

Exercise 17.1

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**Question 1:** Draw a line segment of length 8.6 cm. Bisect it and measure the length of each part.

**Solution:**

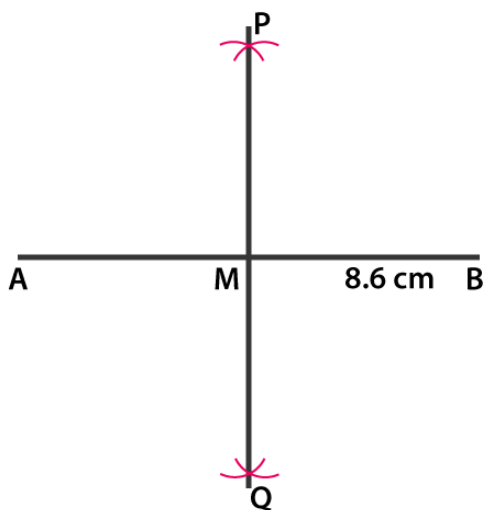
Step 1: Draw a line segment  $AB = 8.6$  cm.

Step 2: Draw arcs on each side of  $AB$  using  $A$  as a center at any radius more than half of 8.6.

Step 3: Repeat Step 2 using  $B$  as a center and make sure these arcs cut the previous arcs.

Step 4: Join the points  $P$  and  $Q$  which intersect  $AB$  at  $M$ .

Therefore  $AM = MB = 4.3$  cm



**Question 2:** Draw a line segment  $AB$  of length 5.8 cm. Draw the perpendicular bisector of this line segment.

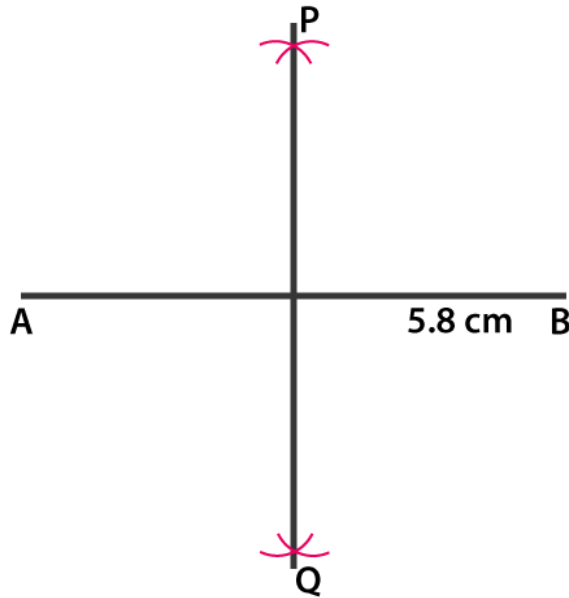
**Solution:**

Step 1: Draw a line segment  $AB = 5.8$  cm.

Step 2: Draw arcs on each side of  $AB$  using  $A$  as a center at any radius more than half of 5.8.

Step 3: Repeat Step 2 using  $B$  as a center and make sure these arcs cut the previous arcs.

Step 4: Join the points  $P$  and  $Q$ .



Here, PQ is the perpendicular bisector of AB.

**Question 3:** Draw a circle with center at point O and radius 5cm. Draw its chord AB, the perpendicular bisector of line segment AB. Does it pass through the center of the circle?

**Solution:**

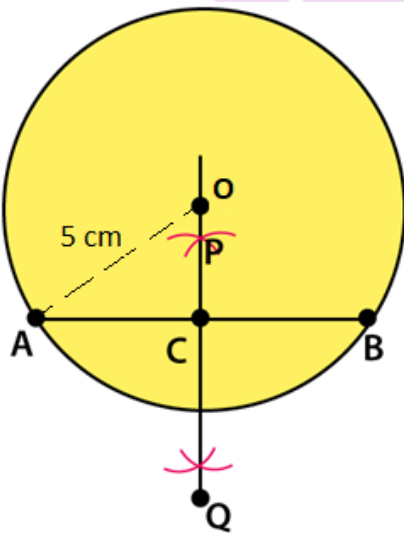
Step 1: Draw a circle choosing radius 5 cm and point O as center.

Step 2: Draw a chord AB using scale.

Step 3: Draw arcs one on each side of chord choosing A as center and radius more than half of 5 cm.

Step 4: Repeat step 3 using B as a centre and make sure these arcs cut the previous arcs.

Step 5: Join P and Q.



Therefore PQ is a perpendicular bisector of chord AB passes through the center of the circle.

## Exercise 17.2

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**Question 1:** Draw an angle and label it as  $\angle BAC$ . Construct another angle, equal to  $\angle BAC$ .

**Solution:**

Steps of construction:

Step 1: Draw any angle ABC.

