



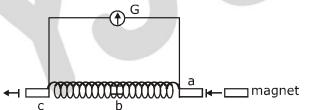
**Q.4** On the x-axis and at a distance x from the origin, the gravitational field due a mass distribution is given by  $\frac{Ax}{(x^2 + a^2)^{3/2}}$  in the x-direction. The magnitude of gravitational potential on the x-axis at a distance x, taking its value to be zero at infinity, is:

(1) 
$$A(x^2 + a^2)^{3/2}$$
 (2)  $\frac{A}{(x^2 + a^2)^{1/2}}$  (3)  $A(x^2 + a^2)^{1/2}$  (4)  $\frac{A}{(x^2 + a^2)^{3/2}}$ 

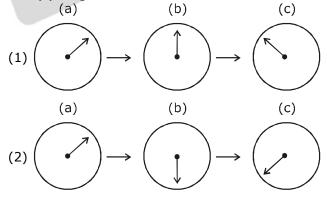
Sol. 2

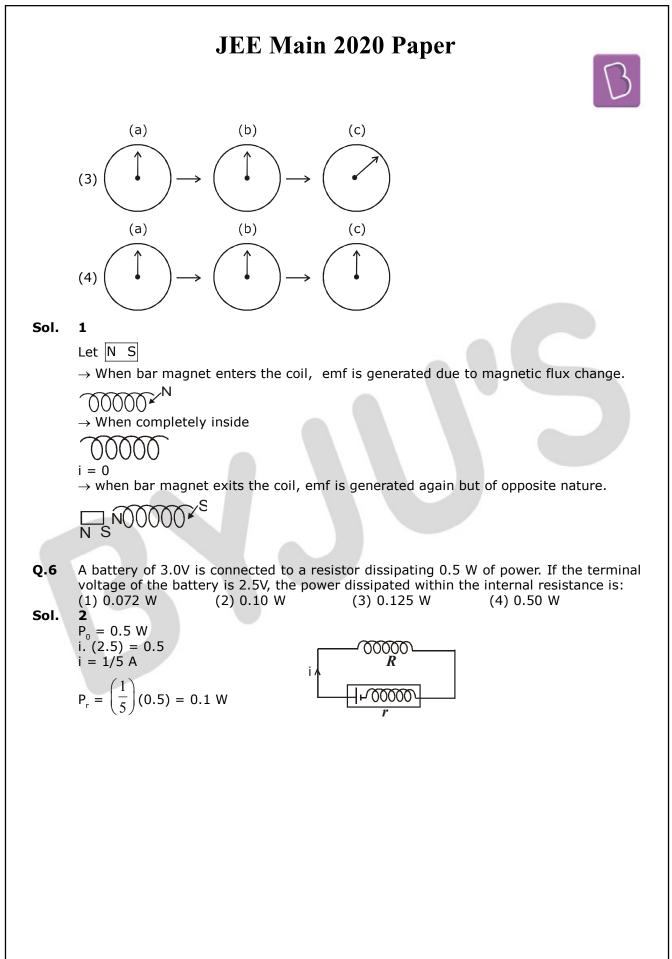
$$E_{x} = \frac{Ax}{(x^{2} + a^{2})^{3/2}}$$
$$\frac{-dV}{dx} = \frac{Ax}{(x^{2} + a^{2})^{3/2}}$$
$$\int_{0}^{V} dV = -\int_{\infty}^{x} \frac{Ax}{(x^{2} + a^{2})^{3/2}} dx$$
$$V = \frac{A}{(x^{2} + a^{2})^{1/2}}$$

**Q.5** A small bar magnet is moved through a coil at constant speed from one end to the other. Which of the following series of observations will be seen on the galvanometer G attached across the coil?



Three positions shown describe: (a) the magnet's entry (b) magnet is completely inside and (c) magnet's exit.

