059049 $\sqrt{0.00059049} = 0.0243$

10. 176.252176

Solution:



	13.276
1	176.252176
	1
13	076
	69
262	725
	524
2647	20121
	18529
26546	159276
	159276
	0

: the square root of 176.252176 $\sqrt{176.252176} = 13.276$

11.9998.0001

Solution:

By using long division method

	99.99
9	9998.0001
	81
189	1898
	1701
1989	19700
	17901
19989	179901
	179901
	0

: the square root of 9998.0001 $\sqrt{9998.0001} = 99.99$

12. 0.00038809

Solution:



	0.0197
0	0.00038809
	0
0	000
	0
1	03
	1
29	288
	261
387	2709
	2709
	0

 \therefore the square root of 0.00038809 $\sqrt{0.00038809} = 0.0197$

13. What is that fraction which when multiplied by itself gives 227.798649? Solution:

Let us consider a number a

Where,
$$a = \sqrt{227.798649}$$

$$= 15.093$$

By using long division method let us verify

15.093
227.798649
1
127
125
279
0
27986
27081
90549
90549
0

∴ 15.093 is the fraction which when multiplied by itself gives 227.798649.

14. The area of a square playground is 256.6404 square meter. Find the length of one side of the playground.

Solution:

We know that the given area of a square playground = 256.6404 i.e., $L^2 = 256.6404$ m²



$$L = \sqrt{256.6404}$$

= 16.02m

By using long division method let us verify

•	-
	16.02
1	256.6404
	1
26	156
	156
320	064
	0
3202	6404
	6404
	0

∴ length of one side of the playground is 16.02m.

15. What is the fraction which when multiplied by itself gives 0.00053361? Solution:

Let us consider a number a

Where,
$$a = \sqrt{0.00053361}$$

$$= 0.0231$$

By using long division method let us verify

	0.0231
0	0.00 053361
	0
0	000
	0
2	005
	4
43	133
	129
461	461
	461
	0

 \therefore 0.0231 is the fraction which when multiplied by itself gives 0.00053361.

16. Simplify:

(i)
$$(\sqrt{59.29} - \sqrt{5.29})/(\sqrt{59.29} + \sqrt{5.29})$$

(ii)
$$(\sqrt{0.2304} + \sqrt{0.1764})/(\sqrt{0.2304} - \sqrt{0.1764})$$

Solution:

(i)
$$(\sqrt{59.29} - \sqrt{5.29})/(\sqrt{59.29} + \sqrt{5.29})$$

Firstly let us find the square root $\sqrt{59.29}$ and $\sqrt{5.29}$



$$\sqrt{59.29} = \sqrt{5929} / \sqrt{100}$$

$$= 77/10$$

$$= 7.7$$

$$\sqrt{5.29} = \sqrt{5.29} / \sqrt{100}$$

$$= 23/10$$

$$= 2.3$$
So, $(7.7 - 2.3) / (7.7 + 2.3)$

$$= 54/10$$

$$= 0.54$$

(ii)
$$(\sqrt{0.2304} + \sqrt{0.1764})/(\sqrt{0.2304} - \sqrt{0.1764})$$

Firstly let us find the square root $\sqrt{0.2304}$ and $\sqrt{0.1764}$
 $\sqrt{0.2304} = \sqrt{2304}/\sqrt{10000}$
 $= 48/100$
 $= 0.48$
 $\sqrt{0.1764} = \sqrt{1764}/\sqrt{10000}$
 $= 42/100$
 $= 0.42$
So, $(0.48 + 0.42)/(0.48 - 0.42)$
 $= 0.9/0.06$
 $= 15$

17. Evaluate $\sqrt{50625}$ and hence find the value of $\sqrt{506.25} + \sqrt{5.0625}$ Solution:

By using long division method let us find the $\sqrt{50625}$

So now,
$$\sqrt{506.25} = \sqrt{50625} / \sqrt{100}$$

= 225/10
= 22.5
 $\sqrt{5.0625} = \sqrt{50625} / \sqrt{10000}$
= 225/100
= 2.25



So equating in the above equation we get,

$$\sqrt{506.25} + \sqrt{5.0625} = 22.5 + 2.25$$

= 24.75

18. Find the value of $\sqrt{103.0225}$ and hence find the value of

- (i) $\sqrt{10302.25}$
- (ii) $\sqrt{1.030225}$

Solution:

By using long division method let us find the $\sqrt{103.0225}$

	10.15
1	103.0225
	1
20	003
	0
201	302
	201
2025	10125
	10125
	0

So now, (i)
$$\sqrt{10302.25} = \sqrt{(10302.25 \times 100)}$$

$$= 10 \times 10.15$$

= 101.5

(ii)
$$\sqrt{1.030225} = \sqrt{1.030225} / \sqrt{1000}$$

$$= 10.15/10$$

$$= 1.015$$