

**Q1: Drift speed of electrons, when 1.5 A of current flows in a copper wire of cross section 5 mm<sup>2</sup> is  $v$ . If the electron density of copper is  $9 \times 10^{28}/\text{m}^3$  the value of  $v$  in mm/s is close to (Take charge of electron to be  $= 1.6 \times 10^{-19} \text{ C}$ )**

- (a) 3
- (b) 0.2
- (c) 2
- (d) 0.02

**Solution**

$$\text{As } I = neAv_d = neAv$$

$$v = I/neA = 1.5/(9 \times 10^{28} \times 1.6 \times 10^{-19} \times 5 \times 10^{-6})$$

$$v = 0.02 \times 10^{-3} \text{ m/s} = 0.02 \text{ mm/s}$$

**Answer: (d) 0.02**

**Q2: Two equal resistances when connected in series to a battery, consume electric power of 60 W. If these resistances are now connected in parallel combination to the same battery, the electric power consumed will be**

- (a) 240 W
- (b) 120 W
- (c) 60 W
- (d) 30 W

**Solution**

The power consumed when two resistance are in series combination is

$$V^2/2R = 60 \text{ W} \Rightarrow V^2/R = 120 \text{ W}$$

When the two resistance are connected in parallel combination, power consumed is

$$2V^2/R = 120(2) = 240 \text{ W}$$

**Answer: (a) 240 W**

**Q3: A current of 2 mA was passed through an unknown resistor which dissipated a power of 4.4 W. Dissipated power when an ideal power supply of 11 V is connected across it is**

- (a)  $11 \times 10^{-4} \text{ W}$
- (b)  $11 \times 10^{-5} \text{ W}$
- (c)  $11 \times 10^5 \text{ W}$
- (d)  $11 \times 10^{-3} \text{ W}$

**Solution**

Case (1)

$$\text{As } I^2 R = P$$

$$R = P/I^2$$

$$R = (4.4)/(2 \times 10^{-3})^2 = 1.1 \times 10^6 \Omega$$

Case (2)

$$P = V^2/R = (1.1)^2/(1.1 \times 10^6) = 11 \times 10^{-5} \text{ W}$$

**Answer: (b)  $11 \times 10^{-5} \text{ W}$**

**Q4: An ideal battery of 4 V and resistance R are connected in series in the primary circuit of a potentiometer of length 1 m and resistance 5. The value of R, to give a potential difference of 5 mV across 10 cm of potentiometer wire is**

- (a) 490
- (b) 495
- (c) 395
- (d) 480

**Solution**

Let I be the current in the circuit.  $4 = (5 + R) I$  —(1)

According to given condition,

$$5 \times 10^{-3} = (10/100)(5)(I)$$

$$I = 10^{-2} \text{ A} \dots(2)$$

Using (1) and (2),  $5 + R = 400$   $R = 395$

**Answer: (c) 395**

**Q5: A cell of internal resistance r drives current through an external resistance R. The power delivered by the cell to the external resistance will be maximum when**

- (a)  $R = 0.001 r$
- (b)  $R = r$
- (c)  $R = 2r$
- (d)  $R = 1000 r$

**Solution**

The power delivered to resistance is  $I^2 R$

$$\text{i.e., } P = [\epsilon^2/(R + r)^2]R$$

For the maximum power,  $dP/dR = 0$

$$\Rightarrow -2R + (R + r) = 0 \text{ or } R = r$$

Answer: (b)  $R = r$

**Q6:** A metal wire of resistance 3 is elongated to make a uniform wire of double its previous length. This new wire is now bent and the ends joined to make a circle. If two points on this circle make an angle  $60^\circ$  at the centre, the equivalent resistance between these two points will be

- (a)  $(7/2) \Omega$
- (b)  $(5/2) \Omega$
- (c)  $(12/5) \Omega$
- (d)  $(5/3) \Omega$

**Solution**

$$R = 3 \Omega = \rho(l/A) = \rho(l^2/V)$$

$$R' = \rho(l'^2/V) \Rightarrow R' = (2l)^2/l^2 \times 3 \Rightarrow R' = 12 \Omega$$

$$\text{Equivalent resistance, } R_{eq} = (10 \times 2)/(10+2) = (5/3) \Omega$$

Answer: (d)  $(5/3) \Omega$

**Q7:** On interchanging the resistances, the balance point of a meter bridge shifts to the left by 10 cm. The resistance of the combination is 1 k $\Omega$ . How much was the resistance on the left slot before the interchange?