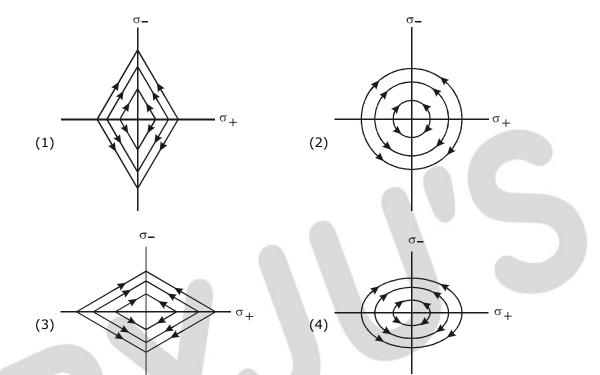




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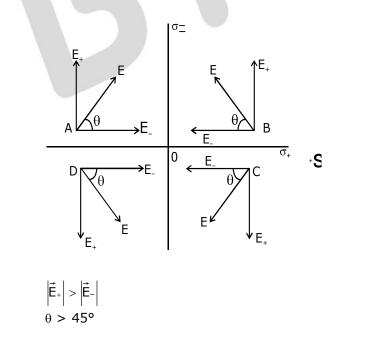


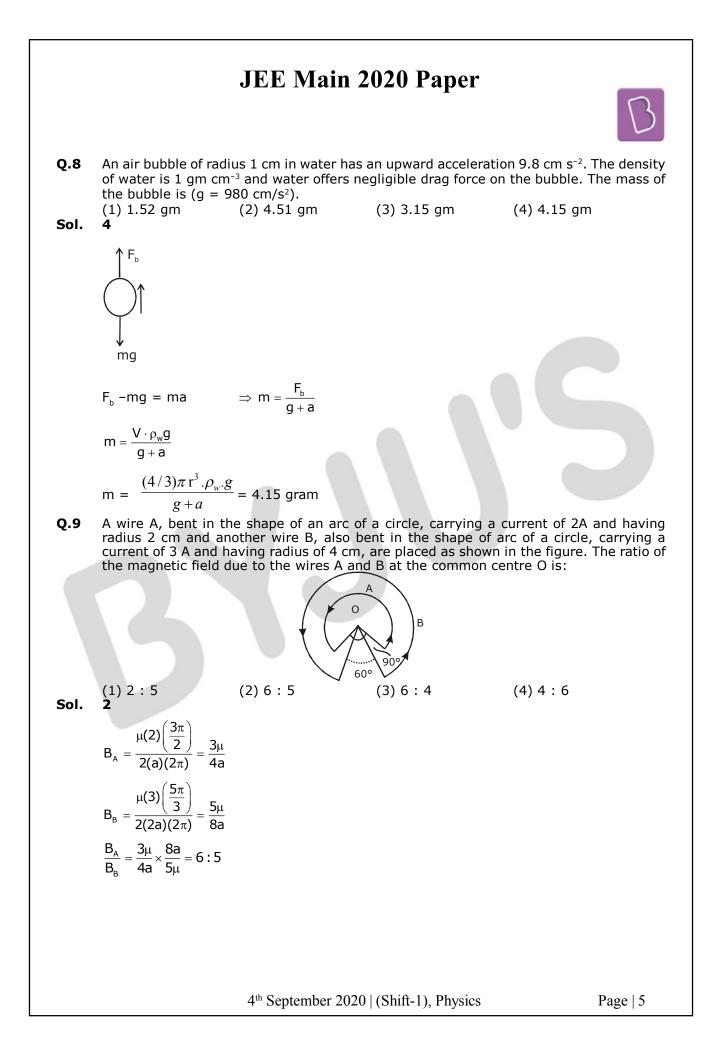
**Q.7** Two charged thin infinite plane sheets of uniform surface charge density  $\sigma_+$  and  $\sigma_-$ , where  $|\sigma_+| > |\sigma_-|$ , intersect at right angle. Which of the following best represents the electric field lines for this system:





Let us choose points A,B,C,D as shown to understand the direction of net electric field to get a better picture.







