

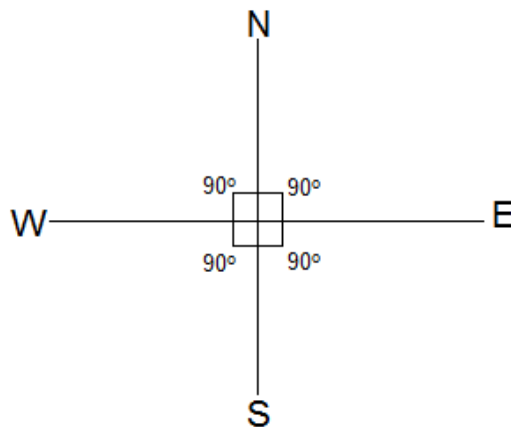
**EXERCISE**

In questions 1 to 41, there are four options out of which one is correct. Write the correct one.

1. The angles between North and West and South and East are  
 (a) complementary (b) supplementary  
 (c) both are acute (d) both are obtuse

**Solution:-**

(b) supplementary



The angle between North and West is  $90^\circ$ , angle between South and East is  $90^\circ$  as shown in the figure above. So,  $90^\circ + 90^\circ = 180^\circ$ .

Then, the angles between North and West and South and East are supplementary. When the sum of the measures of two angles is  $180^\circ$ , then the angles are called supplementary angles.

2. Angles between South and West and South and East are

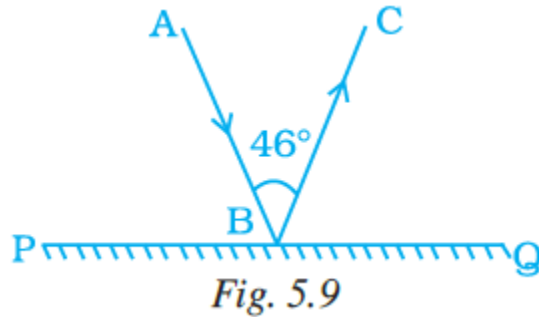
- (a) vertically opposite angles (b) complementary angles  
 (c) making a linear pair (d) adjacent but not supplementary

**Solution:-**

(c) making a linear pair

A linear pair is a pair of adjacent angles whose non-common sides are opposite rays.

3. In Fig. 5.9, PQ is a mirror, AB is the incident ray and BC is the reflected ray. If  $\angle ABC = 46^\circ$ , then  $\angle ABP$  is equal to



- (a)  $44^\circ$                       (b)  $67^\circ$                       (c)  $13^\circ$                       (d)  $62^\circ$

**Solution:-**

(b)  $67^\circ$

As we know that, the angle formed by the incident ray and angle formed by the reflected ray is equal.

From the given figure,

PQ is a straight line,

So,  $\angle ABP + \angle ABC + \angle CBQ = 180^\circ$

Let us assume the  $\angle ABP = \angle CBQ = x$

Then,

$$x + 46^\circ + x = 180^\circ$$

$$2x + 46^\circ = 180^\circ$$

$$2x = 180^\circ - 46^\circ$$

$$2x = 134^\circ$$

$$x = 134^\circ / 2$$

$$x = 67^\circ$$

Therefore, the  $\angle ABP = \angle CBQ = 67^\circ$

**4. If the complement of an angle is  $79^\circ$ , then the angle will be of**

- (a)  $1^\circ$                       (b)  $11^\circ$                       (c)  $79^\circ$                       (d)  $101^\circ$

**Solution:-**

(b)  $11^\circ$

When the sum of the measures of two angles is  $90^\circ$ , the angles are called complementary angles. Each of them is called complement of the other.

The given complement of an angle is  $79^\circ$

Let the measure of the angle be  $x^\circ$ .

Then,

$$x + 79^\circ = 90^\circ$$

$$x = 90^\circ - 79^\circ$$

$$x = 11^\circ$$

Hence, the measure of the angle is  $11^\circ$ .

**5. Angles which are both supplementary and vertically opposite are**

- (a)  $95^\circ, 85^\circ$                       (b)  $90^\circ, 90^\circ$                       (c)  $100^\circ, 80^\circ$                       (d)  $45^\circ, 45^\circ$

**Solution:-**

- (b)  $90^\circ, 90^\circ$

When the sum of the measures of two angles is  $180^\circ$ , then the angles are called supplementary angles.

**6. The angle which makes a linear pair with an angle of  $61^\circ$  is of**

- (a)  $29^\circ$                       (b)  $61^\circ$                       (c)  $122^\circ$                       (d)  $119^\circ$

**Solution:-**

- (d)  $119^\circ$

A linear pair is a pair of adjacent angles whose non-common sides are opposite rays. We know that, measure of sum of adjacent angles is equal to  $180^\circ$ .