- (a) 990
- (b) 505
- (c) 550
- (d) 910

**Solution**

Let  $R_1$  (left slot) and  $R_2$  (right slot) be two resistances in two slots of a meter bridge. Initially  $l$  be the balancing length

$$\text{Then, } R_1/R_2 = l/(100 - l) \text{ ————— (1)}$$

$$R_1 + R_2 = 1000 \Omega \text{ ————— (2)}$$

On interchanging the resistances, balancing length becomes  $(l - 10)$ , so

$$(R_2/R_1) = (l - 10)/(110 - l)$$

Using (1)

$$(100 - l)/l = (l - 10)/(110 - l)$$

$$11000 + l^2 - 210l = l^2 - 10l$$

$$200l = 11000, l = 55 \text{ cm}$$

From equa (1)  $R_1/R_2 = 55/45$

Using (2)

$$R_1 = (55/45)(1000 - R_1)$$

$$R_1 + (55/45)R_1 = (1000) \times (55/45)$$

$$100 R_1 = 1000 \times 55$$

$$R_1 = 550 \, \Omega$$

**Answer: (c) 550**

**Q8: A constant voltage is applied between two ends of a metallic wire. If the length is halved and the radius of the wire is doubled, the rate of heat developed in the wire will be**

- (a) Increased 8 times
- (b) Unchanged
- (c) Doubled
- (d) Halved

**Solution**

Rate of heat developed,  $P = V^2/R$

For given  $V$ ,  $P \propto 1/R = A/\rho l = \pi r^2/\rho l$

$$\text{Now, } P_1/P_2 = (r_1^2/r_2^2)(l_2/l_1)$$

As per question,  $l_2 = l_1/2$  and  $r_2 = 2r_1$

$$P_1/P_2 = (1/4) \times (1/2) = 1/8$$

$$P_2 = 8P_1$$

**Answer: (a) Increased 8 times**

**Q9: A heating element has a resistance of  $100 \, \Omega$  at room temperature. When it is connected to a supply of  $220 \, \text{V}$ , a steady current of  $2 \, \text{A}$  passes in it and the temperature is  $500^\circ\text{C}$  more than room temperature. What is the temperature coefficient of resistance of the heating element?**

- (a)  $1 \times 10^{-4} \, ^\circ\text{C}^{-1}$
- (b)  $2 \times 10^{-4} \, ^\circ\text{C}^{-1}$
- (c)  $0.5 \times 10^{-4} \, ^\circ\text{C}^{-1}$
- (d)  $5 \times 10^{-4} \, ^\circ\text{C}^{-1}$

**Solution**

Resistance after temperature increases by  $500^\circ\text{C}$ ,

$$R_T = \text{Voltage applied/Current} = 220/2 = 110$$

$$\text{Also, } R_T = R_0 (1 + \alpha \Delta T)$$

$$110 = 100 (1 + (\alpha \times 500))$$

$$\alpha = 10/(100 \times 500) = 2 \times 10^{-4} \text{ }^{\circ}\text{C}^{-1}$$

**Answer: (b)  $2 \times 10^{-4} \text{ }^{\circ}\text{C}^{-1}$**

**Q10:** A uniform wire of length  $l$  and radius  $r$  has a resistance of  $100 \text{ } \Omega$ . It is recast into a wire of radius  $r/2$ . The resistance of new wire will be

- (a)  $400 \text{ } \Omega$
- (b)  $100 \text{ } \Omega$
- (c)  $200 \text{ } \Omega$
- (d)  $1600 \text{ } \Omega$

**Solution**

Resistance of a wire of length  $l$  and radius  $r$  is given by

$$R = \rho l/A = (\rho l/A) \times (A/A)$$

$$R = (\rho l/A^2) = (\rho V/\pi^2 r^4) \quad (\because V = Al)$$

$$\text{i.e., } R \propto 1/r^4$$

$$R_1/R_2 = (r_2/r_1)^4$$

$$\text{Here, } R_1 = 100 \text{ } \Omega, r_1 = r, r_2 = r/2$$

$$R_2 = R_1(r_1/r_2)^4 = 16R_1 = 1600 \text{ } \Omega$$

**Answer: (d)  $1600 \text{ } \Omega$**

**Q11:** A  $2 \text{ W}$  carbon resistor is colour coded with green, black, red and brown, respectively. The maximum current which can be passed through this resistor is