**Q.10** Particle A of mass  $m_A = \frac{m}{2}$  moving along the x-axis with velocity  $v_0$  collides elastically with another particle B at rest having mass  $m_B = \frac{m}{3}$ . If both particles move along the x-axis after the collision, the change  $\Delta \lambda$  in de-Broglie wavlength of particle A, in terms of its de-Broglie wavelength ( $\lambda_0$ ) before collision is:

(1)  $\Delta \lambda = \frac{5}{2} \lambda_0$  (2)  $\Delta \lambda = 2\lambda_0$  (3)  $\Delta \lambda = 4\lambda_0$  (4)  $\Delta \lambda = \frac{3}{2} \lambda_0$ 

Sol.

Speed of particle A after collision will be,

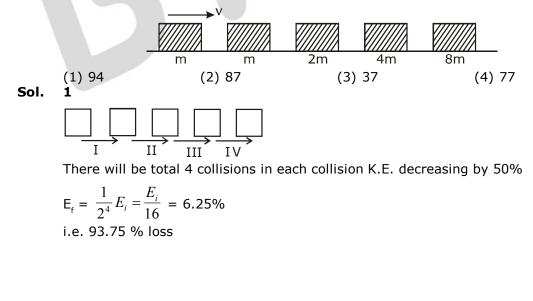
$$V_{1} = \frac{m_{1} - m_{2}}{m_{1} + m_{2}} \cdot u_{1} + \frac{2m_{2}}{m_{1} + m_{2}} \cdot u_{2}$$
$$V_{1} = \frac{\frac{m}{2} - m/3}{\frac{m}{2} + m/3} V_{0} = V_{0}/5$$

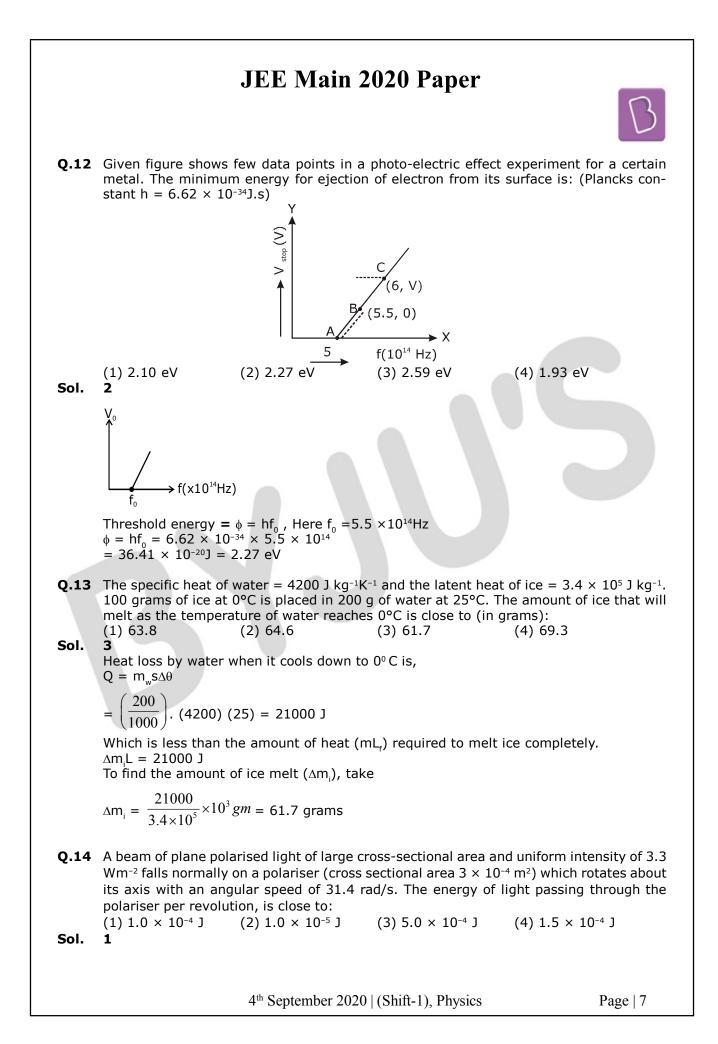
de-Broglie wave length of particle A after collision will be

$$\lambda' = \frac{h}{\frac{m}{2} \cdot \frac{V_0}{5}} = 5 \cdot \frac{h}{\frac{m}{2} \cdot V_0} = 5\lambda_0$$