Let the measure of other angle be  $x^\circ$ .

Then,

$$x + 61^\circ = 180^\circ$$

$$x = 180^\circ - 61^\circ$$

$$x = 119^\circ$$

**7. The angles  $x$  and  $90^\circ - x$  are**

- (a) supplementary                      (b) complementary  
(c) vertically opposite                      (d) making a linear pair

**Solution:-**

- (b) complementary

When the sum of the measures of two angles is  $90^\circ$ , then the angles are called complementary angles.

$$x + 90^\circ - x = 90^\circ$$

$$90^\circ = 90^\circ$$

$$\text{LHS} = \text{RHS}$$

**8. The angles  $x - 10^\circ$  and  $190^\circ - x$  are**

- (a) interior angles on the same side of the transversal  
(b) making a linear pair  
(c) complementary  
(d) supplementary

**Solution:-**

(d) supplementary

When the sum of the measures of two angles is  $180^\circ$ , then the angles are called supplementary angles.

$$x - 10^\circ + 190^\circ - x = 180^\circ$$

$$190^\circ - 10 = 180^\circ$$

$$180^\circ = 180^\circ$$

$$\text{LHS} = \text{RHS}$$

9. In Fig. 5.10, the value of  $x$  is

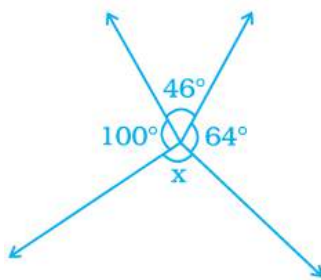


Fig. 5.10

(a)  $110^\circ$

(b)  $46^\circ$

(c)  $64^\circ$

(d)  $150^\circ$

**Solution:-**

(d)  $150^\circ$

Sum of all angles about a point given in the figure are equal to  $360^\circ$ .

$$\text{Then, } 100^\circ + 46^\circ + 64^\circ + x = 360^\circ$$

$$210^\circ + x = 360^\circ$$

$$x = 360^\circ - 210^\circ$$

$$x = 150^\circ$$

10. In Fig. 5.11, if  $AB \parallel CD$ ,  $\angle APQ = 50^\circ$  and  $\angle PRD = 130^\circ$ , then  $\angle QPR$  is

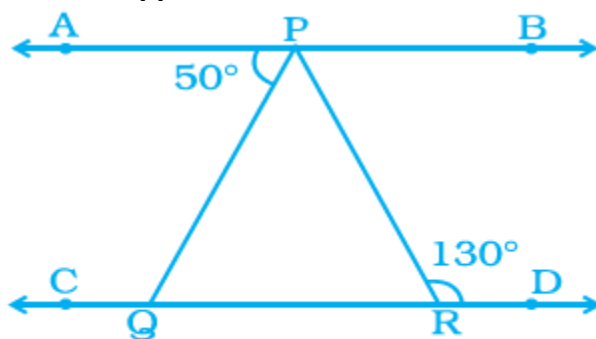


Fig. 5.11

- (a)  $130^\circ$                       (b)  $50^\circ$                       (c)  $80^\circ$                       (d)  $30^\circ$

**Solution:-**

(c)  $80^\circ$

We know that,  $\angle APR = \angle PRD$                       ... [because interior alternate angles]

$$\angle APQ + \angle QPR = 130^\circ$$

$$50^\circ + \angle QPR = 130^\circ$$

$$\angle QPR = 130^\circ - 50^\circ$$

$$\angle QPR = 80^\circ$$

11. In Fig. 5.12, lines  $l$  and  $m$  intersect each other at a point. Which of the following is false?

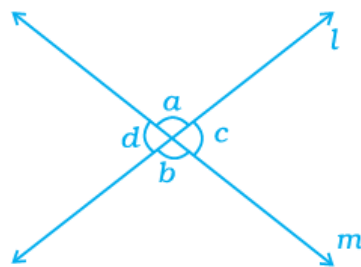


Fig. 5.12

- (a)  $\angle a = \angle b$                       (b)  $\angle d = \angle c$   
(c)  $\angle a + \angle d = 180^\circ$                       (d)  $\angle a = \angle d$

**Solution:-**

(d)  $\angle a = \angle d$

$$\angle a \neq \angle d$$

$$\angle a = \angle b \text{ [because vertically opposite angles]}$$

$$\angle d = \angle c \text{ [because vertically opposite angles]}$$

$$\angle a + \angle d = 180^\circ \text{ [Linear pair of angles]}$$

12. If angle P and angle Q are supplementary and the measure of angle P is  $60^\circ$ , then the measure of angle Q is

- (a)  $120^\circ$                       (b)  $60^\circ$                       (c)  $30^\circ$                       (d)  $20^\circ$

