# Strictly Confidential: (For Internal and Restricted use only) Senior School Certificate Examination <br> Compartment July 2019 <br> Marking Scheme <br> PHYSICS (SUBJECT CODE 042) <br> (PAPER CODE - 55/1/3) 

## General Instructions: -

1. You are aware that evaluation is the most important process in the actual and correct assessment of the candidates. A small mistake in evaluation may lead to serious problems which may affect the future of the candidates, education system and teaching profession. To avoid mistakes, it is requested that before starting evaluation, you must read and understand the spot evaluation guidelines carefully.Evaluation is a $\mathbf{1 0 - 1 2}$ days mission for all of us. Hence, it is necessary that you put in your best effortsin this process.
2. Evaluation is to be done as per instructions provided in the Marking Scheme. It should not be done according to one's own interpretation or any other consideration. Marking Scheme should be strictly adhered to and religiously followed. However, while evaluating, answers which are based on latest information or knowledge and/or are innovative, they may be assessed for their correctness otherwise and marks be awarded to them.
3. The Head-Examiner must go through the first five answer books evaluated by each evaluator on the first day, to ensure that evaluation has been carried out as per the instructions given in the Marking Scheme. The remaining answer books meant for evaluation shall be given only after ensuring that there is no significant variation in the marking of individual evaluators.
4. Evaluators will mark $(\sqrt{ })$ wherever answer is correct. For wrong answer ' $X$ ' be marked. Evaluators will not put right kind of mark while evaluating which gives an impression that answer is correct and no marks are awarded. This is most common mistake which evaluators are committing.
5. If a question has parts, please award marks on the right-hand side for each part. Marks awarded for different parts of the question should then be totaled up and written in the left-hand margin and encircled. This may be followed strictly.
6. If a question does not have any parts, marks must be awarded in the left hand margin and encircled.This may also be followed strictly
7. If a student has attempted an extra question, answer of the question deserving more marks should be retained and the other answer scored out.
8. No marks to be deducted for the cumulative effect of an error. It should be penalized only once.
9. A full scale of marks $0-70$ has to be used. Please do not hesitate to award full marks if the answer deserves it.
10. Every examiner has to necessarily do evaluation work for full working hours i.e. 8 hours every day and evaluate $20 / 25$ answer books per day.
11. Ensure that you do not make the following common types of errors committed by the Examiner in the past:-

- Leaving answer or part thereof unassessed in an answer book.
- Giving more marks for an answer than assigned to it.
- Wrong transfer of marks from the inside pages of the answer book to the title page.
- Wrong question wise totaling on the title page.
- Wrong totaling of marks of the two columns on the title page.
- Wrong grand total.
- Marks in words and figures not tallying.
- Wrong transfer of marks from the answer book to online award list.
- Answers marked as correct, but marks not awarded. (Ensure that the right tick mark is correctly and clearly indicated. It should merely be a line. Same is with the X for incorrect answer.)
- Half or a part of answer marked correct and the rest as wrong, but no marks awarded.

12. While evaluating the answer books if the answer is found to be totally incorrect, it should be marked as (X) and awarded zero (0)Marks.
13. Any unassessed portion, non-carrying over of marks to the title page, or totaling error detected by the candidate shall damage the prestige of all the personnel engaged in the evaluation work as also of the Board. Hence, in order to uphold the prestige of all concerned, it is again reiterated that the instructions be followed meticulously and judiciously.
14. The Examiners should acquaint themselves with the guidelines given in the Guidelines for spot Evaluation before starting the actual evaluation.
15. Every Examiner shall also ensure that all the answers are evaluated, marks carried over to the title page, correctly totaled and written in figures and words.
16. The Board permits candidates to obtain photocopy of the Answer Book on request in an RTI application and also separately as a part of the re-evaluation process on payment of the processing charges.

## MARKING SCHEME (COMPARTMENT) 2019

## SET: 55/1/3

\begin{tabular}{|c|c|c|c|}
\hline Q. NO. \& VALUE POINTS/ EXPECTED ANSWERS \& MARKS \& TOTAL MARKS \\
\hline \& SECTION - A \& \& \\
\hline 1. \& \begin{tabular}{l}
Most energetic radiation: Gamma rays Frequency range: \(10^{18}\) to \(10^{23} \mathrm{~Hz}\) \\
OR \\
(i) Ultra violet rays \\
(ii) Frequency range: \(10^{15}\) to \(10^{17} \mathrm{~Hz}\)
\end{tabular} \& \[
\begin{aligned}
\& 1 / 2 \\
\& 1 / 2 \\
\& \\
\& 1 / 2 \\
\& 1 / 2
\end{aligned}
\] \& 1

1 <br>

\hline 2. \& | The three basic units of a communication system are |
| :--- |
| 1. Transmitter |
| 2. Medium (Channel) |
| 3. Receiver |
| (Note : Award $1 / 2$ mark if the student writes the correct name of one or two of these three basic units) | \& 1 \& 1 <br>