 $\Rightarrow$  change in wavelength  $\Delta \lambda = 4\lambda_0$ 

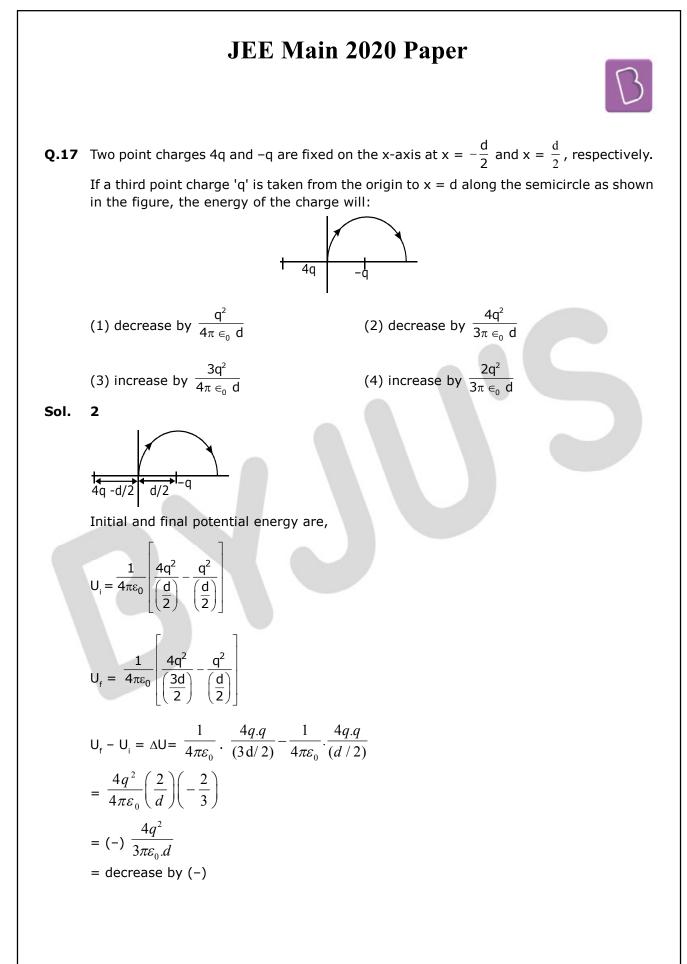
**Q.11** Blocks of masses m, 2m, 4m and 8m are arranged in a line on a frictionless floor. Another block of mass m, moving with speed v along the same line (see figure) collides with mass m in perfectly inelastic manner. All the subsequent collisions are also perfectly inelastic. By the time the last block of mass 8m starts moving the total energy loss is p% of the original energy. Value of 'p' is close to:





