

Exercise 10

1. Find the co-ordinates of the images of the following points under reflection in the x- axis:

- (i) (2, -5)
- (ii) $(-3/2, -1/2)$
- (iii) (-7, 0)

Solution:

The co-ordinates of the images of the points under reflection in the x-axis will be:

- (i) Image of (2, -5) will be (2, 5)
- (ii) Image of $(-3/2, -1/2)$ will be $(-3/2, 1/2)$
- (iii) Image of (-7, 0) will be (-7, 0)

2. Find the co-ordinates of the images of the following points under reflection in the y-axis:

- (i) (2, -5)
- (ii) $(-3/2, 1/2)$
- (iii) (0, -7)

Solution:

The co-ordinates of the image of the points under reflection in the y-axis will be:

- (i) Image of (2, -5) will be (-2, -5)
- (ii) Image of $(-3/2, 1/2)$ will be $(3/2, 1/2)$
- (iii) Image of (0, -7) will be (0, -7)

3. Find the co-ordinates of the images of the following points under reflection in the origin:

- (i) (2, -5)
- (ii) $(-3/2, -1/2)$
- (iii) (0, 0)

Solution:

The co-ordinate of the image of the points under reflection in the y-axis will be:

- (i) Image of (2, -5) will be (-2, 5)
- (ii) Image of $(-3/2, -1/2)$ will be $(3/2, 1/2)$
- (iii) Image of (0, 0) will be (0, 0)

4. The image of a point P under reflection in the x-axis is (5, -2). Write down the coordinates of P.

Solution:

Given that (5, -2) are the co-ordinates of the image of a point P under x-axis

Thus, the co-ordinates of P will be (5, 2).

5. A point P is reflected in the x-axis. Co-ordinates of its image are (8, -6).

- (i) Find the co-ordinates of P.
- (ii) Find the co-ordinates of the image of P under reflection in the y-axis.

Solution:

- (i) The co-ordinates of image of P which is reflected in x-axis are (8, -6)
- (ii) The co-ordinates of image of P under reflection in the y-axis will be (-8, 6)

6. A point P is reflected in the origin. Co-ordinates of its image are (2, -5). Find

- (i) the co-ordinates of P.**
- (ii) the co-ordinates of the image of P in the x-axis.**

Solution:

The co-ordinates of image of a point P which is reflected in origin are (2, -5), then

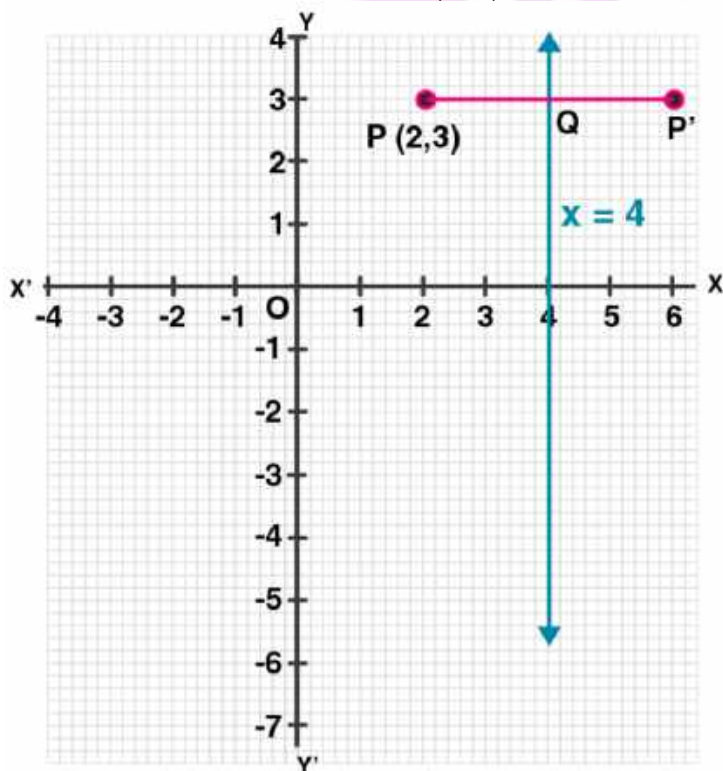
- (i) Co-ordinates of P will be (-2, 5)
- (ii) Co-ordinates of the image of P in the x-axis will be (-2, -5)

7. (i) The point P (2, 3) is reflected in the line $x = 4$ to the point P'. Find the co-ordinates of the point P'.

(ii) Find the image of the point P (1, -2) in the line $x = -1$.

Solution:

- (i) The steps are:
 - (a) Draw axis XOY and YOY' and take 1 cm = 1 unit
 - (b) Plot point P (2, 3) on it.
 - (c) Draw a line $x = 4$ which is parallel to y-axis.
 - (d) From P, draw a perpendicular on $x = 4$, which intersects $x = 4$ at Q.
 - (e) Produce PQ to P', such that $QP' = QP$.
- Thus, P' is the reflection of P in the line $x = 4$
Hence, the co-ordinates of P' are (6, 3).

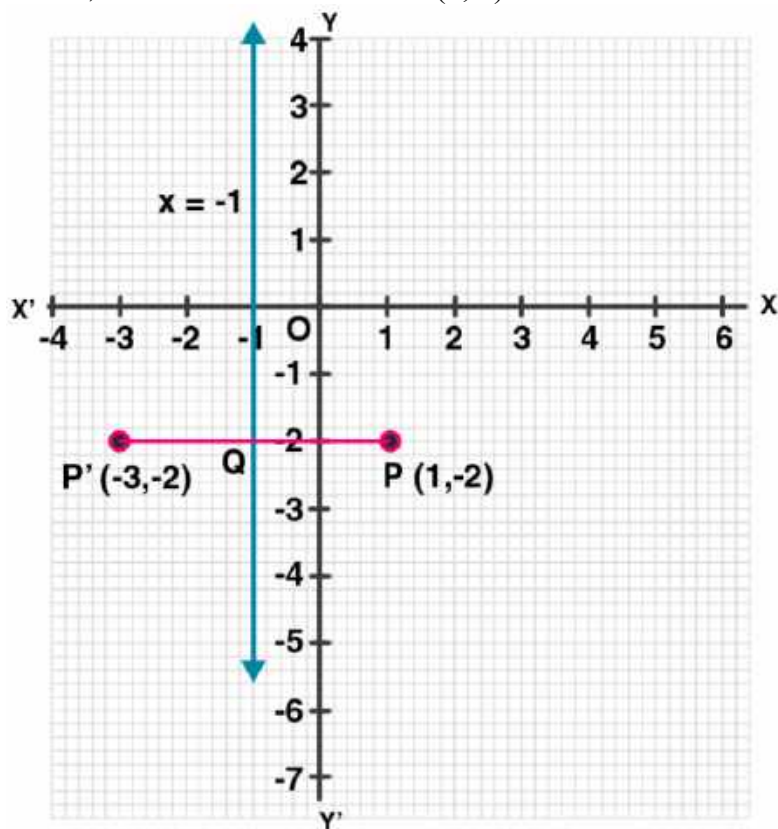


(ii) The steps are:

- Draw axis XOX' and YOY' and take $1\text{ cm} = 1\text{ unit}$
- Plot point $P(2, 3)$ on it.
- Draw a line $x = 4$ which is parallel to y -axis.
- From P , draw a perpendicular on $x = 4$, which intersects $x = 4$ at Q .
- Produce PQ to P' , such that $QP' = QP$.

Thus, P' is the reflection of P in the line $x = 4$

Hence, the co-ordinates of P' are $(6, 3)$



8. (i) The point $P(2, 4)$ on reflection in the line $y = 1$ is mapped onto P' . Find the co-ordinates of P' .

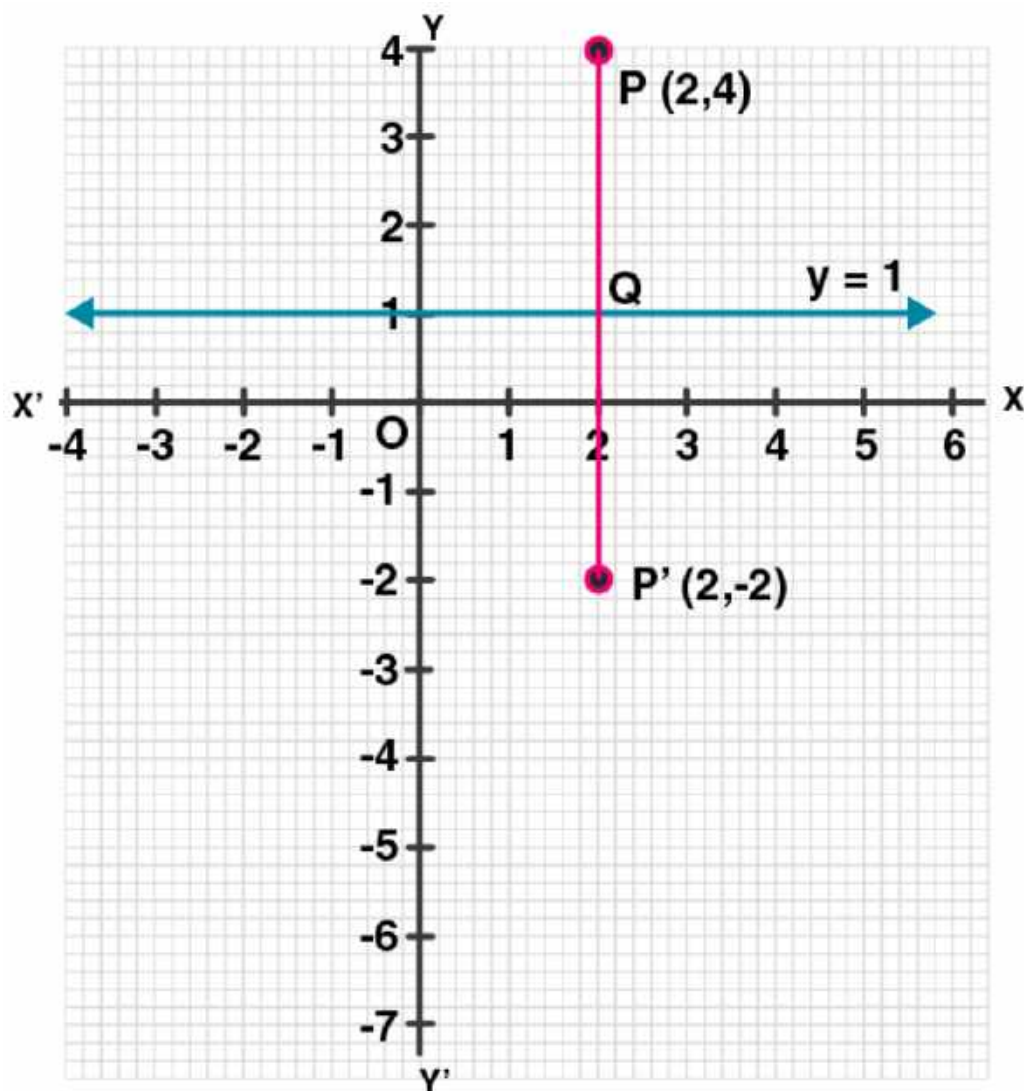
(ii) Find the image of the point $P(-3, -5)$ in the line $y = -2$.

