

**Board of Intermediate Education, Andhra Pradesh.**  
**Intermediate – II Year Syllabus w.e.f. 2013 – 14**  
**Subject : MATHEMATICS – IIB**

S. No.	Topics	Page No.
1.	<p><b>COORDINATE GEOMETRY</b></p> <p><b>Circle :</b></p> <p>Equation of circle -standard form-centre and radius of a circle with a given line segment as diameter &amp; equation of circle through three non collinear points - parametric equations of a circle.</p> <p>Position of a point in the plane of a circle – power of a point-definition of tangent-length of tangent</p> <p>Position of a straight line in the plane of a circle-conditions for a line to be tangent – chord joining two points on a circle – equation of the tangent at a point on the circle- point of contact-equation of normal.</p> <p>Chord of contact - pole and polar-conjugate points and conjugate lines - equation of chord with given middle point.</p> <p>Relative position of two circles- circles touching each other externally, internally common tangents –centers of similitude- equation of pair of tangents from an external point.</p>	
2.	<p><b>System of circles:</b></p> <p>Angle between two intersecting circles.</p> <p>Radical axis of two circles- properties- Common chord and common tangent of two circles – radical centre.</p> <p>Intersection of a line and a Circle.</p>	
3.	<p><b>Parabola:</b></p> <p>3.1 Conic sections –Parabola- equation of parabola in standard form-different forms of parabola- parametric equations.</p> <p>3.2 Equations of tangent and normal at a point on the parabola ( Cartesian and parametric) - conditions for straight line to be a tangent.</p>	
4.	<p><b>Ellipse:</b></p> <p>4.1 Equation of ellipse in standard form- Parametric equations.</p>	

	4.2 Equation of tangent and normal at a point on the ellipse (Cartesian and parametric)- condition for a straight line to be a tangent.		
5	<b>Hyperbola:</b> 5.1 Equation of hyperbola in standard form- Parametric equations. 5.2 Equations of tangent and normal at a point on the hyperbola (Cartesian and parametric)- conditions for a straight line to be a tangent- Asymptotes.		
6.	<b>CALCULUS</b> <b>Integration :</b> 6.1 Integration as the inverse process of differentiation- Standard forms – properties of integrals. 6.2 Method of substitution- integration of Algebraic, exponential, logarithmic, trigonometric and inverse trigonometric functions. Integration by parts. Integration- Partial fractions method. Reduction formulae.		
7.	<b>Definite Integrals:</b> Definite Integral as the limit of sum Interpretation of Definite Integral as an area. Fundamental theorem of Integral Calculus. Properties. Reduction formulae. Application of Definite integral to areas.		
8.	<b>Differential equations:</b> Formation of differential equation-Degree and order of an ordinary differential equation. Solving differential equation by a) Variables separable method. b) Homogeneous differential equation. c) Non - Homogeneous differential equation. Linear differential equations.		
<b>Topics deleted under 30% reduction of Syllabus due to COVID-19</b>			
1.	Circles	1.5-> Relative positions of two circles including Ex 1(e) and solved problems	60 - 70
3.	Parabola	3.2-> Tangents & Normal including Ex 3(b)	117 -128
4.	Ellipse	4.2-> Equations of tangents & Normal including Ex 4(b)	148 – 158

6.	Intergation	Evaluation of	
7.	Definite Integrals	7.1 and 7.2 -> Definite integral as the limit of the sum and limit of the sum and related problems in exercise 7(a) and 7(b) and Examples 7.6-> Application of Definite integrals to areas including ex 7(d)	262 – 268 283 – 286 297 - 308
8.	Differential Equations	8.17-> Formation of Differential Equations and problems related to it 8.2(C): Non – Homogeneous Differential Equations including Ex 8(d) Solution of linear differential Equations of the type $dx+Px=Q$ , Where P and Q	317 341 - 345