\hline 3. \& | Some mass "gets lost" / "gets converted into energy" and this "mass defect" provides the "binding energy" that ensures that stability of the nucleus. |
| :--- |
| [Alternatively: The "lost mass" provides the "binding energy" that ensures the stability of the nucleus.] | \& 1 \& 1 <br>


\hline 4. \& | Frequency of photon $v=\mathrm{E} / \mathrm{h}$ $\begin{aligned} & =\frac{2 \mathrm{eV}}{6.63 \times 10^{-34} \mathrm{Js}} \\ & =\frac{2 \times 1.6 \times 10^{-19}}{6.63 \times 10^{-34}} \mathrm{~Hz} \\ & =4.8 \times 10^{14} \mathrm{~Hz} \end{aligned}$ |
| :--- |
| [Award the last $1 / 2$ mark even if the student just makes a correct substitution but does not calculate the value of $v$ ] |
| OR |
| (i) Yes |
| (ii) The photo electric current is dependent on the intensity of incident radiation Because the change of intensity changes the number of photons incident per second on the photo sensitive surface. | \& $1 / 2$

$1 / 2$

$1 / 2$
$1 / 2$ \& 1

1 <br>
\hline 5. \& The (required) magnetic fields lines are shown. \& 1 \& 1 <br>
\hline
\end{tabular}

## SECTION - B

6. 

| Diagram | $1 / 2$ |
| :--- | :---: |
| Electric field due to point charges | $1 / 2$ |
| Net electric field | 1 |



$$
\begin{aligned}
& E_{+q}=\frac{1}{4 \pi \epsilon_{0}} \frac{q}{\left(r^{2}+a^{2}\right)} \\
& E_{-q}=\frac{1}{4 \pi \epsilon_{0}} \frac{q}{\left(r^{2}+a^{2}\right)}
\end{aligned}
$$

$$
E=E_{+q} \cos \theta+E_{-q} \cos \theta
$$

$$
=2 E_{+q} \cos \theta
$$

$$
=\frac{2 q a}{4 \pi \epsilon_{0}\left(r^{2}+a^{2}\right)^{3 / 2}}
$$

OR



\begin{tabular}{|c|c|c|c|}
\hline \& \begin{tabular}{l}
\[
\begin{gathered}
=\left[\frac{1}{2} \times 8 \times 10^{-5} \times 4 \pi \times(0.5)^{2}\right] V \\
=12.56 \times 10^{-5} V
\end{gathered}
\] \\
OR
\[
\begin{gathered}
\varepsilon=\frac{-d \phi}{d t} \\
=-A \frac{d B}{d t} \\
=-A \frac{d B}{d x} \times \frac{d x}{d t}=-A v \frac{d B}{d x} \\
=-\left[(0.1)^{2} \times\left(-8 \times 10^{-3}\right)\right] V \\
= \\
8 \times 10^{-5} \mathrm{~V}
\end{gathered}
\]
\end{tabular} \& \(1 / 2\)
\(1 / 2\)

$1 / 2$
$1 / 2$
$1 / 2$
$1 / 2$
$1 / 2$ \& 2 <br>

\hline 10. \& | Diagram $1 / 2$ <br> Formula of Flux $1 / 2$ <br> Calculation of the net outward Flux 1$f l u x=\oint \stackrel{\rightharpoonup}{E} \cdot \stackrel{\rightharpoonup}{d s}$ |
| :--- |
| Alternatively $\emptyset=\int E d s \operatorname{Cos} \theta$ |
| Net outward flux $\emptyset=\int \vec{E} \cdot d \overrightarrow{s_{1}}+\int \vec{E} \cdot d \overrightarrow{s_{2}}+\int \vec{E} \cdot d \overrightarrow{s_{3}}$ $\begin{gathered} =\left[250 \times \pi \times\left(\frac{5}{100}\right)^{2}+250 \times \pi \times\left(\frac{5}{100}\right)^{2}+0\right] \mathrm{Wb} \\ =\left(\frac{5}{4} \pi\right) \mathrm{Wb} \\ (\cong 3.93) \mathrm{Wb} \end{gathered}$ |
| [Note: Award full 2 marks even if the students does a direct (correct) calculation of the net outward flux without drawing the diagram or writing the formula for flux. In | \& $1 / 2$