Solution:

(i) The steps are:

- Draw axis XOX' and YOY' and take $1\text{ cm} = 1\text{ unit}$.
- Plot point $P(2, 4)$ on it.
- Draw a line $y = 1$, which is parallel to x -axis.
- From P , draw a perpendicular on $y = 1$ meeting it at Q .
- Produce PQ to P' such that $QP' = PQ$.

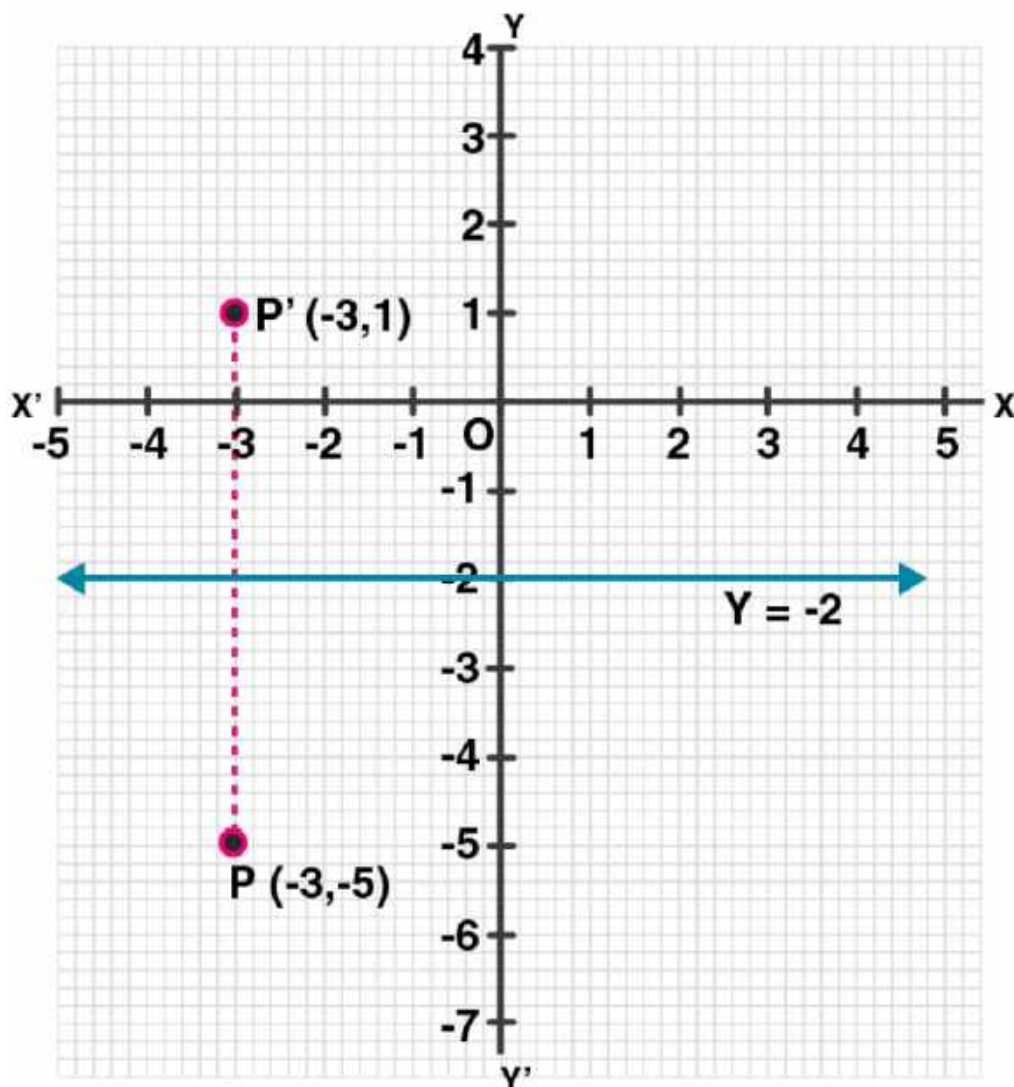
Therefore, P' is the reflection of P whose co-ordinates are $(2, -2)$.



(ii) The steps are:

- Draw axis XOX' and YOY' and take 1 cm = 1 unit.
- Plot point $P(-3, -5)$ on it.
- Draw a line $y = -2$ which is parallel to the x-axis.
- From P , draw a perpendicular on $y = -2$ which meets it at Q .
- Produce PQ to P' such that $QP' = PQ$.

Therefore, P' is the image of P , whose co-ordinates are $(-3, 1)$.



9. The point $P (-4, -5)$ on reflection in y-axis is mapped on P' . The point P' on reflection in the origin is mapped on P'' . Find the co-ordinates of P' and P'' . Write down a single transformation that maps P onto P'' .

Solution:

Given, point $P (-4, -5)$

And, P' is the image of point P in y-axis

Thus, the co-ordinates of P' will be $(4, -5)$

Again,

P'' is the image of P' under reflection in origin.

Thus, the co-ordinates of P'' will be $(-4, 5)$.

The single transformation that maps P onto P'' is the x-axis.

10. Write down the co-ordinates of the image of the point $(3, -2)$ when:

(i) reflected in the x-axis

- (ii) reflected in the y-axis
- (iii) reflected in the x-axis followed by a reflection in the y-axis
- (iv) reflected in the origin.

Solution:

The co-ordinates of the given point are (3, -2).

Now,

- (i) Co-ordinates of the image reflected in x- axis will be (3, 2)
- (ii) Co-ordinates of the image reflected in y- axis will be (-3, -2)
- (iii) Co-ordinates of the point reflected in x- axis followed by reflection in the y-axis will be (-3, 2)
- (iv) Co-ordinates of the point reflected in the origin will be (-3, 2).

11. Find the co-ordinates of the image of (3, 1) under reflection in x-axis followed by a reflection in the line $x = 1$.

Solution:

The steps are:

- (i) Draw axis XOX' and YOY' taking 1 cm = 1 unit.

- (ii) Plot a point P (3, 1).

- (iii) Draw a line $x = 1$, which is parallel to y-axis.

- (iv) From P, draw a perpendicular on x-axis meeting it at Q.

- (v) Produce PQ to P' such that $QP' = PQ$, then

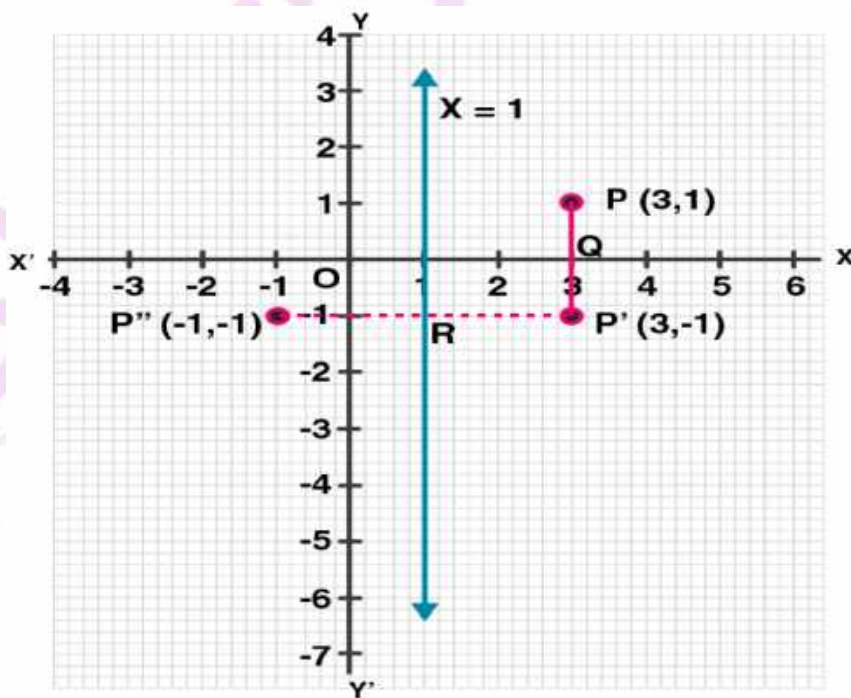
P' is the image of P in x-axis. Then co-ordinates of P' will be (3, -1)

- (vi) From P', draw a perpendicular on $x = 1$ meeting it at R.

- (vii) Produce P'R to P'' such that $RP'' = P'R$

Thus, P'' is the image of P' in the line $x = 1$

Hence, the co-ordinates of P'' are (-1, -1)



12. If P' (-4, -3) is the image of a point P under reflection in the origin, find

- (i) the co-ordinates of P.

- (ii) the co-ordinates of the image of P under reflection in the line $y = -2$.

Solution:

- (i) Given, reflection of P is P' (-4, -3) in the origin

Thus, the co-ordinates of P will be (4, 3)

