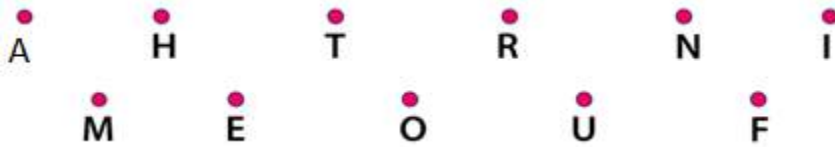


EXERCISE 10.2

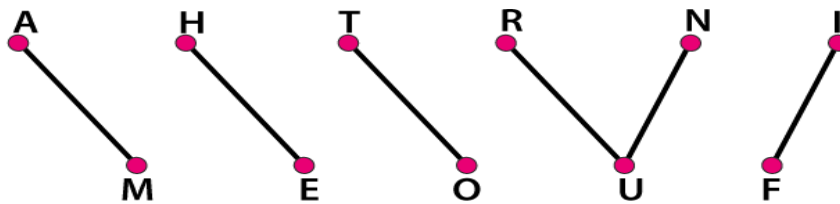
PAGE: 10.13

1. In Fig. 10.32, points are given in two rows. Join the points AM, HE, TO, RUN, IF. How many line segments are formed?

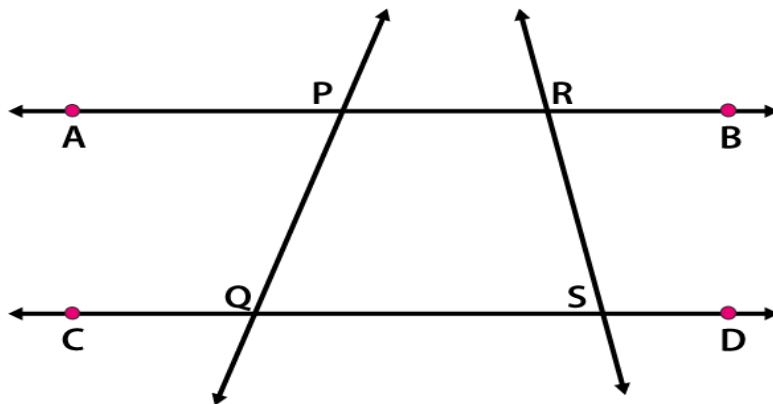


Solution:

From the figure we know that if the points AM, HE, TO, RUN and IF are joined six line segments are formed.



2. In Fig. 10.33, name:



- (i) Five line segments
- (ii) Five rays
- (iii) Non-intersecting line segments

Solution:

(i) Five line segments are PQ, RS, PR, QS and AP.

(ii) Five rays are \overrightarrow{QC} , \overrightarrow{SD} , \overrightarrow{PA} , \overrightarrow{RB} , \overrightarrow{RA} .

(iii) Non-intersecting line segments are PR and QS.

3. In each of the following cases, state whether you can draw line segments on the given surfaces:

- (i) The face of a cuboid.
- (ii) The surface of an egg or apple.
- (iii) The curved surface of a cylinder.
- (iv) The curved surface of a cone.
- (v) The base of a cone.

Solution:

- (i) Yes. Line segments can be drawn on the face of a cuboid.
- (ii) No. Line segments can be drawn on the surface of an egg or apple.
- (iii) Yes. Line segments can be drawn on the curved surface of a cylinder.
Every line segment parallel to the axis of a cylinder on the curved surface will be a line segment.
- (iv) Yes. Line segments can be drawn on the curved surface of a cone.
Every line segment joining the vertex of a cone and any point on the circumference of the cone will be a line segment.
- (v) Yes. Line segments can be drawn on the base of a cone.

4. Mark the following points on a sheet of paper. Tell how many line segments can be obtained in each case:

- (i) Two points A, B.
- (ii) Three non-collinear points A, B, C.
- (iii) Four points such that no three of them belong to the same line.
- (iv) Any five points so that no three of them are collinear.

Solution:

- (i) Two points A, B.
So the number of line segments = $[n(n - 1)]/2 = [2(2 - 1)]/2 = 1$
- (ii) Three non-collinear points A, B, C.
So the number of line segments = $[n(n - 1)]/2 = [3(3 - 1)]/2 = 3$
- (iii) Four points such that no three of them belong to the same line.
So the number of line segments = $[n(n - 1)]/2 = [4(4 - 1)]/2 = 6$
- (iv) Any five points so that no three of them are collinear.
So the number of line segments = $[n(n - 1)]/2 = [5(5 - 1)]/2 = 10$

5. Count the number of a line segments in Fig. 10.34.



Solution:

AB, AC, AD, AE, BC, BD, BE, CD, CE and DE are the line segments in the given figure.

Hence, there are 10 line segments.

6. In Fig. 10.35, name all rays with initial points as A, B and C respectively.

- (i) Is ray \overrightarrow{AB} different from ray \overrightarrow{AC} ?
(ii) Is ray \overrightarrow{BA} different from ray \overrightarrow{CA} ?
(iii) Is ray \overrightarrow{CP} different from ray \overrightarrow{CQ} ?



Solution:

- (i) No. The origin point is same for both the rays \overrightarrow{AB} and \overrightarrow{AC} .
(ii) Yes. The origin point is different for both the rays \overrightarrow{BA} and \overrightarrow{CA} .
(iii) Yes. The rays \overrightarrow{CP} and \overrightarrow{CQ} are in opposite directions.

7. Give three examples of line segments from your environment.

Solution:

The three examples of line segments are
Metal outline of glass door sliding.
Grooves which is present in the wooden flooring.
Tile floor which contains grout lines.