Now will construct an angle equal to  $\angle BAC$

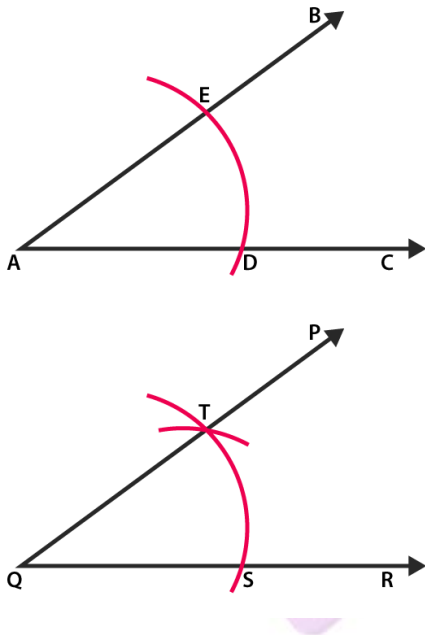
Step 2: Draw a line segment QR.

Step 3: Draw an arc which intersects  $\angle BAC$  at E and D using A as center and choose any radius.

Step 4: With same measurements (set in step 2), Draw an arc from point Q.

Step 5: With S as center and radius equal to DE, draw an arc which intersects the previous arc at T.

Step 6: Join Q and T.



Therefore  $\angle PQR = \angle BAC$

**Question 2:** Draw an obtuse angle. Bisect it. Measure each of the angles so formed.

**Solution:**

Steps of construction:

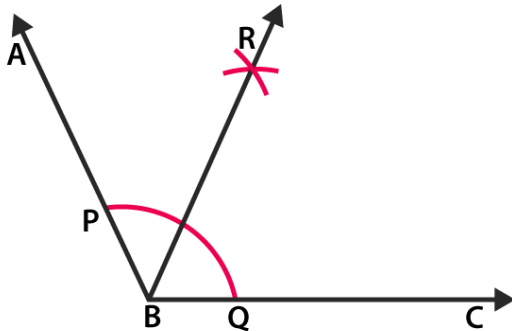
Step 1: Draw an obtuse angle. We choose  $\angle ABC = 120^\circ$ .

Step 2: Draw an arc which intersects AB at P and BC at Q, from center B and choose any radius.

Step 3: Draw an arc from point P by setting radius more than half of PQ.

Step 4: Repeat step 3 using Q as center and cut the previous arc at R.

Step 5: Join BR.



Therefore  $\angle ABR = \angle RBC = 60^\circ$

**Question 3:** Using your protractor, draw an angle of  $108^\circ$ . With this given angle as given, draw an angle of  $54^\circ$ .

**Solution:**

Steps of construction:

Step 1: Draw  $\angle ABC = 108^\circ$ .

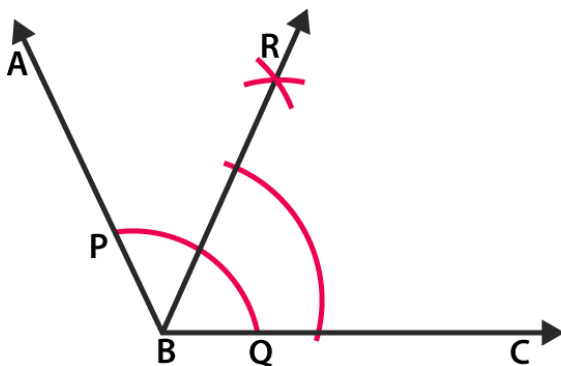
Step 2: Draw an arc which intersects AB at P and BC at Q from point B. (Choose any radius)

Step 3: Draw an arc from point P by setting radius more than half of PQ.

Step 4: Repeat Step 3 using Q as the centre and intersect the previous arc at R.

Step 5: Join BR.

Therefore  $\angle RBC = 54^\circ$



**Question 4:** Using the protractor, draw a right angle. Bisect it to get an angle of measure  $45^\circ$ .

**Solution:**

Steps of construction:

Step 1: Draw  $\angle ABC = 90^\circ$ .

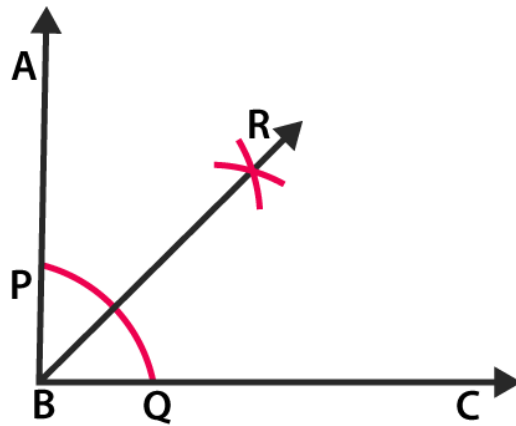
Step 2: Draw an arc which intersects AB at P and BC at Q from point B. (Choose any radius)

Step 3: Draw an arc from point P by setting radius more than half of PQ.

Step 4: Repeat step 3 using Q as a centre and intersect the previous arc at R.

Step 5: Join RB.