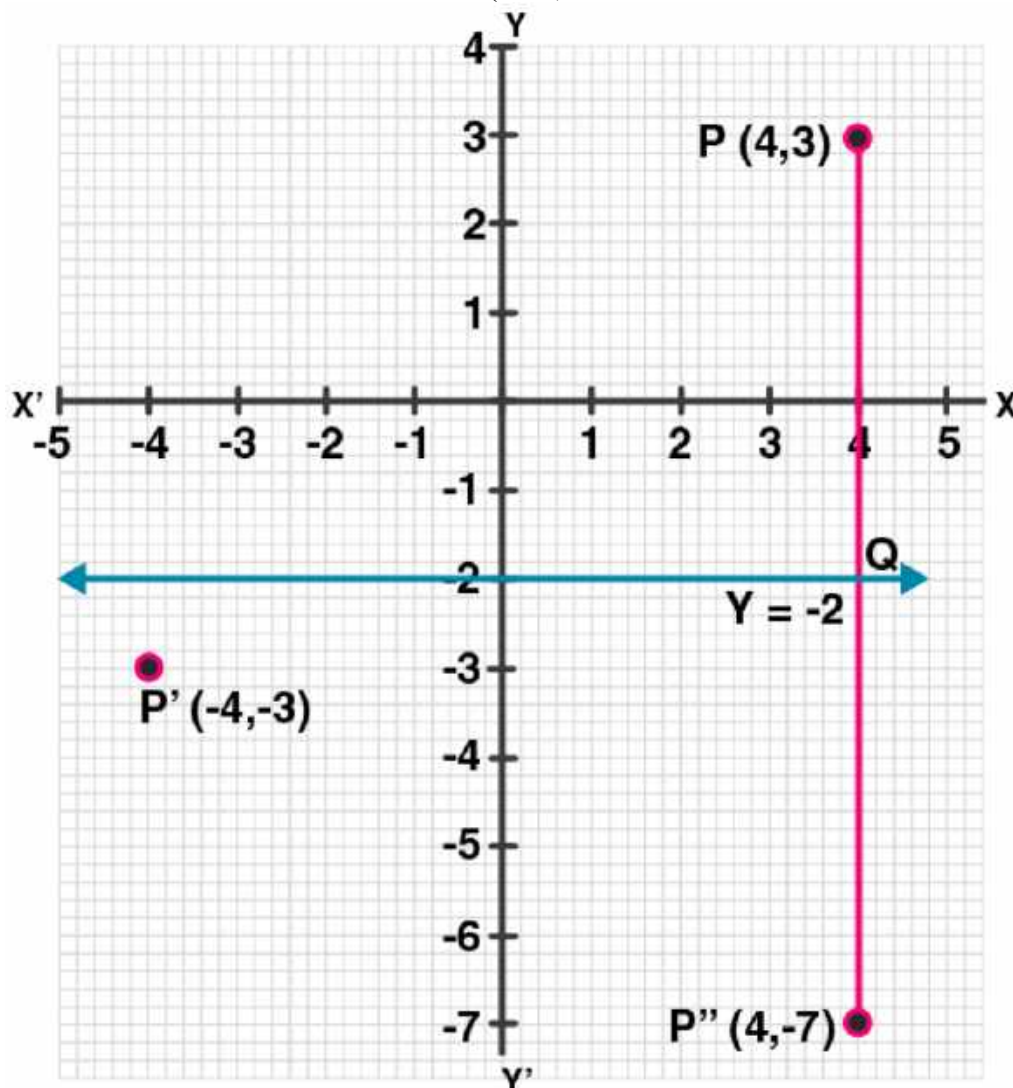
Now,

Draw a line $y = -2$, which is parallel to x-axis

- (ii) From P, draw a perpendicular on $y = -2$ meeting it at Q

Produce PQ to P'' such that $QP'' = PQ$

Thus, P'' will be the image of P in the line $y = -2$
Hence, the co-ordinates of P'' will be $(4, -7)$.



13. A point $P(a, b)$ is reflected in the x-axis to $P'(2, -3)$, write down the values of a and b . P'' is the image of P , when reflected in the y-axis. Write down the co-ordinates of P'' . Find the co-ordinates of P'' , when P is reflected in the line parallel to y-axis such that $x = 4$.

Solution:

Given,

$P'(2, -3)$ is the reflection of $P(a, b)$ in the x-axis

Hence, the co-ordinates of P' will be $(a, -b)$ but P' is $(2, -3)$

On comparing, we get $a = 2$, $b = 3$

Thus, the co-ordinates of P will be $(2, 3)$

And,

P'' is the image of P when reflected in y-axis

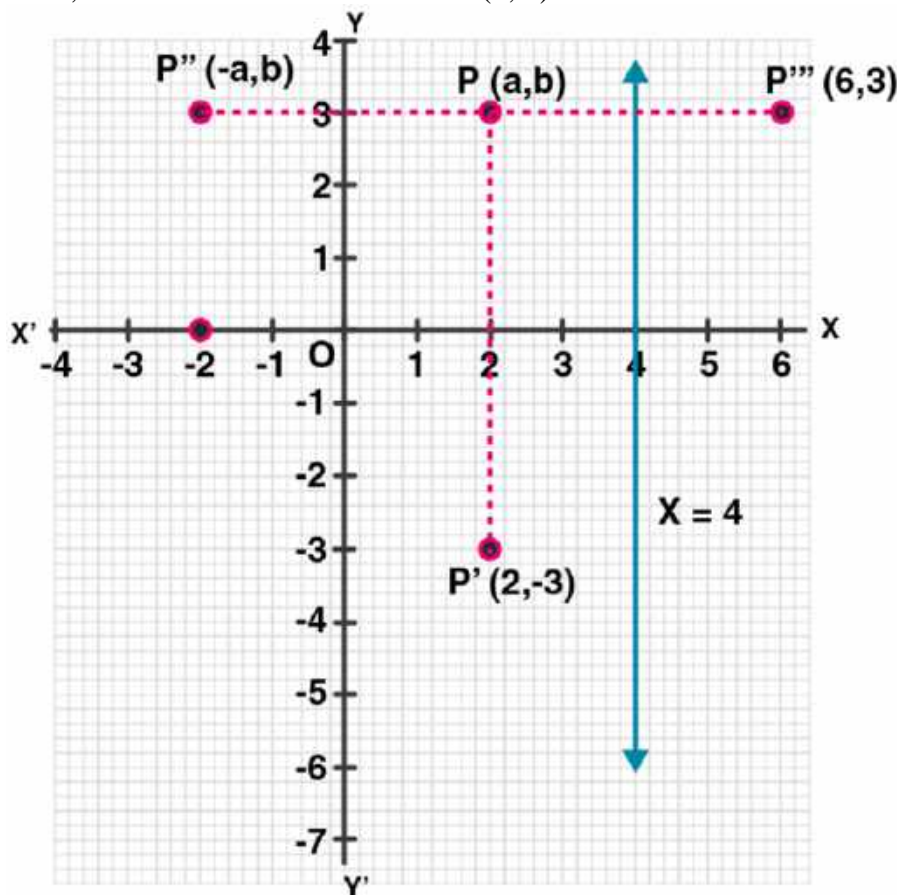
Hence, the co-ordinate of P'' will be $(-2, 3)$

Now, draw a line $x = 4$, which is parallel to y-axis

As P''' is the image of P when it is reflected in the line $x = 4$,

So, P''' is its reflection.

Thus, the co-ordinates of P''' will be $(6, 3)$.



14. (i) Point $P(a, b)$ is reflected in the x-axis to $P'(5, -2)$. Write down the values of a and b .

(ii) P'' is the image of P when reflected in the y-axis. Write down the co-ordinates of P'' .

(iii) Name a single transformation that maps P' to P'' .

Solution:

(i) Image of $P(a, b)$ reflected in the x-axis to $P'(5, -2)$

So, the co-ordinates of P will be $(5, 2)$

Hence, $a = 5$ and $b = 2$

(ii) P'' is the image of P when reflected in the y-axis

Thus, its co-ordinates will be $(-5, -2)$.

(iii) The single transformation that maps P' to P'' is the origin.

15. Points A and B have co-ordinates $(2, 5)$ and $(0, 3)$. Find

(i) the image A' of A under reflection in the x-axis.

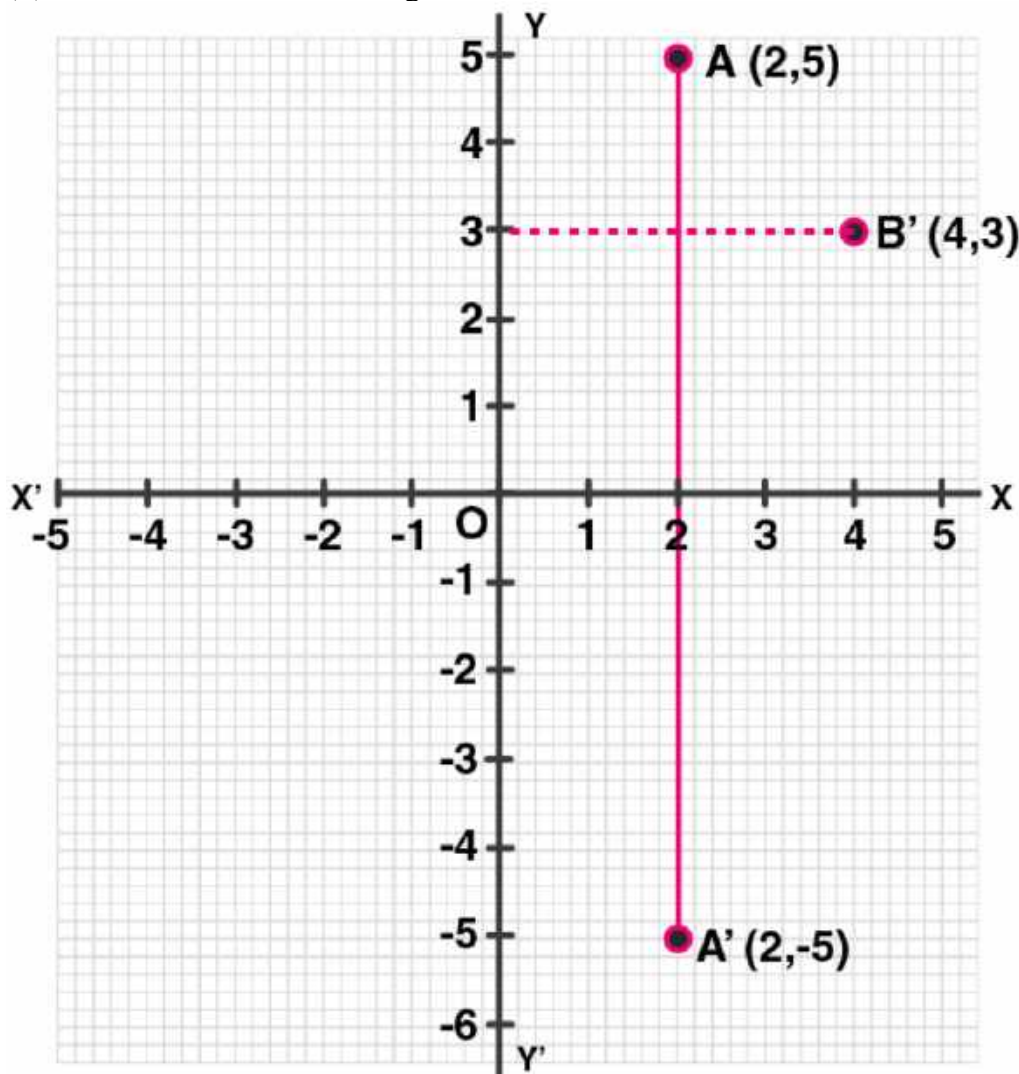
(ii) the image B' of B under reflection in the line AA' .

Solution:

Given, co-ordinates of A are (2, 5) and of B are (0, 3)

(i) Co-ordinates of A', the image of A reflected in the x-axis will be (2, -5)

(ii) Co-ordinates of B', the image of B under reflection in the line AA' will be (4, 3).



16. Plot the points A (2, -3), B (-1, 2) and C (0, -2) on the graph paper. Draw the triangle formed by reflecting these points in the x-axis. Are the two triangles congruent?