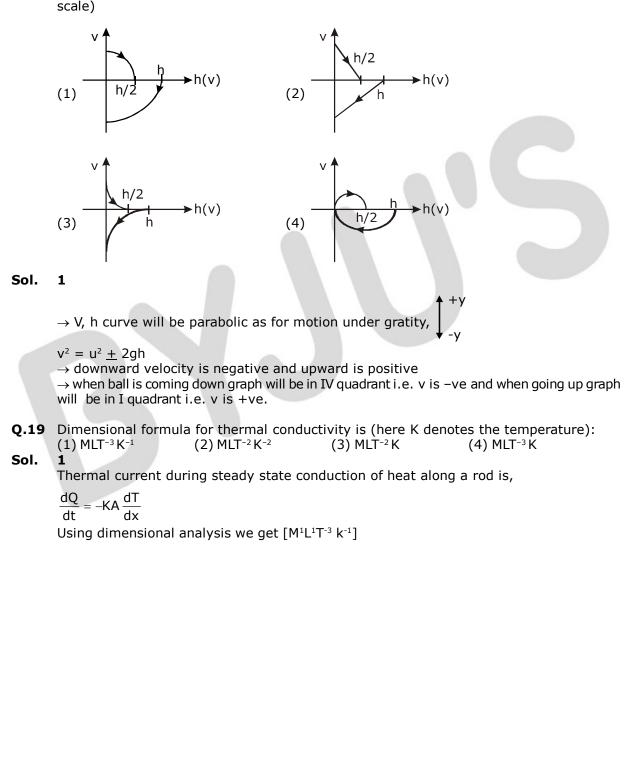
From Malus's law  $p = p_0 \cos^2 \omega t$ here,  $p_0$  and p are incident and transmitted intensity respectively.  $E_{avg} = \langle p \rangle A \cdot T = \frac{p_0}{2} T A$  $\mathsf{E}_{\mathsf{avg}} = \langle \mathsf{P} \rangle. \ \mathsf{TA} = \frac{p_0}{2} \cdot \frac{2\pi}{\omega} \mathsf{A} = \frac{3.3 \times 3.14 \times 3 \times 10^{-4}}{31.4} = 9.9 \times 10^{-5} \approx 10 \times 10^{-5} \approx 1 \times 10^{-4} \, \mathsf{J}$ **Q.15** For a transverse wave travelling along a straight line, the distance between two peaks (crests) is 5m, while the distance between one crest and one trough is 1.5m. The possible wavelengths (in m) of the waves are: (1) 1, 3, 5,.... (2) 1, 2, 3,.... (3)  $\frac{1}{2}, \frac{1}{4}, \frac{1}{6}, \dots$  $(4) \frac{1}{1}, \frac{1}{3}, \frac{1}{5}, \dots$ Sol. 4 Given trough to crest distance  $1.5 = (2n_1 + 1) \lambda/2$ ...(1) and crest to crest distance is  $5 = n_2 \lambda$ ...(2) n<sub>1</sub> & n<sub>2</sub> are integer  $n_1 = 1, n_2 = 5$  $n_1 = 2$ ,  $n_2$  is not integer  $n_1 = 3$ ,  $n_2$  is not integer  $n_1 = 4, n_2 = 15, \qquad \lambda = 1/3$ **Q.16** Match the  $C_p/C_v$  ratio for ideal gases with different type of molecules: Molecule Type C<sub>P</sub>/C<sub>V</sub> (I) 7/5 (A) Monoatomic (B) Diatomic rigid molecules (II) 9/7 (C) Diatomic non-rigid molecules (III) 4/3 (D) Triatomic rigid molecules (IV) 5/3 (1) (A)-(III), (B)-(IV), (C)-(II), (D)-(I) (2) (A)-(IV), (B)-(II), (C)-(I), (D)-(III) (3) (A)-(II), (B)-(III), (C)-(I), (D)-(IV) (4) (A)-(IV), (B)-(I), (C)-(II), (D)-(III) Sol. 4  $\gamma = C_{p}/C_{v}$  $\gamma_A = 1 + \frac{2}{3} = 5/3$  $\gamma_{\rm B} = 1 + \frac{2}{5} = 7/5$  $\gamma_{\rm c} = 1 + \frac{2}{7} = 9/7$  $\gamma_{\rm D} = 1 + \frac{2}{6} = 4/3$ 