Therefore  $\angle RBC = 45^\circ$



### Exercise 17.3

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**Question 1:** Construct a  $\triangle ABC$  in which  $BC = 3.6$  cm,  $AB + AC = 4.8$  cm and  $\angle B = 60^\circ$ .

**Solution:**

Steps of Construction:

Step 1: Draw a line segment  $BC = 3.6$  cm.

Step 2: At the point B, draw  $\angle XBC = 60^\circ$ .

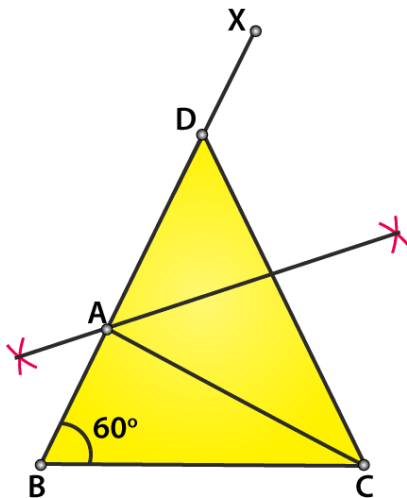
Step 3: Draw an arc which intersects XB at point D from point B and with radius 4.8 cm

Step 4: Join DC.

Step 5: Draw a perpendicular bisector of DC which intersects DB at A.

Step 6: Join AC.

Hence,  $\triangle ABC$  is the required triangle.



**Question 2:** Construct a  $\triangle ABC$  in which  $AB + AC = 5.6$  cm,  $BC = 4.5$  cm and  $\angle B = 45^\circ$ .

**Solution:**

Steps of Construction:

Step 1: Draw a line segment  $BC = 4.5$  cm.

Step 2: At the point B, draw  $\angle XBC = 45^\circ$ .

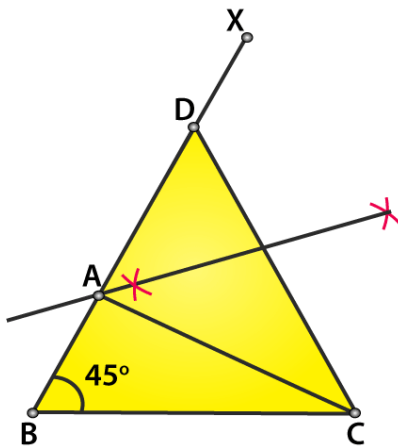
Step 3: Draw an arc which intersects XB at point D from point B and with radius 5.6 cm

Step 4: Join DC.

Step 5: Draw a perpendicular bisector of DC which intersects DB at A.

Step 6: Join AC.

Hence,  $\triangle ABC$  is the required triangle.



**Question 3:** Construct a  $\triangle ABC$  in which  $BC = 3.4$  cm,  $AB - AC = 1.5$  cm and  $\angle B = 45^\circ$ .

**Solution:**

Steps of Construction:

Step 1: Draw a line segment  $BC = 3.4$  cm.

Step 2: Draw  $\angle XBC = 45^\circ$ .

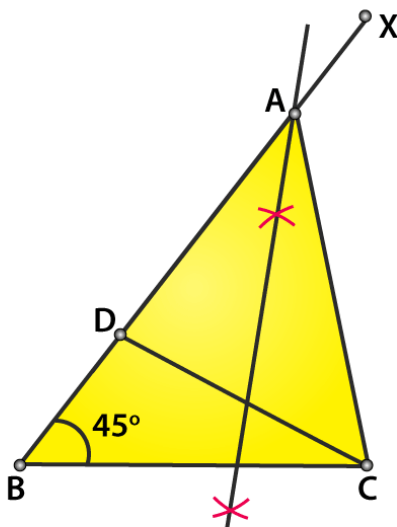
Step 3: Draw an arc which intersects  $XB$  at point  $D$  from point  $B$  and with radius  $1.5$  cm. So,  $BD = 1.5$  cm.

Step 4: Join line segment  $DC$ .

Step 5: Draw a perpendicular bisector of  $DC$  which intersects  $BX$  at  $A$ .

Step 6: Join line segment  $AC$ .

Hence,  $\triangle ABC$  is the required triangle.



**Question 4:** Using rulers and compasses only, construct a  $\triangle ABC$ , given base  $BC = 7$  cm,  $\angle ABC = 60^\circ$  and  $AB + AC = 12$  cm.

**Solution:**

Step 1: Draw a line segment  $BC = 7$  cm.

Step 2: Draw an arc from point B cutting BC at N. (Choose any radius.)

Step 3: Keep compass at point N with same radius selected in step 2, cut the previous arc at M.

Step 4: Join line segment BM.

Step 5: Produce BM to any point P

Step 6: Cut  $BR = 12$  cm, from BP.

Step 7: Join CR.

Step 8: Draw a perpendicular bisector of RC which intersects BR at A.

Step 9: Join line segment AC.

Hence,  $\triangle ABC$  is the required triangle.