**Solution:-**

(a)  $120^\circ$

When the sum of the measures of two angles is  $180^\circ$ , then the angles are called supplementary angles.

$$P + Q = 180^\circ$$

$$60^\circ + Q = 180^\circ$$

$$Q = 180^\circ - 60^\circ$$

$Q = 120^\circ$

13. In Fig. 5.13, POR is a line. The value of a is

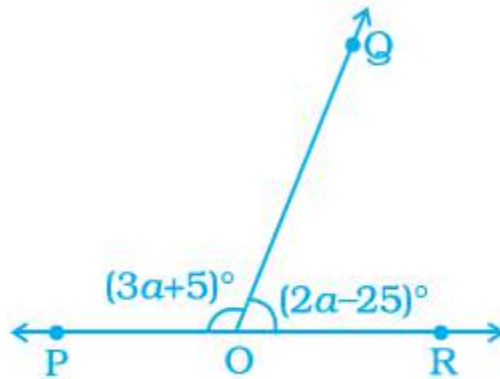


Fig. 5.13

- (a)  $40^\circ$                       (b)  $45^\circ$                       (c)  $55^\circ$                       (d)  $60^\circ$

**Solution:-**

(a)  $40^\circ$

We know that, when the sum of the measures of two angles is  $180^\circ$ , then the angles are called supplementary angles.

$$(3a + 5)^\circ + (2a - 25)^\circ = 180^\circ$$

$$3a + 5 + 2a - 25 = 180^\circ$$

$$5a - 20 = 180^\circ$$

$$5a = 180^\circ + 20$$

$$5a = 200$$

$$a = 200/5$$

$$a = 40^\circ$$

14. In Fig. 5.14, POQ is a line. If  $x = 30^\circ$ , then  $\angle QOR$  is

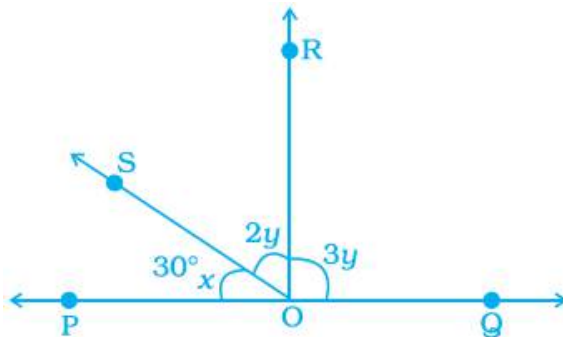


Fig. 5.14

- (a)  $90^\circ$                       (b)  $30^\circ$                       (c)  $150^\circ$                       (d)  $60^\circ$

**Solution:-**

(a)  $90^\circ$

Sum of all angles about a straight line given in the figure are equal to  $180^\circ$ .

$$\text{Then, } 30^\circ + 2y + 3y = 180^\circ$$

$$30^\circ + 5y = 180^\circ$$

$$5y = 180^\circ - 30^\circ$$

$$5y = 150^\circ$$

$$y = 150/5$$

$$y = 30^\circ$$

$$\text{So, } 2y = 2 \times 30 = 60^\circ$$

$$3y = 3 \times 30 = 90^\circ$$

Therefore,  $\angle QOR = 90^\circ$

**15. The measure of an angle which is four times its supplement is**

- (a)  $36^\circ$                       (b)  $144^\circ$                       (c)  $16^\circ$                       (d)  $64^\circ$

**Solution:-**

(b)  $144^\circ$

We know that, when the sum of the measures of two angles is  $180^\circ$ , then the angles are called supplementary angles.

Let us assume the angle be  $x$ .

Then, its supplement angle =  $(180^\circ - x)$

As per the condition given in the question,  $x = 4(180^\circ - x)$

$$x = 720^\circ - 4x$$

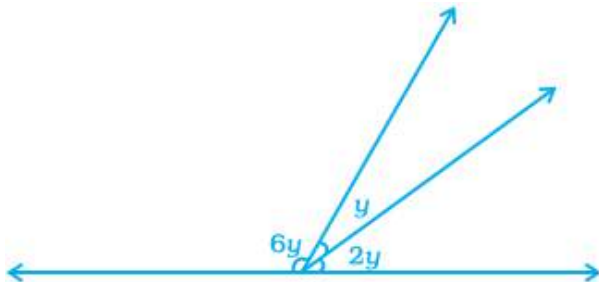
$$x + 4x = 720^\circ$$

$$5x = 720^\circ$$

$$x = 720^\circ/5$$

$$x = 144^\circ$$

**16. In Fig. 5.15, the value of  $y$  is**



*Fig. 5.15*

- (a)  $30^\circ$                       (b)  $15^\circ$                       (c)  $20^\circ$                       (d)  $22.5^\circ$