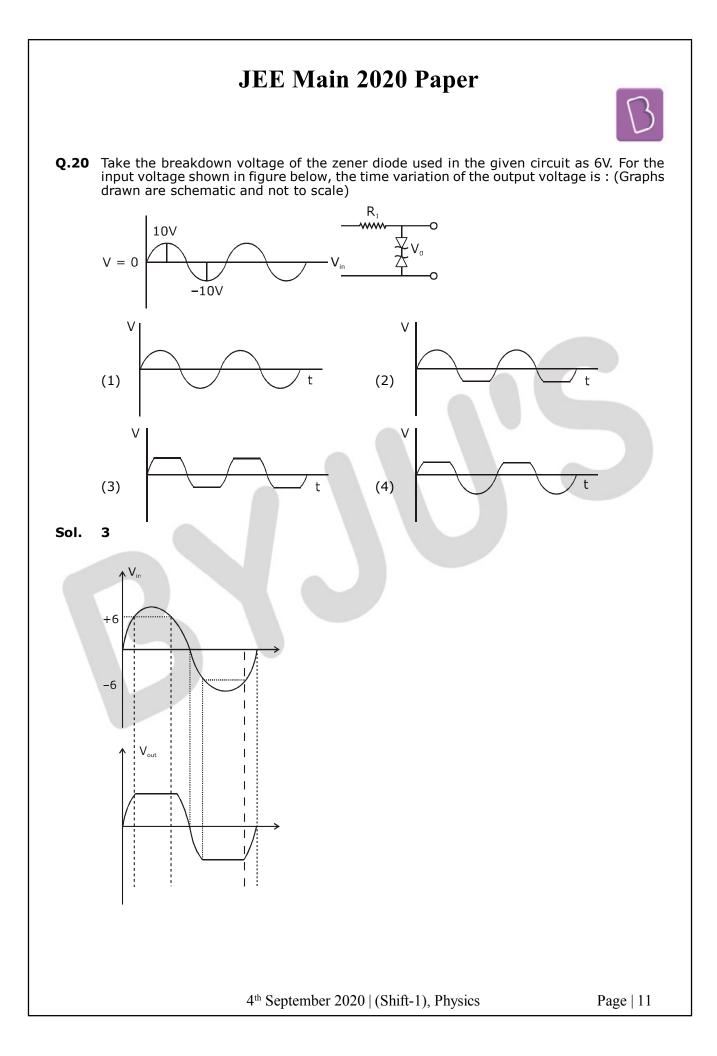
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**Q.18** A Tennis ball is released from a height h and after freely falling on a wooden floor it rebounds and reaches height  $\frac{h}{2}$ . The velocity versus height of the ball during its motion may be represented graphically by: (graphs are drawn schematically and are not to scale)





**Q.21** In the line spectra of hydrogen atoms, difference between the largest and the shortest wavelengths of the Lyman series is 304Å. The corresponding difference for the Paschen series in Å is : \_\_\_\_\_\_.

#### Sol. 10553

For shortest wave length in Lyman, we have

$$\frac{1}{\lambda} = \mathsf{R}[1] \text{ (i.e. } \mathsf{n} = \infty \text{ to } \mathsf{n} = 1\text{)}$$

For longest wave length in Lyman

$$\frac{1}{\lambda'} = R\left[1 - \frac{1}{4}\right] = \frac{3R}{4}$$

In Paschen series, for shortest wave length

$$\frac{1}{\lambda_{\rm s}} = {\rm R}\left(\frac{1}{3^2} - \frac{1}{\left(\infty\right)^2}\right)$$

$$\frac{1}{\lambda_s} = R\left(\frac{1}{3^2}\right) = \frac{R}{9}$$

And for longest wave length

$$\frac{1}{\lambda_l} = R\left(\frac{1}{3^2} - \frac{1}{4^2}\right) = \frac{7R}{144}$$

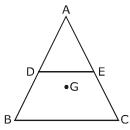
Now, taking ratio we get  $(\lambda_{l} - \lambda_{s}) = 10553 \text{ Å}$ 

Q.22 A closed vessel contains 0.1 mole of a monoatomic ideal gas at 200 K. If 0.05 mole of the same gas at 400 K is added to it, the final equilibrium temperature (in K) of the gas in the vessel will be close to \_\_\_\_\_.
 Sol. 267

