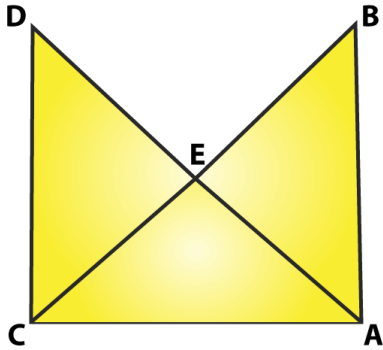


Exercise 10.4

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**Question 1:** In figure, It is given that  $AB = CD$  and  $AD = BC$ . Prove that  $\triangle ADC \cong \triangle CBA$ .



**Solution:**

From figure,  $AB = CD$  and  $AD = BC$ .

To prove:  $\triangle ADC \cong \triangle CBA$

Consider  $\triangle ADC$  and  $\triangle CBA$ .

$AB = CD$  [Given]

$BC = AD$  [Given]

And  $AC = AC$  [Common side]

So, by SSS congruence criterion, we have

$\triangle ADC \cong \triangle CBA$

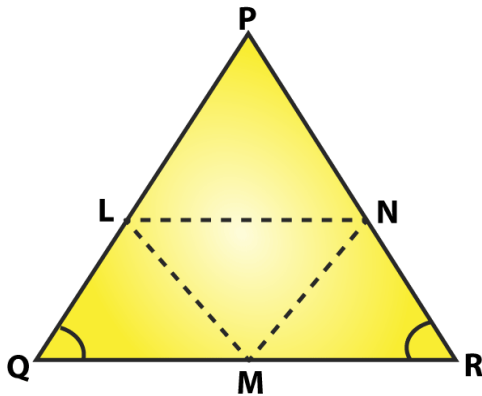
Hence proved.

**Question 2:** In a  $\triangle PQR$ , if  $PQ = QR$  and  $L, M$  and  $N$  are the mid-points of the sides  $PQ, QR$  and  $RP$  respectively. Prove that  $LN = MN$ .

**Solution:**

Given: In  $\triangle PQR$ ,  $PQ = QR$  and  $L, M$  and  $N$  are the mid-points of the sides  $PQ, QR$  and  $RP$  respectively

To prove:  $LN = MN$



Join L and M, M and N, N and L

We have  $PL = LQ$ ,  $QM = MR$  and  $RN = NP$

[Since, L, M and N are mid-points of PQ, QR and RP respectively]

And also  $PQ = QR$

$PL = LQ = QM = MR = PN = NR$  .....(i)  
[ Using mid-point theorem]

$MN \parallel PQ$  and  $MN = PQ/2$

$MN = PL = LQ$  .....(ii)

Similarly, we have

$LN \parallel QR$  and  $LN = (1/2)QR$

$LN = QM = MR$  .....(iii)

From equation (i), (ii) and (iii), we have

$PL = LQ = QM = MR = MN = LN$

This implies,  $LN = MN$

Hence Proved.