$1 / 2$

$1 / 2$ \& 2 <br>
\hline
\end{tabular}

\begin{tabular}{|c|c|c|c|}
\hline \& such a case, award 1 mark for correct substitutions and 1 mark for correct calculations. (Deduct \(1 / 2\) mark if the units for flux are not written)] \& \& \\
\hline 11. \& \begin{tabular}{l}
\begin{tabular}{|ll|}
\hline (a) Effect + Reason \& \(1 / 2+1 / 2\) \\
(b) Effect + Reason \& \(1 / 2+1 / 2\) \\
\hline
\end{tabular} \\
(a) \(I=\frac{V}{\sqrt{R^{2}+\omega^{2} L^{2}}}\) \\
When \(\omega\) increases, I decreases, \(\therefore\) brightness decreases \\
(b) \(I=\frac{V}{\sqrt{R^{2}+\frac{1}{\omega^{2} c^{2}}}}\) \\
When \(\omega\) increases, I increases, \(\therefore\) brightness increases \\
Alternatively: \\
(a) Brightness decreases \\
Reason: The impedance of \(L\) increases with an increase in angular frequency \(\omega\) \\
(b) Brightness increases \\
Reason: The impedance of C decreases with an increase in angular frequency \(\omega\)
\end{tabular} \& \(1 / 2\)

$1 / 2$
$1 / 2$
$1 / 2$ \& 2 <br>

\hline 12. \& | (a) Graph of em wave |
| :--- |
| (ii) Expression for speed of em wave |
| (a) |
| (b) |
| (i) $c=\frac{E_{0}}{B_{0}}$ |
| (ii) $c=\frac{1}{\sqrt{\epsilon_{0} \mu_{0}}}$ | \& 1

$1 / 2$
$1 / 2$ \& 2 <br>
\hline \& SECTION - C \& \& <br>

\hline 13. \& | (a) Reason for circular motion 1 <br> Expression for radius 1 <br> (b) Path of the particle when $\Theta \neq 90^{\circ}$ 1 |
| :--- |
| (a) $\quad \vec{F}=q(\vec{v} \times \overrightarrow{B)}$ |
| Force $\vec{F}$ on a moving charged particle in a magnetic field acts perpendicular to the | \& 1/2 \& <br>

\hline
\end{tabular}

\begin{tabular}{|c|c|c|c|}
\hline \& \begin{tabular}{l}
velocity vector at all instants. It therefore, changes only the direction of velocity without changing its magnitude. This results in a circular motion of the particle for which the force \(\vec{F}\) provides the needed centripetal force \(\left(=\frac{m v^{2}}{r}\right)\)
\[
\begin{aligned}
\& \text { Here } \mathrm{F}=\mathrm{qvB} \sin \Theta \\
\& \quad=\mathrm{qvB} \quad(\text { as } \Theta=\pi / 2) \\
\& \therefore \frac{m v^{2}}{r}=q v B \\
\& \therefore r=\frac{m v}{q B}
\end{aligned}
\] \\
(b) If \(\Theta \neq 90^{\circ}\), then velocity will have a component along \(\vec{B}\) also and the charged particle will move along \(\vec{B}\) with this component of velocity while describing circular motion in a plane perpendicular to \(\vec{B}\). Its motion is, therefore, helical. \\
[Note: Award this 1 mark even if a student just writes that the charged particle will describe a helical path / motion.] \\
OR \\
Working Principle: Cyclotron uses crossed electric and magnetic fields. Magnetic field makes the charged particle describe a circular path while electric field frequency is so adjusted as to accelerate the particle whenever it crosses the space between the dees. A relatively small electric field can then be used to accelerate particles to very high energy values. \\
Uses: (i) To accelerate charged particles to very high energies \\
(ii) To implant ions into solids to modify their properties. \\
[or any other use]
\end{tabular} \& \(1 / 2\)

$1 / 2$
$1 / 2$
$1 / 2$
1
1
1
$1 / 2$
$1 / 2$
1
1 \& $3{ }^{3}$ <br>

\hline 14. \& | (a) Definition 1 <br> SI Unit $1 / 2$ <br> (b) Derivation $11 / 2$ |
| :--- |
| (a) The power of a lens is a measure of its ability to converge or diverge a given | \& \& <br>

\hline
\end{tabular}

beam of light incident on it.

## Alternatively

The power of a lens equals the tangent of the angle by which it converges or diverges a beam of light falling at unit distance from its optical centre.

Alternatively

$\tan \delta=\frac{h}{f} \quad$, if $\mathrm{h}=1$ and for small angle

$$
\delta=1 / f \quad \text { thus } P=1 / f
$$

Alternatively

$$
\text { Power }=\frac{1}{\text { focal length }}
$$

The SI unit of power is the diopter (D)