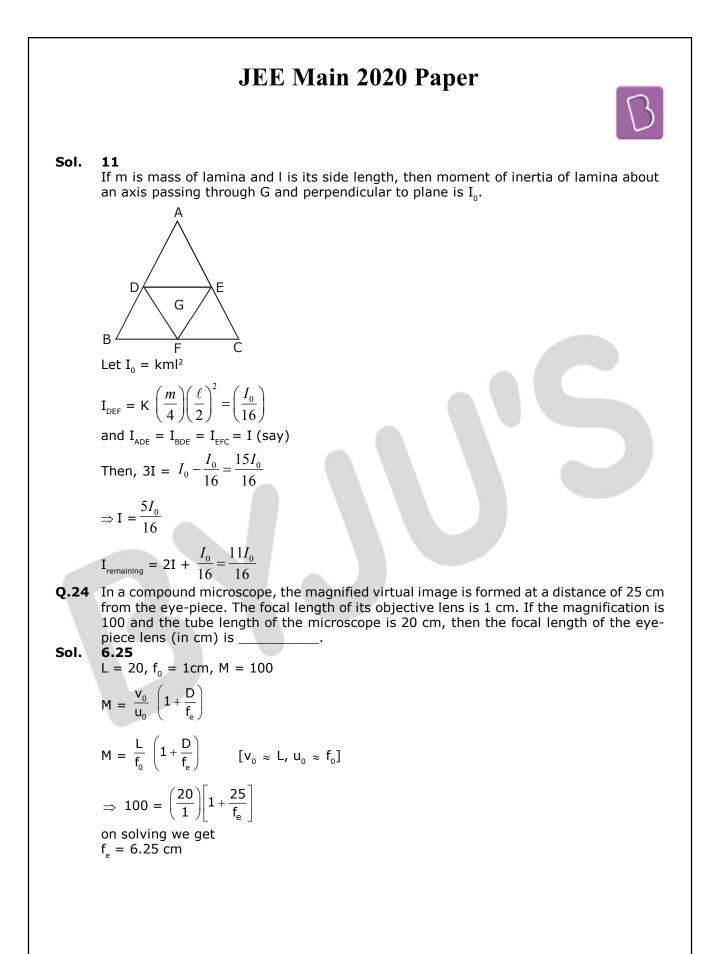
(0.1) 
$$\left(\frac{3}{2}R\right)$$
 (T-200) = (0.05)  $\left(\frac{3}{2}R\right)$  (400-T)  
T = 266.6 K

**Q.23** ABC is a plane lamina of the shape of an equilateral triangle. D, E are mid points of AB, AC and G is the centroid of the lamina. Moment of inertia of the lamina about an axis passing through G and perpendicular to the plane ABC is  $I_0$ . If part ADE is removed, the

moment of inertia of the remaining part about the same axis is  $\frac{NI_0}{16}$  where N is an integer. Value of N is \_\_\_\_\_.



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**Q.25** A circular disc of mass M and radius R is rotating about its axis with angular speed  $\omega_1$ . If another stationary disc having radius  $\frac{R}{2}$  and same mass M is droped co-axially on to the rotating disc. Gradually both discs attain constant angular speed  $\omega_2$ . The energy lost in the process is p% of the initial energy. Value of p is \_\_\_\_\_. **Sol. 20** 

$$20$$

$$I_{f} \omega_{f} = I_{i} \omega_{i}$$

$$I_{i} = \frac{MR^{2}}{2}$$

$$I_{f} = \frac{MR^{2}}{2} + \frac{M(R/2)^{2}}{2}$$

$$= \frac{5}{4} \cdot \frac{MR^{2}}{2}$$

$$\left[\frac{MR^{2}}{2} + \frac{M}{2}\left(\frac{R}{2}\right)^{2}\right]\omega' = \left(\frac{MR^{2}}{2}\right)^{2}$$

$$\left[\frac{MR^{2}}{2} \cdot \left(\frac{5}{4}\right)\right]\omega' = \frac{MR^{2}}{2}\omega$$

$$\omega = \frac{1}{5} \omega$$
loss of K.E. =  $\frac{Loss}{K_i} \times 100 = \frac{\omega^2 - \omega^{12} (5/4)}{\omega^2} \times 100$ 

$$\frac{\omega^2 - \frac{16}{25} \omega^2 (\frac{5}{4})}{\omega^2} = \left(1 - \frac{80}{100}\right) \times 100 = 20\%$$

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