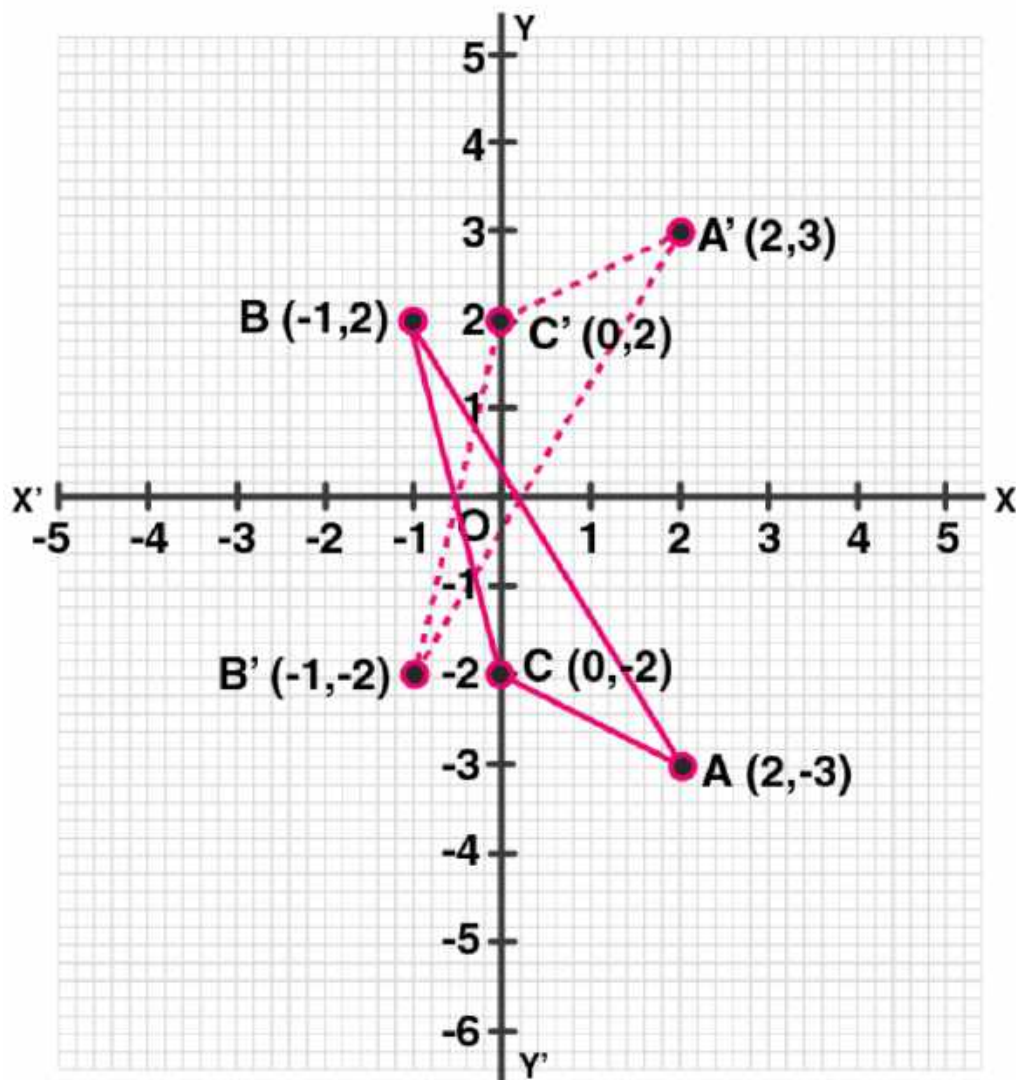
Solution:

The points A (2, -3), B (-1, 2) and C(0, -2) has been plotted on the graph paper as shown and are joined to form a triangle ABC.

Hence, the co-ordinates of the images of A, B and C reflected in x-axis will be A' (2, 3), B' (-1, -2), C' (0, 2) respectively.

And, these are joined to form another $\Delta A'B'C'$

Yes, these two triangles are congruent.



17. The points $(6, 2)$, $(3, -1)$ and $(-2, 4)$ are the vertices of a right-angled triangle. Check whether it remains a right-angled triangle after reflection in the y-axis.

Solution:

Let A $(6, 2)$, B $(3, -1)$ and C $(-2, 4)$ be the points of a right-angled triangle

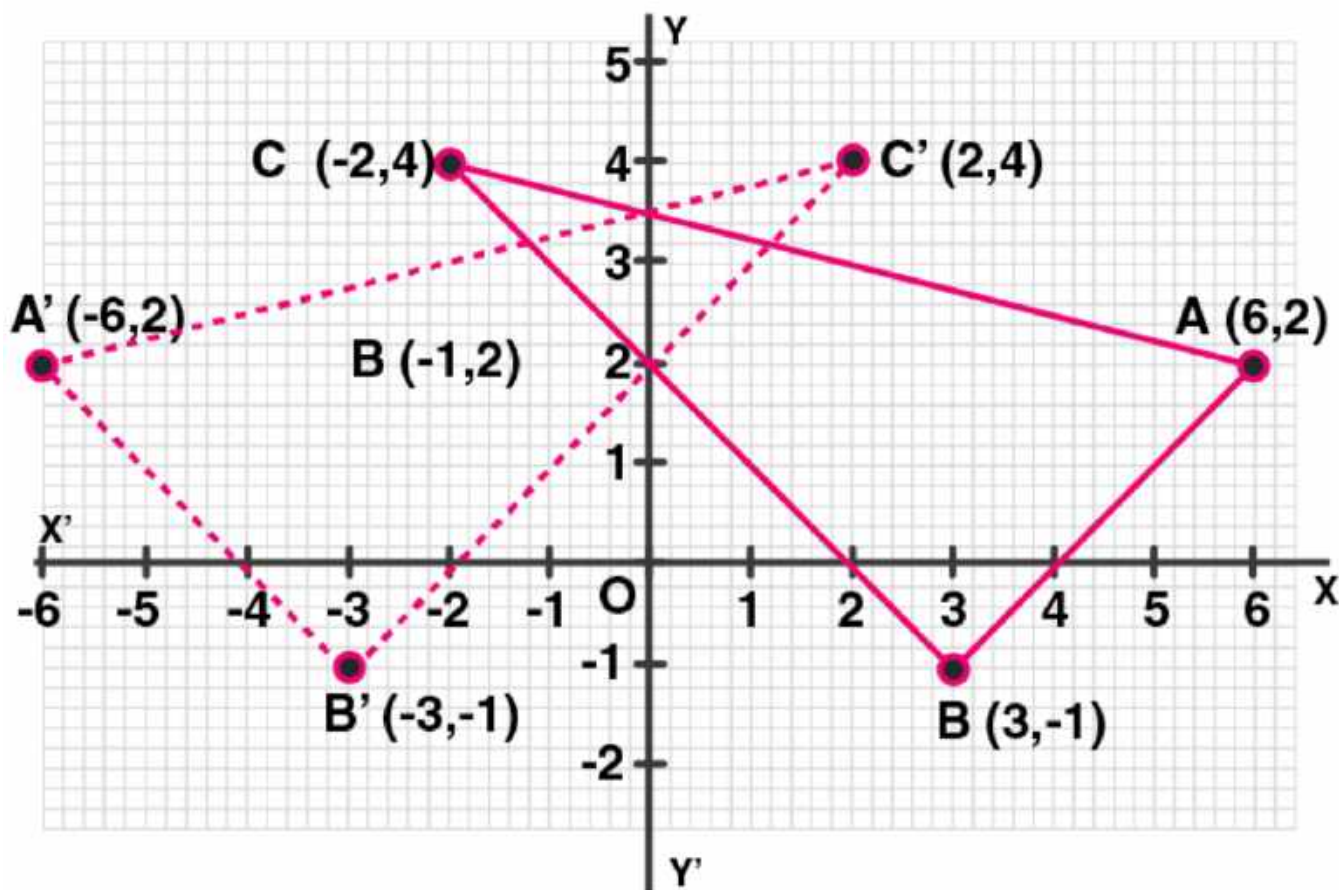
Then,

The co-ordinates of the images of A, B, C reflected in y-axis will be:

A' $(-6, 2)$, B' $(-3, -1)$ and C' $(2, 4)$.

Hence, by joining these points

We see that $\triangle A'B'C'$ is also a right-angled triangle.



18. The triangle ABC where A (1, 2), B (4, 8), C (6, 8) is reflected in the x-axis to triangle A' B' C'. The triangle A' B' C' is then reflected in the origin to triangle A''B''C''. Write down the co-ordinates of A'', B'', C''. Write down a single transformation that maps ABC onto A'' B'' C''.

Solution:

Given,

The co-ordinates of ΔABC are A (1, 2) B (4, 8), C (6, 8)

These vertices are reflected in x- axis as A', B' and C'.

Hence, their co-ordinates are A' (1, -2), B' (4, -8) and C' (6, -8).

Now,

A', B' and C' are again reflected in origins to form an $\Delta A''B''C''$.

Hence, the co-ordinates will be A'' (-1, 2), B'' (-4, 8) and C'' (-6, 8)

The single transformation that maps ABC onto A'' B'' C'' is y-axis.

19. The image of a point P on reflection in a line l is point P'. Describe the location of the line l.

Solution:

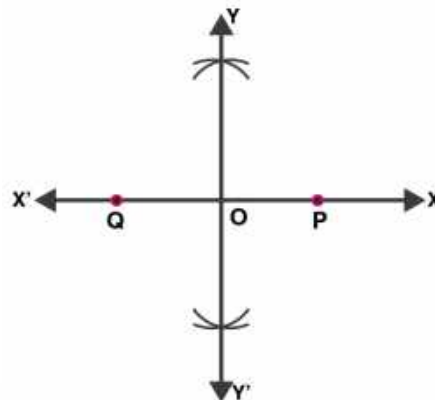
The line will be the right bisector of the line segment joining P and P'.

20. Given two points P and Q, and that (1) the image of P on reflection in the y-axis is the point Q and (2) the midpoint of PQ is invariant on reflection in x-axis. Locate:

- (i) the x-axis
- (ii) the y-axis and
- (iii) the origin.

Solution:

Given, Q is the image of P on reflection in y-axis and mid-point of PQ is invariant on reflection in x-axis



- (i) x-axis will be the line joining the points P and Q.
- (ii) The line perpendicular bisector of line segment PQ is the y-axis.
- (iii) The origin will be the mid-point of line segment PQ.

21. The point $(-3, 0)$ on reflection in a line is mapped as $(3, 0)$ and the point $(2, -3)$ on reflection in the same line is mapped as $(-2, -3)$.

- (i) Name the mirror line.
- (ii) Write the co-ordinates of the image of $(-3, -4)$ in the mirror line.

Solution:

Given,

The point $(-3, 0)$ is the image of point $(3, 0)$ and point $(2, -3)$ is image of point $(-2, -3)$ reflected on the same line.

- (i) Clearly, it's seen that the mirror line will be y-axis.
- (ii) The co-ordinates of the image of the point $(-3, -4)$ reflected in the same line i.e. y-axis will be $(3, -4)$.