## Derivation



For the first lens :

$$
\frac{1}{v_{1}}-\frac{1}{u}=\frac{1}{f_{1}}
$$

For the second lens:

$$
\frac{1}{v}-\frac{1}{v_{1}}=\frac{1}{f_{2}}
$$

Adding, we get

$$
\frac{1}{v}-\frac{1}{u}=\frac{1}{f_{1}}+\frac{1}{f_{2}}
$$

|  | $\frac{1}{f}=\frac{1}{f_{1}}+\frac{1}{f_{2}}$ <br> In terms of power, the relation becomes $P=P_{1}+P_{2}$ <br> Thus the power of two this lens, placed co-axially in contact with each other is the algebraic sum of their individual powers. | 1/2 | 3 |
| :---: | :---: | :---: | :---: |
| 15. | (a) Drift Velocity and its significance <br> Relaxation time and its significance $\begin{aligned} & 1 / 2+1 / 2 \\ & 1 / 2+1 / 2 \end{aligned}$ <br> (b) Change in drift velocity <br> (a) <br> Drift Velocity: It is the average velocity with which electrons move in a conductor when an external electric field (or potential difference) is applied across the conductor. <br> Significance: The drift velocity controls the net current flowing across any cross section./ There is no net transport of charges across any area perpendicular to the applied field. <br> Relaxation time: It is the average time between successive collisions for the drifting electrons in the conductor. <br> Significance: It is a (very important) factor in determining the electrical conductivity of a conductor at different temperatures. (It is a factor which determines the drift velocity acquired by the electrons under a given applied external electric field) <br> (b) $\begin{aligned} v_{d} & =\frac{e V}{m L} \tau \\ v_{d^{\prime}} & =\frac{e V}{m \times 5 L} \tau \\ & =\frac{v_{d}}{5} \end{aligned}$ <br> OR <br> Diagram <br> Expression for equivalent emf and internal resistance | $1 / 2$ $1 / 2$ $1 / 2$ $1 / 2$ $1 / 2$ $1 / 2$ $1 / 2$ $1 / 2$ | 3 |

\begin{tabular}{|c|c|c|c|}
\hline \& \begin{tabular}{l}
\[
\begin{aligned}
\& \mathrm{I}=\mathrm{I}_{1}+\mathrm{I}_{2} \\
\& =\left(\frac{E_{1}-V}{r_{1}}\right)+\left(\frac{E_{2}-V}{r_{2}}\right) \\
\& =\left(\frac{E_{1}}{r_{1}}+\frac{E_{2}}{r_{2}}\right)-V\left(\frac{1}{r_{1}}+\frac{1}{r_{2}}\right)
\end{aligned}
\] \\
Hence \(V=\left[\frac{E_{1} r_{2}+E_{2} r_{1}}{r_{1} r_{2}}\right]-I\left(\frac{r_{1} r_{2}}{r_{1}+r_{2}}\right)\)
\[
\therefore E_{e f f}=\frac{E_{1} r_{2}+E_{2} r_{1}}{r_{1} r_{2}}
\] \\
and \(\quad r_{e f f}=\frac{r_{1} r_{2}}{r_{1}+r_{2}}\)
\end{tabular} \& \(1 / 2\)
\(1 / 2\)
\(1 / 2\)
\(1 / 2\)
\(1 / 2\)
\(1 / 2\) \& 3 \\
\hline 16. \& \begin{tabular}{l}
(a) Writing the colour band sequence \\
(b) Explanation for transmission of electric power at high voltages. 2 \\
(a) The colour band sequence would be yellow, violet, brown, gold (Note: Award \(1 / 2\) mark if only two of the colours are correctly indicated as per the given sequence) \\
(b) Imagine that a device of resistance R , needs a power P for its working. If V is the voltages across R and I is the current through it, we have
\[
P=V I, \text { i.e. } I=\frac{P}{V}
\] \\
Let the transmission cables have a resistance \(\mathrm{R}_{\mathrm{c}}\), the power, dissipated in the connecting wires (say \(\mathrm{P}_{\mathrm{c}}\) ) is then given by
\[
\begin{gathered}
P_{c}=I^{2} R_{c} \\
=\frac{P^{2} R_{c}}{V^{2}}
\end{gathered}
\] \\
This power gets wasted as heat during transmission. We see that, to operate a device of power P , the power, wasted in the connecting wires is inversely proportional to \(\mathrm{V}^{2}\), therefore at high voltage, less power well get wasted in the transmission cables. \\
It follows that by transmitting power from power stations to homes/factories, via transmission cables, at high voltages, we can bring about a very significant reduction in the power wasted during transmission.
\end{tabular} \& 1
1
\(1 / 2\)

$1 / 2$
$1 / 2$
$1 / 2$
$1 / 2$ \& 3 <br>
\hline
\end{tabular}

| (a) Name and Principle of the device | $1 / 2+1 / 2$ |
| :--- | :---: |
| (b) Circuit diagram | 1 |
| Working | $1 / 2$ |
| (c) I- V characteristics | $1 / 2$ |

(a)

Zener diode is used as a voltage regulator
It works on the principle that after the breakdown voltage $\mathrm{V}_{\mathrm{Z}}$, a large change in the reverse current can be produced by an almost insignificant change in the reverse bias voltage
Alternatively: The Zener Voltage remains constant, even when the current through the Zener diode varies over a wide range.
(b)