**Solution:-**

(c)  $20^\circ$

Sum of all angles about a straight line given in the figure are equal to  $180^\circ$ .

$$\text{Then, } 6y + y + 2y = 180^\circ$$

$$9y = 180^\circ$$

$$y = 180/9$$

$$y = 20^\circ$$

So, value of  $y$  is  $20^\circ$ .

17. In Fig. 5.16,  $PA \parallel BC \parallel DT$  and  $AB \parallel DC$ . Then, the values of  $a$  and  $b$  are respectively.

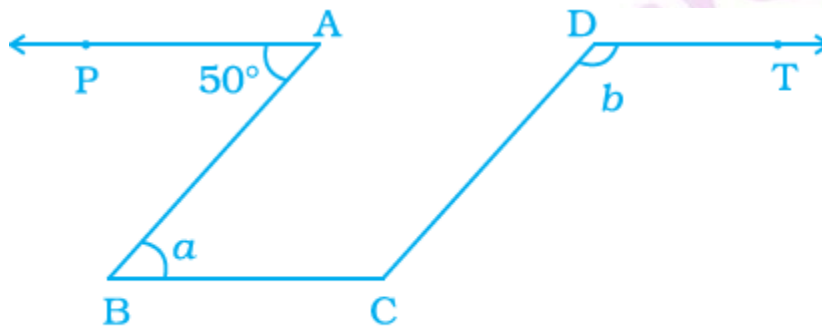


Fig. 5.16

- (a)  $60^\circ, 120^\circ$                       (b)  $50^\circ, 130^\circ$                       (c)  $70^\circ, 110^\circ$                       (d)  $80^\circ, 100^\circ$

**Solution:-**

(b)  $50^\circ, 130^\circ$

We know that,  $\angle PAB = \angle ABC = 50^\circ$  ... [because interior alternate angles]

Given,  $AB \parallel DC$  so consider it as parallelogram,

In parallelogram adjacent angles of a parallelogram are supplementary.

$$\text{So, } \angle ABC + \angle BCD = 180^\circ$$

$$50^\circ + \angle BCD = 180^\circ$$

$$\angle BCD = 180^\circ - 50^\circ$$

$$\angle BCD = 130^\circ$$

$$\angle BCD = \angle CDT = 130^\circ \quad \dots \text{ [because interior alternate angles]}$$

Therefore,  $a = 50^\circ$  and  $b = 130^\circ$

18. The difference of two complementary angles is  $30^\circ$ . Then, the angles are

- (a)  $60^\circ, 30^\circ$                       (b)  $70^\circ, 40^\circ$                       (c)  $20^\circ, 50^\circ$                       (d)  $105^\circ, 75^\circ$

**Solution:-**



(a)  $60^\circ, 30^\circ$

When the sum of the measures of two angles is  $90^\circ$ , then the angles are called complementary angles.

So,  $60^\circ + 30^\circ = 90^\circ$

As per the condition in the question,  $60^\circ - 30^\circ = 30^\circ$

19. In Fig. 5.17,  $PQ \parallel SR$  and  $SP \parallel RQ$ . Then, angles  $a$  and  $b$  are respectively

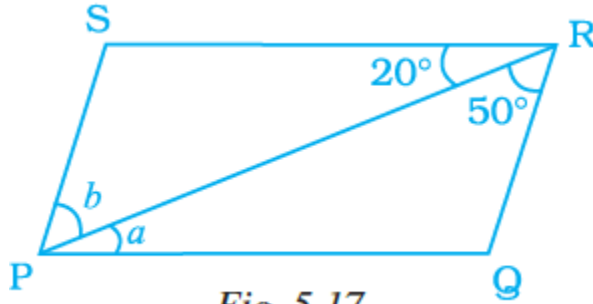


Fig. 5.17

(a)  $20^\circ, 50^\circ$

(b)  $50^\circ, 20^\circ$

(c)  $30^\circ, 50^\circ$

(d)  $45^\circ, 35^\circ$

**Solution:-**

(a)  $20^\circ, 50^\circ$

$\angle QRP = \angle RPS = 50^\circ$  ... [because interior alternate angles]

$\angle SRP = \angle RPQ = 20^\circ$  ... [because interior alternate angles]