22. A $(-2, 4)$ and B $(-4, 2)$ are reflected in the y-axis. If A' and B' are images of A and B respectively, find

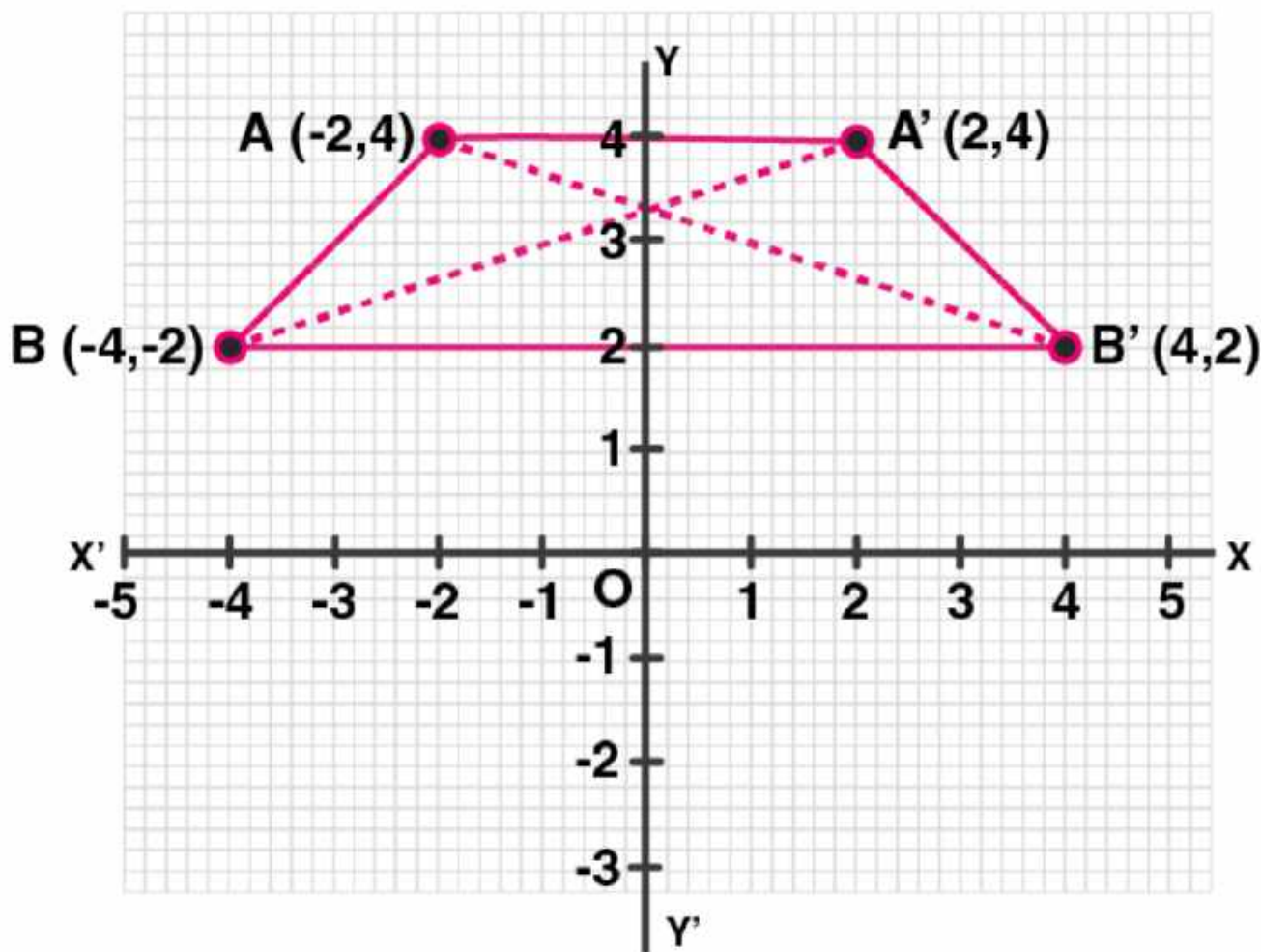
- (i) the co-ordinates of A' and B'.
- (ii) Assign a special name to a quad. AA'B'B.
- (iii) State whether $AB' = BA'$.

Solution:

Given,

A $(-2, 4)$ and B $(-4, 2)$ are reflected in the y-axis as A' and B'.

- (i) The co-ordinates of A' are $(2, 4)$ and of B are $(4, 2)$.
- (ii) The quadrilateral AA'B'B is an isosceles trapezium.
- (iii) Yes, it is found out that $AB' = BA'$



23. Use graph paper for this question.

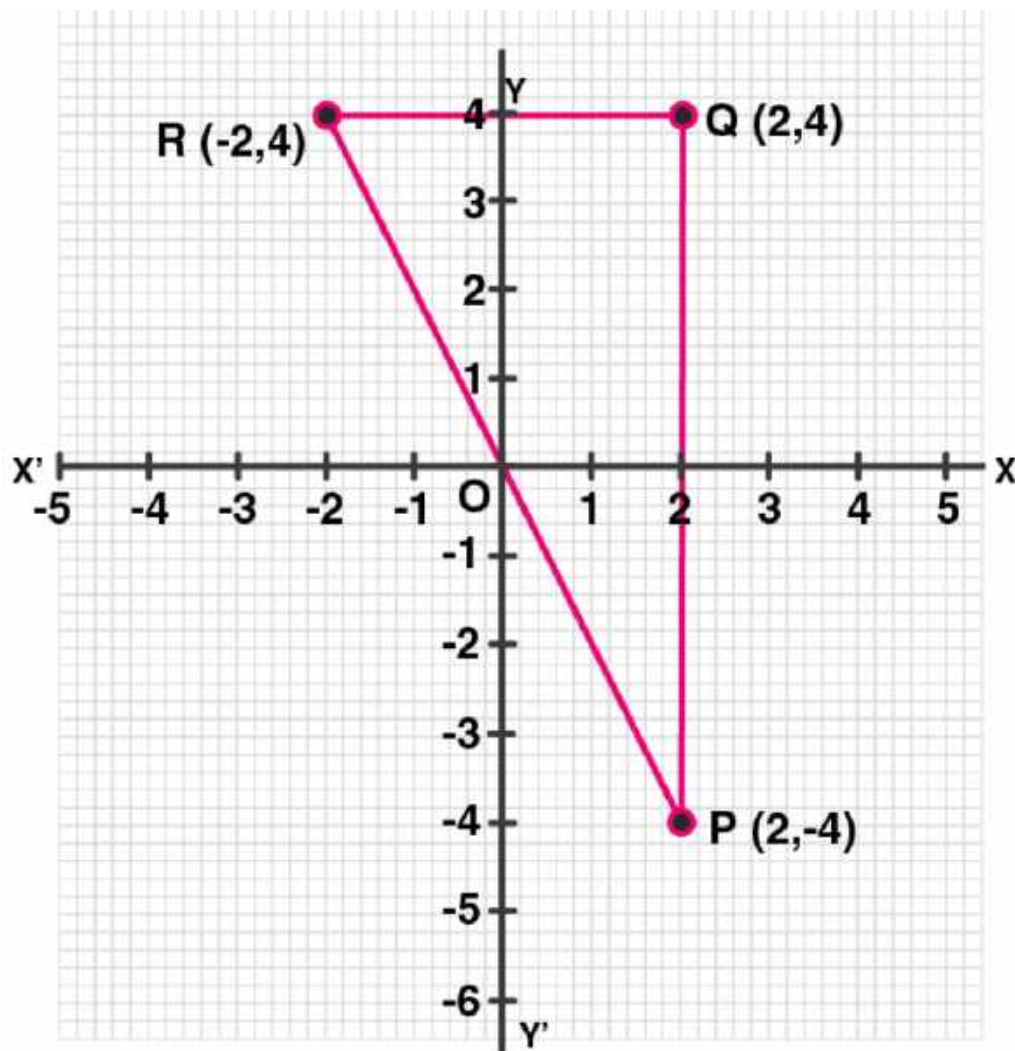
- The point P (2, -4) is reflected about the line $x = 0$ to get the image Q. Find the co-ordinates of Q.
- Point Q is reflected about the line $y = 0$ to get the image R. Find the co-ordinates of R.
- Name the figure PQR.
- Find the area of figure PQR.

Solution:

- As the point Q is the reflection of the point P (2, -4) in the line $x = 0$,
Thus, the co-ordinates of Q are (2, 4).
- As R is the reflection of Q (2, 4) about the line $y = 0$,
Thus, the co-ordinates of R are (-2, 4).
- Figure PQR is the right-angled triangle PQR.
- Area of $\Delta PQR = \frac{1}{2} \times QR \times PQ$

$$= \frac{1}{2} \times 4 \times 8$$

$$= 16 \text{ sq. units.}$$



24. Use graph paper for this question. The point P (5, 3) was reflected in the origin to get the image P'.

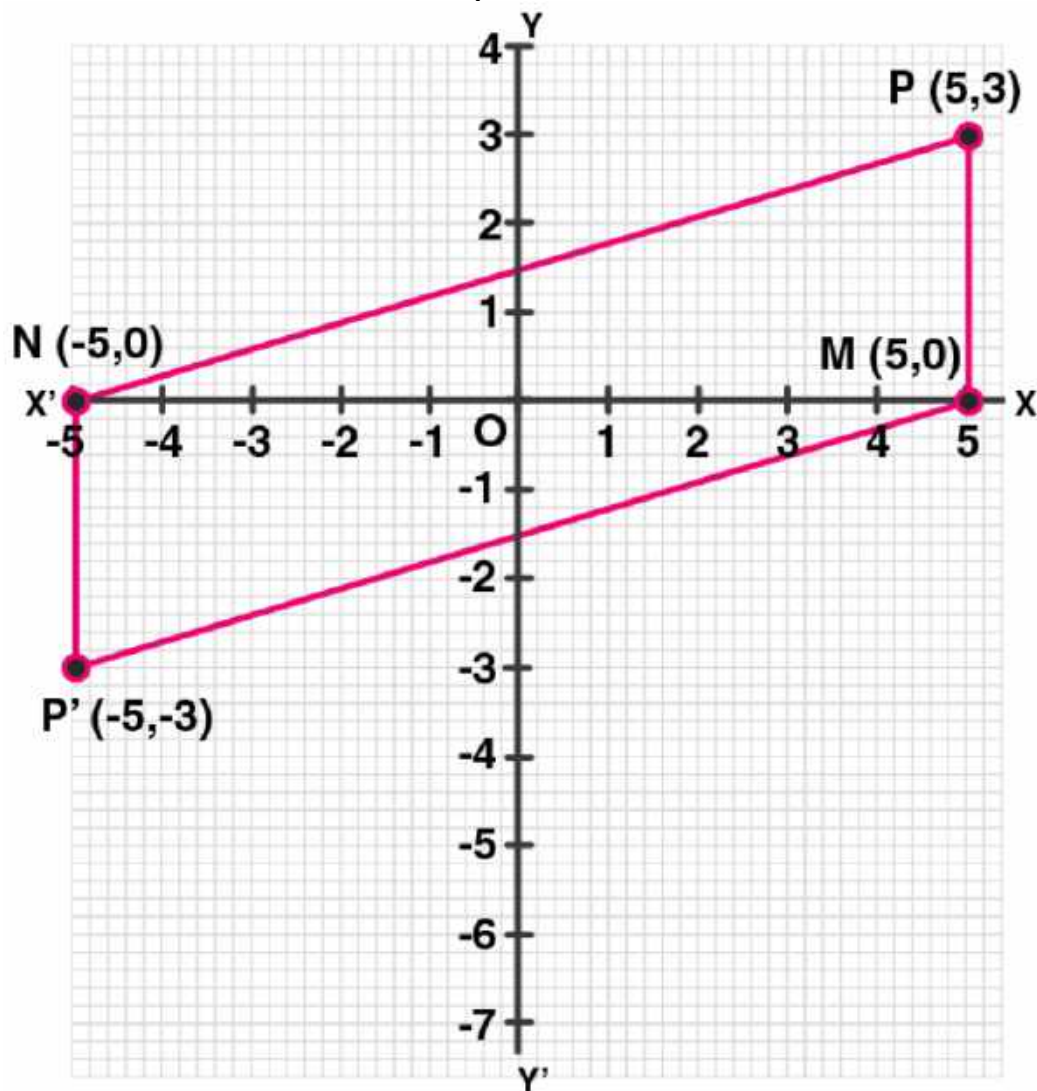
- Write down the co-ordinates of P'.
- If M is the foot of the perpendicular from P to the x-axis, find the co-ordinates of M.
- If N is the foot of the perpendicular from P' to the x-axis, find the co-ordinates of N.
- Name the figure PMP'N.
- Find the area of the figure PMP'N. (2001)