If the input voltage increases the current through $\mathrm{R}_{\mathrm{S}}$ and Zener diode also increases. This increases the voltage drop across $\mathrm{R}_{\mathrm{S}}$ without any change in the voltage across the Zener diode. If input voltage decreases, the current through $\mathrm{R}_{\mathrm{S}}$ and Zener diode decreases. The voltage across $\mathrm{R}_{\mathrm{S}}$ decreases without any change in voltage across the Zener diode.
(c)


## OR

(a) Truth tables of AND and NOT gates $1+1 / 2$
(b) Obtaining OR gate from NAND gates $11 / 2$
(a) AND gate

| A | B | C |
| :---: | :---: | :---: |
| 0 | 0 | 0 |
| 0 | 1 | 0 |
| 1 | 0 | 0 |
| 1 | 1 | 1 |

\begin{tabular}{|c|c|c|c|}
\hline \& \begin{tabular}{l}
NOT gate \\
(b) \\
[Note: Award \(1 / 2\) mark if the student just writes the truth table of NAND gate without drawing any diagram]
\end{tabular} \& \(1 / 2\)
\[
11 / 2
\] \& 3 \\
\hline 18. \& \begin{tabular}{l}
\begin{tabular}{|cc|}
\hline (a) Need for radial magnetic field \& 1 \\
(b) (i) Magnetic field at the centre \& 1 \\
(ii) Magnetic Moment \& 1 \\
\hline
\end{tabular} \\
(a) We need a radial magnetic field to ensure that the deflection of the galvanometer needle is directly proportional to the current flowing through its coil. \\
Alternatively: A radial magnetic field ensures a linear( proportionality) relation between the deflection \((\theta)\) and the current flowing (I) in a moving coil galvanometer. \\
Alternatively: The cylindrical soft iron core, used for making the field radial , increases the strength of the magnetic field and brings about a linear relation between the deflection \((\theta)\) and the current (I) for a moving coil galvanometer. \\
(a) (i) Magnetic field at the centre
\[
\begin{gathered}
B_{o}=\frac{\mu_{0}}{2 r} N I \\
=\frac{4 \pi \times 10^{-7} \times 100 \times 3.2}{2 \times 10 \times 10^{-2}} \mathrm{~T} \\
\cong 2 \times 10^{-3} \mathrm{~T}=2 \mathrm{mT}
\end{gathered}
\] \\
(ii) Magnetic Moment \(=\) NIA \(100 \times 3.2 \times \pi \times\left(10^{-1}\right)^{2}\) ampere \((\text { meter })^{2}\)
\[
\cong 10 \mathrm{Am}^{2}
\]
\end{tabular} \& 1

$11 / 2$

$1 / 12$
$11 / 2$
$1 / 2$ \& 3 <br>

\hline 19. \& | Ray diagram | 1 |
| :--- | :--- |
| Derivation of lens formula | 2 | \& \& <br>

\hline
\end{tabular}



\begin{tabular}{|c|c|c|c|}
\hline \& \begin{tabular}{l}
\[
\begin{align*}
\& A^{\prime} B^{\prime} F \sim \Delta M P F \\
\& \frac{A^{\prime} B^{\prime}}{M P}=\frac{B^{\prime} F}{P F}=\frac{B^{\prime} P+P F}{P F} \\
\& \text { or } \quad \frac{A^{\prime} B^{\prime}}{A B}=\frac{B^{\prime} P+P F}{P F} \\
\& \Delta A^{\prime} B^{\prime} C \sim \Delta A B C \\
\& \frac{A^{\prime} B^{\prime}}{A B}=\frac{B^{\prime} C}{B C}=\frac{B^{\prime} P+P C}{P C-P B}  \tag{ii}\\
\& \text { or } \quad \frac{B^{\prime} P+P F}{P F}=\frac{B^{\prime} P+P C}{P C-P B} \\
\& \text { or } \quad \frac{v-f}{-f}=\frac{v-2 f}{-2 f+u}
\end{align*}
\] \\
Cross multiply and divide by uvf :
\[
\frac{1}{f}=\frac{1}{v}+\frac{1}{u}
\]
\end{tabular} \& \(1 / 2\)

$1 / 2$ \& 3 <br>

\hline 20. \& | (a) Plotting the graph |
| :--- |
| (b) Identification and justification in each case |
| (a) The required graph is as shown below |
| (b) (i) Blue light will emit photo electrons having greater kinetic energy . |
| Reason: The frequency of blue light (/ the energy of a photon of blue light) is more than the frequency of green light (/ the energy of photon of green light) |
| (ii) The photo current will be (nearly) equal for both the lights. |
| Reason : For a given intensity the saturation value of the photo electric effect is (nearly) independent of the frequency of the incident light. |
| [Alternatively: This has been shown in the graph drawn in part (a) of this question] | \& 1

