

EXERCISE 3.7

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Find the square root of the following numbers in decimal form: 1. 84.8241 Solution:

By using long division method

 $\therefore \text{ the square root of } 84.8241 \\ \sqrt{84.8241} = 9.21$

2.0.7225

Solution: By using long division method

 $\therefore \text{ the square root of } 0.7225 \\ \sqrt{0.7225} = 0.85$

3. 0.813604

Solution:

By using long division method





: the square root of 0.813604 $\sqrt{0.813604} = 0.902$

4. 0.00002025

Solution:

By using long division method 0.0045

0.00002025		
0 0 0		
20		
16		
425		
425		
0		

: the square root of 0.00002025 $\sqrt{0.00002025} = 0.0045$

5.150.0625

Solution:

By using long division method



: the square root of 150.0625 $\sqrt{150.0625} = 12.25$



6. 225.6004

Solution:

By using long division method



: the square root of 225.6004 $\sqrt{225.6004} = 15.02$

7. 3600.720036 Solution:

By using long division method



: the square root of 3600.720036 $\sqrt{3600.720036} = 60.006$

8. 236.144689 Solution:

By using long division method





: the square root of 236.144689 $\sqrt{236.144689} = 15.367$

9. 0.00059049

Solution:

By using long division method



: the square root of 0.00059049 $\sqrt{0.00059049} = 0.0243$

10. 176.252176 Solution:

By using long division method



: the square root of 176.252176 $\sqrt{176.252176} = 13.276$

11. 9998.0001 Solution:

By using long division method



: the square root of 9998.0001 $\sqrt{9998.0001} = 99.99$

12. 0.00038809

Solution: By using long division method

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: the square root of 0.00038809 $\sqrt{0.00038809} = 0.0197$

13. What is that fraction which when multiplied by itself gives 227.798649? Solution:

Let us consider a number a Where, $a = \sqrt{227.798649}$ = 15.093

By using long division method let us verify

	15.093	
1	227.798649	
	1	
25	127	
	125	
300	279	
	0	
3009	27986	
	27081	
30183	90549	
	90549	
	0	

 \therefore 15.093 is the fraction which when multiplied by itself gives 227.798649.

14. The area of a square playground is 256.6404 square meter. Find the length of one side of the playground.

Solution:

We know that the given area of a square play ground = 256.6404 i.e., $L^2 = 256.6404 \text{ m}^2$

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 $L = \sqrt{256.6404}$ = 16.02m

By using long division method let us verify



 \therefore length of one side of the playground is 16.02m.

15. What is the fraction which when multiplied by itself gives 0.00053361? Solution:

Let us consider a number a Where, $a = \sqrt{0.00053361}$

= 0.0231

By using long division method let us verify



 \therefore 0.0231 is the fraction which when multiplied by itself gives 0.00053361.

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16. Simplify:

(i) (\sqrt{59.29} - \sqrt{5.29})/(\sqrt{59.29} + \sqrt{5.29})

(ii) (\sqrt{0.2304} + \sqrt{0.1764})/(\sqrt{0.2304} - \sqrt{0.1764})

Solution:

(i) (\sqrt{59.29} - \sqrt{5.29})/(\sqrt{59.29} + \sqrt{5.29})

Firstly let us find the square root \sqrt{59.29} and \sqrt{5.29}
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$$\sqrt{59.29} = \sqrt{5929} / \sqrt{100}$$

= 77/10
= 7.7
$$\sqrt{5.29} = \sqrt{5.29} / \sqrt{100}$$

= 23/10
= 2.3
So, (7.7 - 2.3)/ (7.7 + 2.3)
= 54/10
= 0.54

(ii) $(\sqrt{0.2304} + \sqrt{0.1764})/(\sqrt{0.2304} - \sqrt{0.1764})$ Firstly let us find the square root $\sqrt{0.2304}$ and $\sqrt{0.1764}$ $\sqrt{0.2304} = \sqrt{2304}/\sqrt{10000}$ = 48/100 = 0.48 $\sqrt{0.1764} = \sqrt{1764}/\sqrt{10000}$ = 42/100 = 0.42So, (0.48 + 0.42)/(0.48 - 0.42) = 0.9/0.06= 15

17. Evaluate $\sqrt{50625}$ and hence find the value of $\sqrt{506.25} + \sqrt{5.0625}$ Solution:

By using long division method let us find the $\sqrt{50625}$

225 50625 2 4 42 106 84 445 2225 2225 0 So now, $\sqrt{506.25} = \sqrt{50625} / \sqrt{100}$ = 225/10= 22.5 $\sqrt{5.0625} = \sqrt{50625} / \sqrt{10000}$ = 225/100

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So equating in the above equation we get, $\sqrt{506.25} + \sqrt{5.0625} = 22.5 + 2.25$ = 24.75

18. Find the value of $\sqrt{103.0225}$ and hence find the value of (i) √10302.25 (ii) √1.030225 Solution: By using long division method let us find the $\sqrt{103.0225} = \sqrt{(1030225/10000)} = \sqrt{1030225}/\sqrt{10000}$ 1015 1 03 02 25 1 1 0302 201 201 10125 2025 10125 0 So now, (i) $\sqrt{10302.25} = \sqrt{(1030225/100)}$ = 1015/10= 101.5 (ii) $\sqrt{1.030225} = \sqrt{1030225} / \sqrt{1000000}$ = 1015/1000= 1.015