Solution:

Given, P' is the image of point P (5, 3) reflected in the origin.

- Co-ordinates of P' will be (-5, -3).
- M is the foot of the perpendicular from P to the x-axis.
Hence, the co-ordinates of M will be (5, 0)
- N is the foot of the perpendicular from P' to x-axis.
Hence, the co-ordinates of N will be (-5, 0).
- By joining the points, the figure PMP'N is a parallelogram.

- (v) Area of the parallelogram = $2 \times \text{area of } \triangle MPN$
 $= 2 \times \frac{1}{2} \times MN \times PM$
 $= MN \times PM = 10 \times 3$
 $= 30 \text{ sq. units.}$



- 25. Using a graph paper, plot the points A (6, 4) and B (0, 4).**
 (i) Reflect A and B in the origin to get the images A' and B'.
 (ii) Write the co-ordinates of A' and B'.
 (iii) State the geometrical name for the figure ABA'B'.
 (iv) Find its perimeter.

Solution:

Points A (6, 4) and B (0, 4) are plotted on a graph paper.

(i) A and B are reflected in the origin to get images A' and B'

(ii) Hence,

The co-ordinates of A' are (-6, -4)

The co-ordinates of B' are (0, -4)

(iii) The geometrical name for $ABA'B'$ is parallelogram

(iv) From the figure in graph paper, we see that

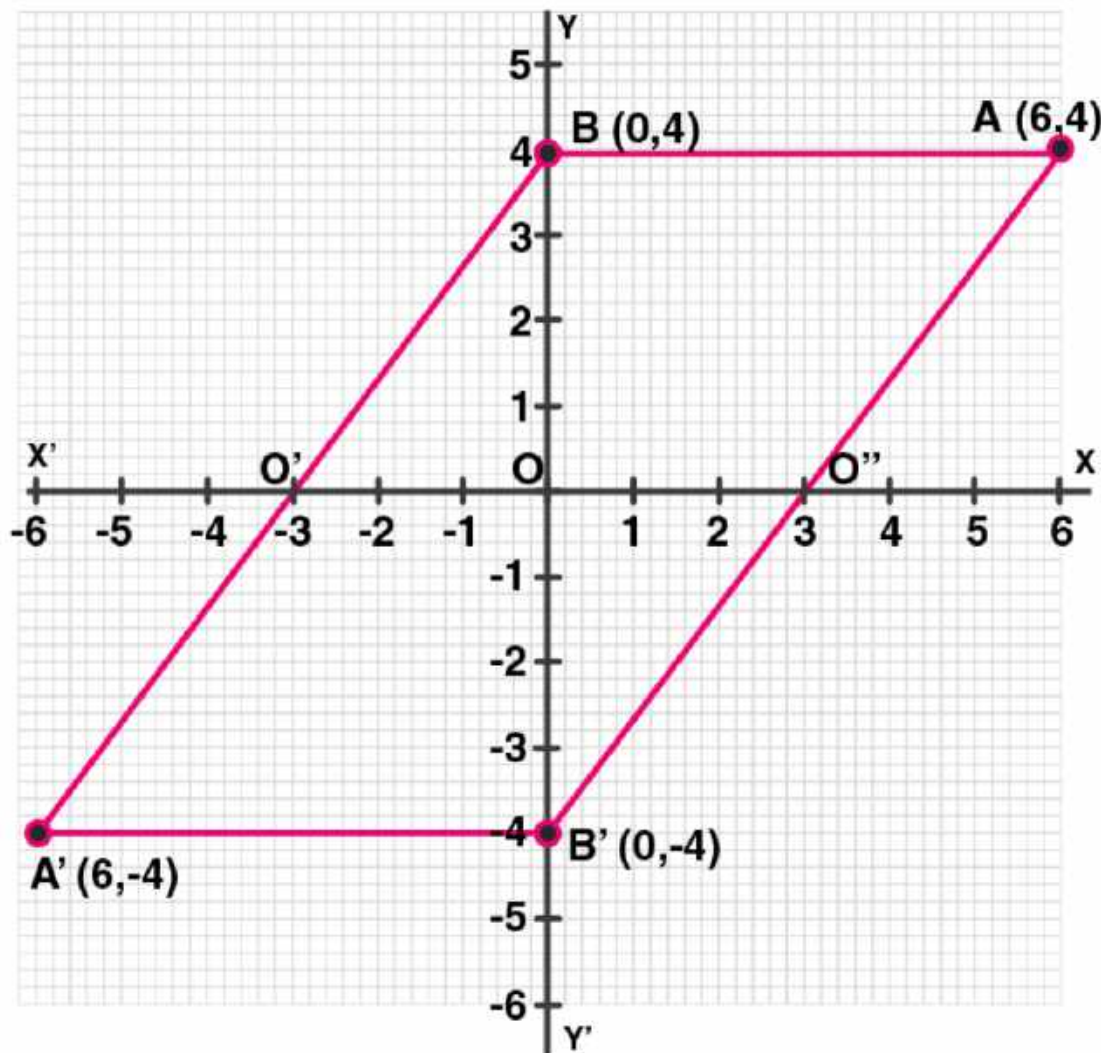
Length of $AB = A'B' = 6$ units

And, $BB' = 8$ units

In $\triangle ABB'$, by Pythagoras theorem

$$\begin{aligned}(AB')^2 &= AB^2 + (BB')^2 \\ &= 6^2 + 8^2 \\ &= 36 + 64 = 100\end{aligned}$$

$$AB' = \sqrt{100} = 10 \text{ units}$$



Hence, the perimeter of $ABA'B' = (6 + 10 + 6 + 10) = 32$ units

26. Use graph paper to answer this question

(i) Plot the points $A (4, 6)$ and $B (1, 2)$.

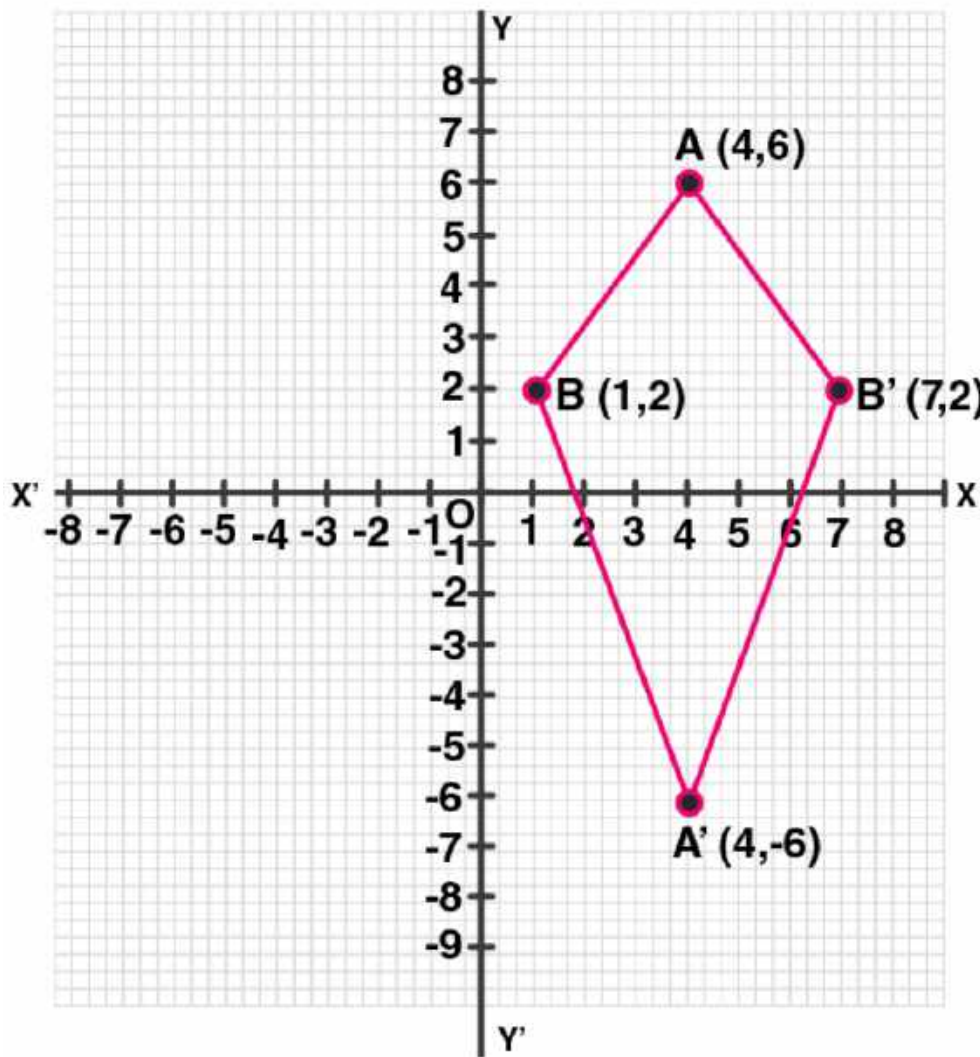
(ii) If A' is the image of A when reflected in x -axis, write the co-ordinates of A' .

(iii) If B' is the image of B when B is reflected in the line AA' , write the co-ordinates of B' .