$1 / 2$
$1 / 2$
$1 / 2$
$1 / 2$
$1 / 2$ \& 3 <br>

\hline 21. \& | (a) Circuit diagram for studying the characteristics of an npn transistor 1 |
| :--- |
| (b) Finding the input resistance and current gain | \& \& <br>

\hline
\end{tabular}



\begin{tabular}{|c|c|c|c|}
\hline 22. \& \begin{tabular}{l}
\begin{tabular}{|ll|}
\hline (a) Explanation of amplitude modulation \& \(11 / 2\) \\
(b) Calculation of modulation index \& \(1 \frac{1}{2}\) \\
\hline
\end{tabular} \\
[Note: Award 1 mark here if the student just draws the diagram of the amplitude, modulated wave without drawing the 'carrier wave' and the 'message signal' diagrams] \\
(b)
\[
\begin{array}{r}
a_{m}+a_{c}=20 \mathrm{~V} \\
a_{c}-a_{m}=5 \mathrm{~V} \\
\Rightarrow a_{c}=12.5 \mathrm{~V} \\
a_{m}=12.5 \mathrm{~V} \\
\text { Modulation index } \mu=\frac{a_{m}}{a_{c}} \\
=\frac{7.5}{12.5}=0.6
\end{array}
\]
\end{tabular} \& \(1 / 2\)
\(1 / 2\)
\(1 / 2\)

$1 / 2$ \& 3 <br>

\hline 23. \& | (a) Highest energy level to which atom will be excited 1 <br> (b) Calculation of longest Lyman wavelength 1 <br> (c) Calculation of longest Balmer wavelength 1 |
| :--- |
| (a) Maximum Energy that the excited hydrogen atom can have is $\begin{aligned} & \mathrm{E}=-13.6 \mathrm{eV}+12.5 \mathrm{eV}=-1.1 \mathrm{eV} \\ & \text { Now } E_{3}=\frac{-13.6}{3^{2}} \mathrm{eV}=-1.5 \mathrm{eV} \quad(<(-1.1 \mathrm{eV})) \\ & E_{4}=\frac{-13.6}{4^{2}} \mathrm{eV}=-0.85 \mathrm{eV} \quad(>(-1.1 \mathrm{eV})) \end{aligned}$ |
| It follows that the electron can only be excited up to the $\mathrm{n}=3$ state. |
| (b) Longest wavelength of Lyman series: $\begin{gathered} \frac{1}{\lambda_{L}}=R\left[\frac{1}{1^{2}}-\frac{1}{2^{2}}\right]=R \cdot \frac{3}{4} \\ \therefore \lambda_{L}=\frac{4}{3} \times \frac{1}{R} \\ =\frac{4}{3 \times 1.1 \times 10^{7}} m \cong 1218 A^{0} \end{gathered}$ |
| Longest wavelength of Balmer series: $\frac{1}{\lambda_{B}}=R\left[\frac{1}{2^{2}}-\frac{1}{3^{2}}\right]$ | \& $1 / 2$

$1 / 2$
$1 / 2$
$1 / 2$

$1 / 2$
$1 / 2$
$1 / 2$ \& <br>
\hline
\end{tabular}

\begin{tabular}{|c|c|c|c|}
\hline \& \[
\begin{gathered}
=\frac{5 R}{36} \\
\lambda_{B}=\left(\frac{36^{2}}{5 \times 1.1 \times 10^{7}}\right) m \approx 6560 A^{0}
\end{gathered}
\] \& 1/2 \& 3 \\
\hline 24. \& \begin{tabular}{l}
(a) Explanation for formation of diffraction pattern \\
(a) \\
Path difference, NP-LP=NQ
\[
\begin{aligned}
\& =\mathrm{a} \sin \theta \\
\& \approx a \theta
\end{aligned}
\] \\
At C on the screen, \(\theta=0^{0}\). All path differences are zero and hence all wavelets meet in phase and produce a maxima at C . \\
At points P on the screen for which path difference is \(\lambda, 2 \lambda, 3 \lambda, \ldots . . \mathrm{n} \lambda\); the wavelets will cancel each other in pairs and produce minima. \\
\(\therefore a \theta=n \lambda\)--------- condition for minima
\[
(n=1,2, \ldots \ldots \ldots)
\] \\
At points P on the screen for which path difference is \(\frac{\lambda}{2}, 3 \frac{\lambda}{2}, \ldots \ldots \ldots \ldots \ldots\),
\[
(2 n+1) \frac{\lambda}{2}
\] \\
The wavelets produce a maxima due to one uncancelled part of the wavefront.
\[
\begin{gathered}
\therefore a \theta=(2 n+1) \frac{\lambda}{2}-\cdots----- \text { condition for maxima } \\
(\mathrm{n}=1,2, \ldots \ldots \ldots)
\end{gathered}
\] \\
(b) separation between \(1^{\text {st }}\) secondary maxima of the two wavelengths
\[
\begin{aligned}
\& =\frac{3 D}{2 d}\left(\lambda_{2}-\lambda_{1}\right) \\
\& =\frac{3 \times 1.5}{2 \times 2 \times 10^{-4}} \times 60 \times 10^{-10} \mathrm{~m}
\end{aligned}
\]
\end{tabular} \& \(1 / 2\)