- (a)  $20 \text{ mA}$
- (b)  $0.4 \text{ mA}$
- (c)  $100 \text{ mA}$
- (d)  $63 \text{ mA}$

**Solution**

The resistance of the resistor is  $50 \times 10^2 \text{ } \Omega$ . So, the maximum current that can be passed through it is

$$\sqrt{\frac{P}{R}} = \sqrt{\frac{2}{50 \times 10^2}} \text{ A} = 20 \text{ mA}$$

**Answer: (a)  $20 \text{ mA}$**

**Q12:** In a large building, there are 15 bulbs of 40 W, 5 bulbs of 100 W, 5 fans of 80 W and 1 heater of 1 kW. The voltage of the electric mains is 220 V. The minimum capacity of the main fuse of the building will be

- (a) 14 A
- (b) 8 A
- (c) 10 A
- (d) 12 A

**Solution**

Power of 15 bulbs of 40 W =  $15 \times 40 = 600$  W

Power of 5 bulbs of 100 W =  $5 \times 100 = 500$  W

Power of 5 fan of 80 W =  $5 \times 80 = 400$  W

Power of 1 heater of 1 kW = 1000

Total power,  $P = 600 + 500 + 400 + 1000 = 2500$  W

When these combination of bulbs, fans and heater are connected to 220 V mains, current in the main fuse of building is given by

$$I = P/V = 2500/220 = 11.36 \text{ A} \approx 12 \text{ A}$$

**Answer: (d) 12 A**

**Q13:** If a wire is stretched to make it 0.1% longer, its resistance will

- (a) increase by 0.05%
- (b) increase by 0.2%
- (c) decrease by 0.2%
- (d) decrease by 0.05%

**Solution**

Resistance of wire  $R = \rho l/A \dots \dots (1)$

On stretching, volume (V) remains constant.

$$\text{So } V = Al \text{ or } A = V/l$$

Therefore,  $R = \rho l^2/V$  (Using (1))

Taking logarithm on both sides and differentiating we get,

$$\Delta R/R = 2\Delta l/l \text{ (Since } V \text{ and } \rho \text{ are constants)}$$

$$(\Delta R/R)\% = (2\Delta l/l)\%$$

Hence, when wire is stretched by 0.1% its resistance will increase by 0.2%

**Answer: (b) increase by 0.2%**

**Q14: A thermocouple is made from two metals, antimony and bismuth. If one junction of the couple is kept hot and the other is kept cold then, an electric current will**

- (a) flow from antimony to bismuth at the cold junction
- (b) flow from antimony to bismuth at the hot junction
- (c) flow from bismuth to antimony at the cold junction
- (d) not flow through the thermocouple.

**Solution:** Antimony-bismuth couple is ABC couple. It means that current flows from A to B at a cold junction

**Answer: (a) flow from antimony to bismuth at the cold junction**

**Q15: The resistance of a wire is 5 ohm at 50°C and 6 ohm at 100°C. The resistance of the wire at 0°C will be**

- (a) 3 ohm
- (b) 2 ohm
- (c) 1 ohm
- (d) 4 ohm

**Solution**

$$R_t = R_0(1 + \alpha t)$$

$R_t$  is the resistance of wire at  $t^\circ \text{C}$

$R_0$  is the resistance of wire at  $0^\circ \text{C}$

$\alpha$  is the temperature coefficient of resistance

$$R_{50} = R_0 [1 + \alpha(50)]$$

$$\text{And } R_{100} = R_0 [1 + \alpha(100)]$$

$$\text{Or } R_{50} - R_0 = R_0 \alpha(50) \text{ ———(1)}$$

$$R_{100} - R_0 = R_0 \alpha(100) \text{ ———(2)}$$

Dividing (1) by (2)

$$(5 - R_0)/(6 - R_0) = \frac{1}{2}$$

$$R_0 = 4 \text{ ohm}$$

**Answer: (d) 4 ohm**