(iv) Give the geometrical name for the figure $ABA'B'$.

Solution:

- (i) Plotting the points A (4, 6) and B (1, 2) on the given graph.
- (ii) The co-ordinates of the image of A when reflected in axis are $A'(4, -6)$
- (iii) The co-ordinates of the image of B when reflected in the line AA' are $B' = (7, 2)$
- (iv) It's seen that in the quadrilateral $ABA'B'$, we have
 $AB = A'B'$ and $A'B = AB'$
 Thus, $ABA'B'$ is a kite.



27. The points A (2, 3), B (4, 5) and C (7, 2) are the vertices of $\triangle ABC$.

- (i) Write down the co-ordinates of A_1, B_1, C_1 if $\triangle A_1B_1C_1$ is the image of $\triangle ABC$ when reflected in the origin.
- (ii) Write down the co-ordinates of A_2, B_2, C_2 if $\triangle A_2B_2C_2$ is the image of $\triangle ABC$ when reflected in the x-axis.
- (iii) Assign the special name to the quadrilateral BCC_2B_2 and find its area.

Solution:

Given, points A (2, 3), B (4, 5) and C (7, 2) are the vertices of $\triangle ABC$.

And A_1 , B_1 and C_1 are the images of A, B and C reflected in the origin.

(i) Hence,

Co-ordinates of $A_1 = (-2, -3)$

Co-ordinates of $B_1 (-4, -5)$ and

Co-ordinates of $C_1 (-7, -2)$.

(ii) Now,

Co-ordinates of A_2 , B_2 and C_2 the images of A, B and C when reflected in x-axis are:

$A_2 (2, -3)$, $B_2 (4, -5)$, $C_2 (7, -2)$

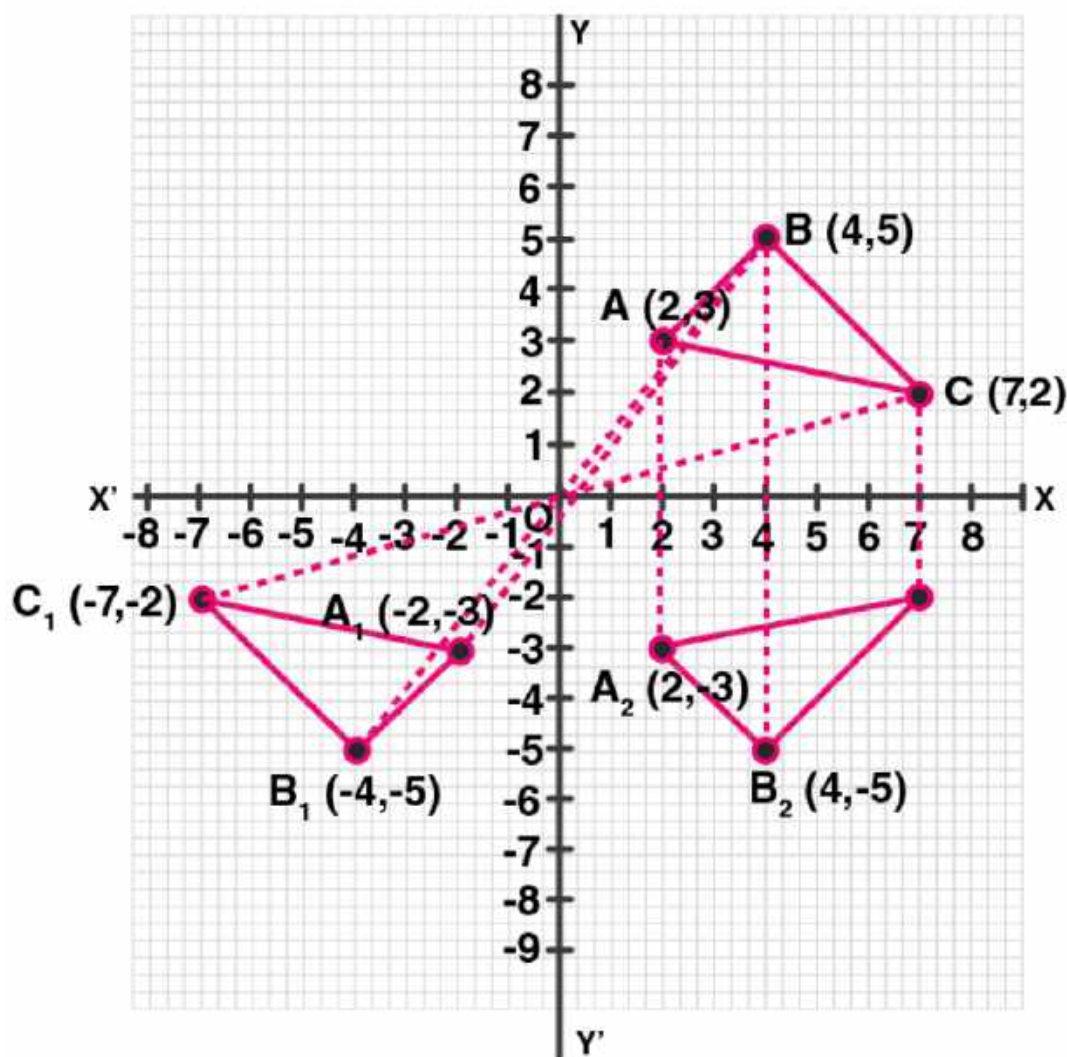
(iii) The quadrilateral formed by joining the points, BCC_2B_2 is an isosceles trapezium and its area is

$$= \frac{1}{2} (BB_2 + CC_2) \times 3$$

$$= \frac{1}{2} (10 + 4) \times 3$$

$$= \frac{1}{2} \times 14 \times 3$$

$$= 21 \text{ sq. units}$$



28. The point P (3, 4) is reflected to P' in the x-axis and O' is the image of O (origin) in the line PP'. Find:

(i) the co-ordinates of P' and O',

- (ii) the length of segments PP' and OO' .
(iii) the perimeter of the quadrilateral $POP'O'$.

Solution:

Given,

P' is the image of $P(3, 4)$ reflected in x -axis and O' is the image of O the origin in the line PP' .

(i) Hence, co-ordinates of P' are $(3, -4)$ and co-ordinates of O' reflected in PP' are $(6, 0)$

(ii) Length of $PP' = 8$ units and $OO' = 6$ units

(iii) Perimeter of $POP'O'$ is $(4 \times OP)$ units.

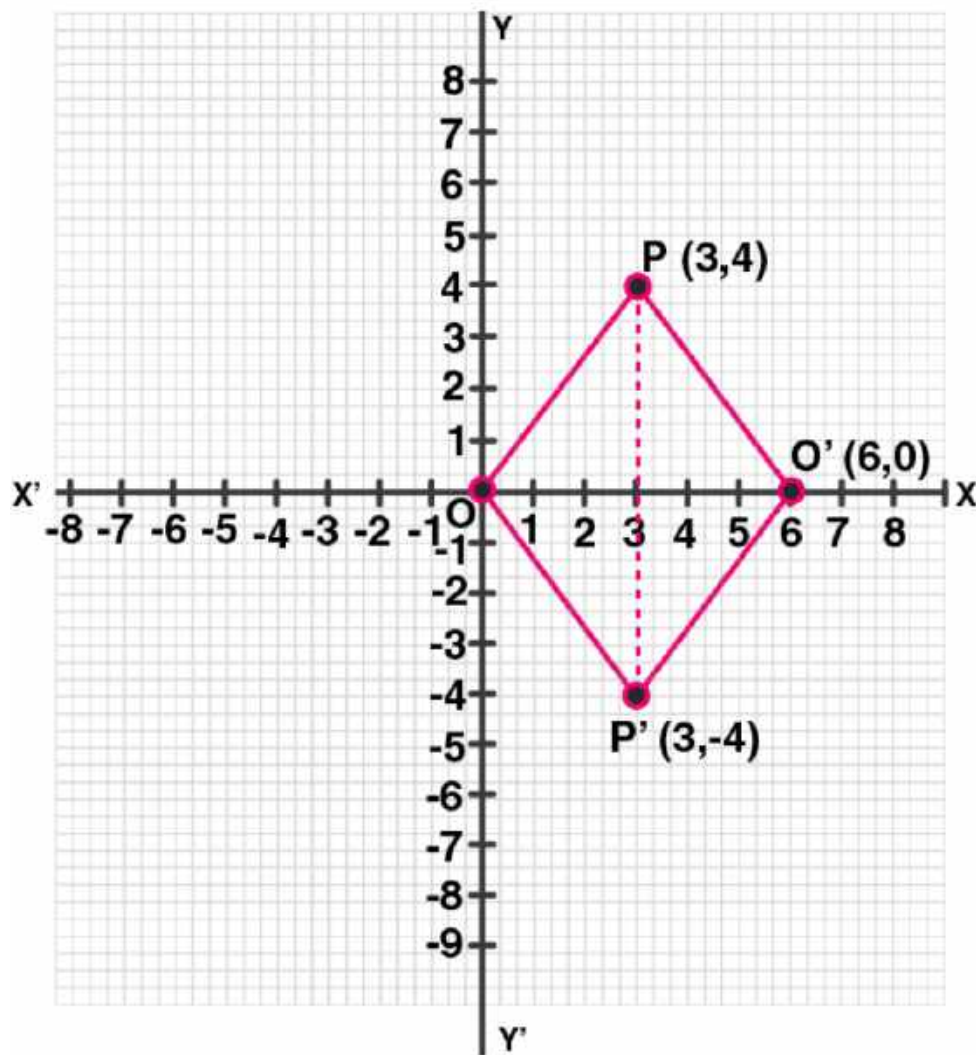
Let Q be the point of intersection of diagonals OO' and PP' .

So, $OQ = 3$ units and $OP = 4$ units

Hence,

$$OP = \sqrt{(OQ)^2 + (PQ)^2} = \sqrt{3^2 + 4^2} = \sqrt{9 + 16} = \sqrt{25} = 5 \text{ units}$$

Thus, the perimeter of $POP'O' = 4 \times 5 = 20$ units



29. Use a graph paper for this question. (Take 10 small divisions = 1 unit on both axes). P and Q have co-ordinates $(0, 5)$ and $(-2, 4)$.

- (i) P is invariant when reflected in an axis. Name the axis.

- (ii) Find the image of Q on reflection in the axis found in (i).
 (iii) $(0, k)$ on reflection in the origin is invariant. Write the value of k .
 (iv) Write the co-ordinates of the image of Q, obtained by reflecting it in the origin followed by a reflection in x-axis.

Solution:

Given, two points P $(0, 5)$ and Q $(-2, 4)$

(i) As the abscissa of P is 0. It is invariant when is reflected in y-axis.

(ii) Let Q' be the image of Q on reflection in y-axis.