$11 / 2$
$11 / 2$
$1 / 2$
$1 / 2$ \& <br>
\hline
\end{tabular}



$$
\begin{aligned}
& \frac{x d}{D}=\left(n+\frac{1}{2}\right) \lambda \\
& x_{n}=\frac{\left(n+\frac{1}{2}\right) \lambda D}{d}
\end{aligned}
$$

For $(\mathrm{n}+1)^{\text {th }}$ dark fringe

$$
x_{n+1}=\frac{\left(n+\frac{3}{2}\right) \lambda D}{d}
$$

Fringe width $\beta=x_{n+1}-x_{n}$

$$
\left.=\frac{\lambda D}{d}\right]
$$

(c) The intensity at a point on the screen where waves meet with a phase difference ( $\phi$ ), is given by

$$
I=4 I_{0} \cos ^{2} \phi / 2
$$

Phase difference $(\varphi)$ when path difference is ' $x$ '

$$
\begin{gathered}
\phi=\frac{2 \pi}{\lambda} \cdot x \\
\therefore \text { for } \mathrm{x}=\lambda, \text { we have } \\
\phi=2 \pi \\
\therefore \text { Intensity } I=4 I_{0} \cos ^{2} \pi=K \\
\therefore 4 I_{0}=K \\
\therefore I_{0}=K / 4
\end{gathered}
$$

Phase difference, when path difference is $\lambda / 4$, is

$$
\begin{aligned}
& \phi^{\prime}=\frac{2 \pi}{\lambda} \cdot \lambda / 4=\pi / 2 \\
& \therefore I^{\prime}=4 I_{0} \cos ^{2} \pi / 4 \\
& =2 \mathrm{I}_{0} \\
& \quad=2 \frac{K}{4}=K / 2
\end{aligned}
$$

OR
(a) Sketch of the refracted wave front1

(b) Verification of laws of refraction
(c) Estimation of speed and wavelength

26.
(a) Derivation of expression for the resultant capacitance in
(i) parallel (ii) series $11 / 2+11 / 2$
(b) Calculation of energy stored in the $12 \mu \mathrm{f}$ capacitor 2
(a) (i) Parallel


$$
\text { But } \mathrm{Q}=\mathrm{Q}_{1}+\mathrm{Q}_{2}+\mathrm{Q}_{3}
$$

$$
\therefore \mathrm{Q}=\mathrm{C}_{1} \mathrm{~V}+\mathrm{C}_{2} \mathrm{~V}+\mathrm{C}_{3} \mathrm{~V}
$$

$$
\therefore C V=C_{1} V+C_{2} V+C_{3} V
$$

$$
C=C_{1}+C_{2}+C_{3}
$$

(ii) Series


Potential difference across the plates of the three capacitors are:

$$
\begin{gathered}
V_{1}=\frac{Q}{C_{1}} \\
V_{2}=\frac{Q}{C_{2}} \\
V_{3}=\frac{Q}{C_{3}} \\
\text { But } \mathrm{V}=\mathrm{V}_{1}+\mathrm{V}_{2}+\mathrm{V}_{3} \\
V=\frac{Q}{C_{1}}+\frac{Q}{C_{2}}+\frac{Q}{C_{3}} \\
\therefore \frac{Q}{C}=\frac{1}{C_{1}}+\frac{1}{C_{2}}+\frac{1}{C_{3}} \\
\therefore \frac{1}{C_{e q}}=\frac{1}{C_{1}}+\frac{1}{C_{2}}+\frac{1}{C_{3}}
\end{gathered}
$$