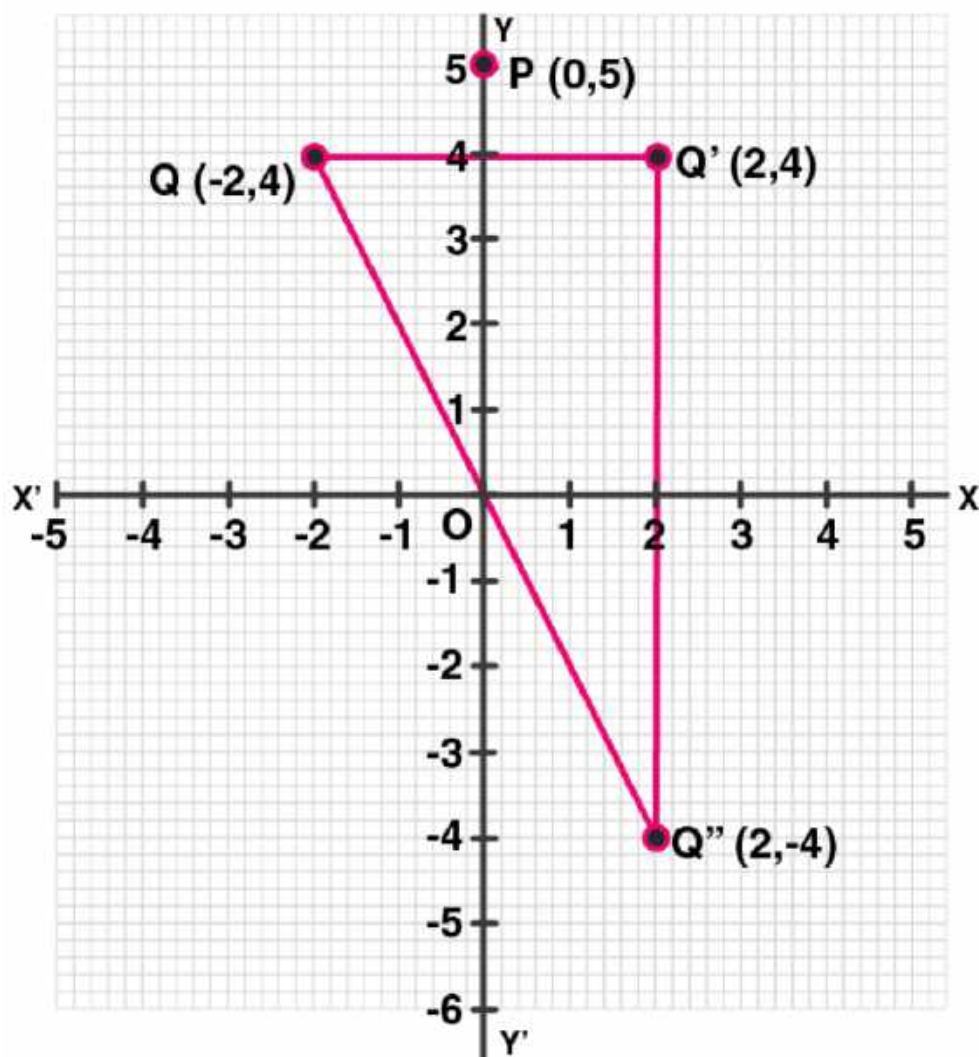
Thus, the co-ordinate of Q' will be $(2, 4)$

(iii) $(0, k)$ on reflection in the origin is invariant.

So, the co-ordinates of image will be $(0, 0)$

Hence, $k = 0$

(iv) The reflection of Q in the origin is the point Q'' and its co-ordinates will be $(2, -4)$ and reflection of $Q'' (2, -4)$ in x-axis is $(2, 4)$ which is the point Q' .



Chapter Test

1. The point P (4, -7) on reflection in x-axis is mapped onto P'. Then P' on reflection in the y-axis is mapped onto P''. Find the co-ordinates of P' and P''. Write down a single transformation that maps P onto P''.

Solution:

Given,

P' is the image of P (4, -7) reflected in x-axis

Thus, the co-ordinates of P' are (4, 7)

Again P'' is the image of P' reflected in y-axis

Hence, the co-ordinates of P'' are (-4, 7)

Therefore, single transformation that maps P and P'' is in the origin.

2. The point P (a, b) is first reflected in the origin and then reflected in the y-axis to P'. If P' has co-ordinates (3, -4), evaluate a, b

Solution:

The co-ordinates of image of P (a, b) reflected in origin are (-a, -b).

Again, the co-ordinates of P' which is image of the above point (-a, -b) reflected in the y-axis are (a, -b).

But the co-ordinates of P' are (3, -4)

Thus, $a = 3$ and $-b = -4 \Rightarrow b = 4$

3. A point P (a, b) becomes (-2, c) after reflection in the x-axis, and P becomes (d, 5) after reflection in the origin. Find the values of a, b, c and d.

Solution:

Given, point P (a, b) and the image of P (a, b) after reflected in the x-axis be (a, -b)

But, it is given as (-2, c)

Thus, $a = -2$, $c = -b$

Next,

If P is reflected in the origin, then its co-ordinates will be (-a, -b)

But, it is given as (d, 5)

Thus,

$-b = 5 \Rightarrow b = -5$,

$d = -a = -(-2) = 2$,

$c = -b = -(-5) = 5$

Thus,

$a = -2$, $b = -5$, $c = 5$ and $d = 2$

4. A (4, -1), B (0, 7) and C (-2, 5) are the vertices of a triangle. ΔABC is reflected in the y-axis and then reflected in the origin. Find the co-ordinates of the final images of the vertices.

Solution:

Given, A (4, -1), B (0, 7) and C (-2, 5) are the vertices of ΔABC .

ΔABC after reflecting in y-axis, the co-ordinates of points will be A' (-4, -1), B' (0, 7), C' (2, 5).

Again, when $\Delta A'B'C'$ reflecting in origin:

The co-ordinates of the images of the vertices will be $A''(4, 1)$, $B''(0, -7)$, $C''(-2, -5)$.

5. The points A (4, -11), B (5, 3), C (2, 15), and D (1, 1) are the vertices of a parallelogram. If the parallelogram is reflected in the y-axis and then in the origin, find the co-ordinates of the final images. Check whether it remains a parallelogram. Write down a single transformation that brings the above change.

Solution:

Given, points A (4, -11), B (5, 3), C (2, 15) and D (1, 1) are the vertices of a parallelogram.

After reflecting in y-axis, the images of these points will be

$A'(-4, 11)$, $B'(-5, 3)$, $C'(-2, 15)$ and $D'(-1, 1)$.

Again, reflecting these points in origin, the image of these points will be $A''(4, -11)$, $B''(5, -3)$, $C''(2, -15)$ and $D''(0, -1)$.

Yes, the reflection of a single transformation is in the x-axis.

6. Use a graph paper for this question (take 2 cm = 1 unit on both x and y axes).

(i) Plot the following points: A (0, 4), B (2, 3), C (1, 1) and D (2, 0).

(ii) Reflect points B, C, D on y-axis and write down their coordinates. Name the images as B' , C' , D' respectively.

(iii) Join points A, B, C, D, D' , C' , B' and A in order, so as to form a closed figure. Write down the equation of line of symmetry of the figure formed.

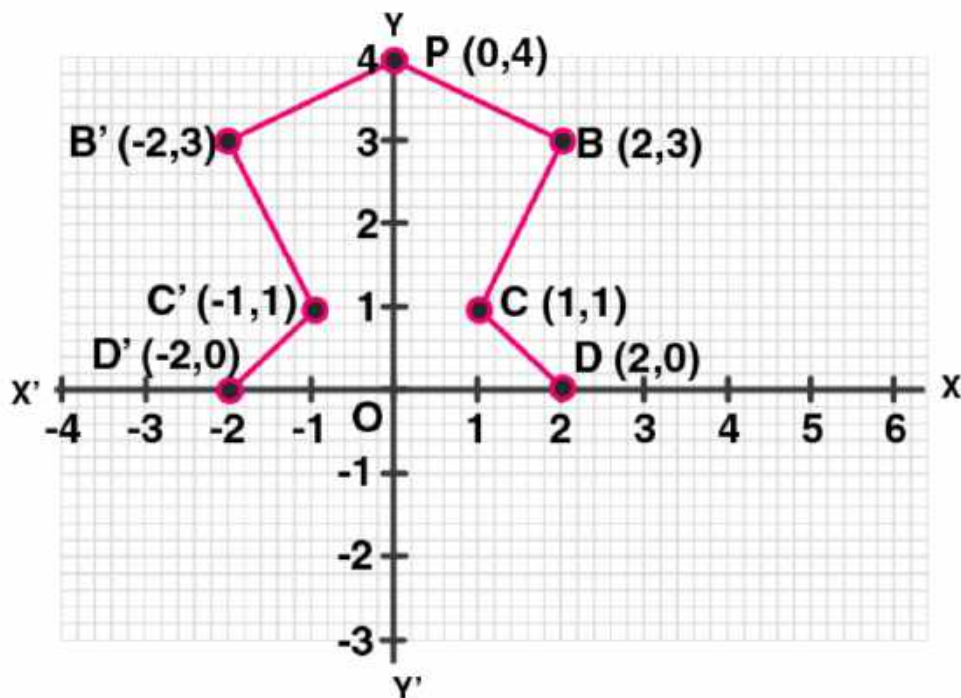
Solution:

(i) On graph: A (0, 4), B (2, 3), C (1, 1) and D (2, 0)

(ii) Point after reflection on y-axis are $B' = (-2, 3)$, $C' = (-1, 1)$ and $D' = (-2, 0)$

(iii) The points A, B, C, D, D' , C' , B' and A in order to form a closed figure.

Hence, the equation of the line of symmetry is $x = 0$



7. The triangle OAB is reflected in the origin O to triangle OA'B'. A' and B' have coordinates (- 3, - 4) and (0, - 5) respectively.

(i) Find the co-ordinates of A and B.

(ii) Draw a diagram to represent the given information.

(iii) What kind of figure is the quadrilateral ABA'B'?

(iv) Find the coordinates of A'', the reflection of A in the origin followed by reflection in the y-axis.

(v) Find the co-ordinates of B'', the reflection of B in the x-axis followed by reflection in the origin.

Solution:

Given,

ΔOAB is reflected in the origin O to $\Delta OA'B'$,

And the co-ordinates of $A' = (-3, -4)$ and $B' = (0, -5)$.

(i) Hence, the co-ordinates of A will be (3, 4) and of B will be (0, 5).

(ii) The diagram representing the given information has been drawn here.

(iii) The figure in the diagram is a rectangle.

(iv) The co-ordinates of B', the reflection of B in the x-axis is (0, -5) and co-ordinates of B'', the reflection in origin of the point (0, -5) will be (0, 5).

(v) The co-ordinates of the points, the reflection of A in the origin are (-3, -4) and coordinates of A'', the reflected in y-axis of the point (-3, -4) are (3, -4).