(b) Potential difference across the capacitor of $4 \mu \mathrm{f}$ capacitance

|  | $\begin{gathered} V=\frac{Q}{C}=\frac{16 \mu C}{4 \mu F} \\ =4 \mathrm{~V} \end{gathered}$ <br> Potential across $12 \mu \mathrm{f}$ capacitor $\begin{aligned} & =12 \mathrm{~V}-4 \mathrm{~V} \\ & =8 \mathrm{~V} \end{aligned}$ <br> Energy stored on this capacitor $\begin{gathered} U=\frac{1}{2} C V^{2} \\ =\frac{1}{2}\left(12 \times 10^{-6}\right) 8^{2} \text { joule } \\ =6 \mathrm{X} 64 \times 10^{-6} \text { joule } \\ =384 \times 10^{-6} \mathrm{~J} \\ =384 \mu \mathrm{~J} \end{gathered}$ <br> OR <br> (a) Derivation of expression for the Electric field (i) inside (ii) outside <br> (b) Graphical variation of the Electric field <br> (c) Calculation of Electric flux <br> (a) (i) Inside <br> The point P is inside the spherical shell. The Gaussian surface is a sphere through P centered at ' $O$ ' <br> Flux through this surface $=\mathrm{E} \times 4 \pi \mathrm{r}^{2}$ <br> However there is no charge enclosed by this Gaussian surface. Hence using Gauss's Law $\begin{gathered} \mathrm{E} \times 4 \pi \mathrm{r}^{2}=0 \\ \quad \Rightarrow \mathrm{E}=0 \end{gathered}$ <br> Outside | 1/2 |  |
| :---: | :---: | :---: | :---: |
|  |  |  |  |
|  |  | $1 / 2$ $1 / 2$ |  |
|  |  |  |  |
|  |  | 1/2 |  |
|  |  |  |  |
|  |  | 1/2 |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |
|  |  | 1/2 |  |
|  |  | 1/2 |  |
|  |  |  |  |
|  |  | 1/2 |  |
|  |  |  |  |

\begin{tabular}{|c|c|c|c|}
\hline \& \begin{tabular}{l}
To calculate Electric Field \(\vec{E}\) at the outside point P, we take the Gaussian surface to be a sphere of radius ' \(r\) ' and with center \(O\), passing through \(P\). \\
Electric Flux through the Gaussian surface
\[
\varphi=E \times 4 \pi r^{2}
\] \\
Charge enclosed by this the Gaussian surface \(=\sigma \times 4 \pi R^{2}\) \\
By Gauss's Law
\[
E \times 4 \pi r^{2}=\frac{\sigma \times 4 \pi R^{2}}{\epsilon_{0}}=q / \epsilon_{0}
\] \\
Where \(\mathrm{q}=\) total charge on the spherical shell.
\[
\begin{gathered}
\therefore E=\frac{q}{4 \pi \epsilon_{0} r^{2}} \\
\vec{E}=\frac{1}{4 \pi \epsilon_{0}^{\prime}} \frac{q}{r^{2}} \hat{r}
\end{gathered}
\] \\
(b) \\
(c) Electric flux passing through the square sheet
\[
\begin{aligned}
\& \phi=\int \vec{E} \cdot \overrightarrow{d s} \\
\& =\mathrm{EA} \cos \Theta \\
\& =200 \times 0.01 \times \cos 60^{\circ} \\
\& =1.0 \mathrm{Nm}^{2} / \mathrm{C}
\end{aligned}
\] \\
[Note: The student may do the calculation by taking \(\Theta=30^{\circ}\) and get \(\sqrt{3} \mathrm{Nm}^{2} / \mathrm{C}\) as the answer. In that case award \(1 / 2\) mark only for part (c)]
\end{tabular} \& \(1 / 2\)
\(1 / 2\)

$1 / 2$
1
1
$1 / 2$ \& 5 <br>

\hline 27. \& | (a) Derivation of the expression for the average power 3 <br> (b) Definition of terms (i) watt less current (ii) Quality factor $1+1$ |
| :--- |
| (a) Power at any instant ' $t$ ' $\begin{gathered} \mathrm{P}=\mathrm{Vi} \\ =\left(V_{m} \sin w t\right)\left(i_{m} \sin (w t+\varphi)\right) \end{gathered}$ | \& 1/2 \& <br>

\hline
\end{tabular}



```
(a) Statement of Faraday's Laws
1
(b) Derivation of the expression for the emf induced across the ends of a
straight conductor
2
(c) Derivation of Magnetic energy stored
2
```

(a) (i) Whenever there is a change in magnetic flux linked with a coil, an emf is induced in the coil, however it lasts so long as magnetic flux keeps on changing.
(ii) The magnitude of the induced emf is equal to the rate of change of magnetic flux through the circuit

## Alternatively

$$
\varepsilon=\frac{-d \phi}{d t}
$$

(b)


Straight conductor PQ of length ' l ' is moving with velocity ' v ' in uniform magnetic field $B$, which is perpendicular to the plane of the system.

Length $\mathrm{RQ}=\mathrm{x}, \mathrm{RS}=\mathrm{PQ}=1$
Instantaneous flux $=($ normal $)$ field $\times$ area
The magnetic flux $\left(\phi_{B}\right)$ enclosed by the loop PQRS,

$$
\therefore \phi_{\mathrm{B}}=\mathrm{Blx}
$$

Since ' $x$ ' is changing with time, there is a change of magnetic flux. The rate of change of this magnetic flux determines the induced emf

$$
\begin{gathered}
\therefore e=\frac{-d \phi}{d t}=\frac{-d}{d t}(B l x) \\
=-B l \frac{d x}{d t} \\
e=B l v \\
\text { as } \frac{d x}{d t}=-v
\end{gathered}
$$

(c) Work done (that gets stored as the magnetic potential energy) when current ' $I$ ' flows in the solenoid.