Therefore, angle  $a = 20^\circ$  and angle  $b = 50^\circ$

20. In Fig. 5.18,  $a$  and  $b$  are

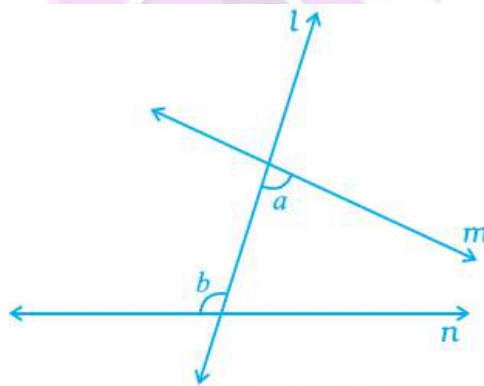


Fig. 5.18

(a) alternate exterior angles

(b) corresponding angles

(c) alternate interior angles

(d) vertically opposite angles

**Solution:-**

(c) alternate interior angles

**21. If two supplementary angles are in the ratio 1: 2, then the bigger angle is**

- (a)  $120^\circ$                       (b)  $125^\circ$                       (c)  $110^\circ$                       (d)  $90^\circ$

**Solution:-**

(a)  $120^\circ$

We know that, when the sum of the measures of two angles is  $180^\circ$ , then the angles are called supplementary angles.

Let us assume two angles be  $1x$  and  $2x$ .

$$1x + 2x = 180^\circ$$

$$3x = 180^\circ$$

$$x = 180^\circ/3$$

$$x = 60^\circ$$

Then the bigger angle is  $2x = 2 \times 60^\circ = 120^\circ$

**22. In Fig. 5.19,  $\angle ROS$  is a right angle and  $\angle POR$  and  $\angle QOS$  are in the ratio 1: 5. Then,  $\angle QOS$  measures**

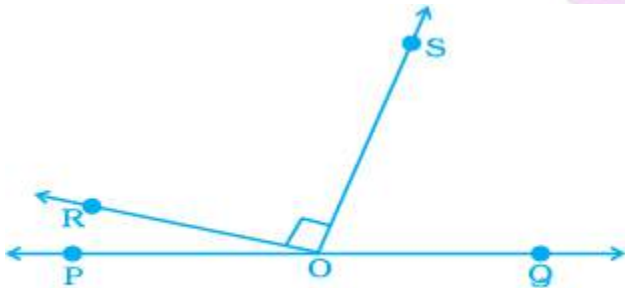


Fig. 5.19

- (a)  $150^\circ$                       (b)  $75^\circ$                       (c)  $45^\circ$                       (d)  $60^\circ$

**Solution:-**

(b)  $75^\circ$

Sum of all angles about a straight line given in the figure are equal to  $180^\circ$ .

Given,  $\angle ROS$  is a right angle =  $90^\circ$

Let us assume  $\angle POR = x$  and  $\angle QOS = 5x$ .

Then,  $\angle POR + \angle ROS + \angle QOS = 180^\circ$

$$x + 90^\circ + 5x = 180^\circ$$

$$6x = 180^\circ - 90^\circ$$

$$6x = 90^\circ$$

$$x = 90^\circ/6$$

$$x = 15^\circ$$

So,  $\angle QOS$  measures =  $5x = 5 \times 15^\circ = 75^\circ$

**23. Statements a and b are as given below:**

**a :** If two lines intersect, then the vertically opposite angles are equal.

**b :** If a transversal intersects, two other lines, then the sum of two interior angles on the same side of the transversal is  $180^\circ$ .

Then

(a) Both a and b are true

(b) a is true and b is false

(c) a is false and b is true

(d) both a and b are false

**Solution:-**

(b) a is true and b is false

**24. For Fig. 5.20, statements p and q are given below:**

**p :** a and b are forming a linear pair.

**q :** a and b are forming a pair of adjacent angles.

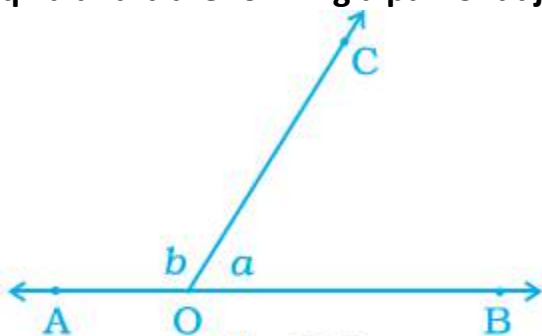


Fig. 5.20

Then,

(a) both p and q are true

(b) p is true and q is false

(c) p is false and q is true

(d) both p and q are false

**Solution:-**

(a) both p and q are true

**25. In Fig. 5.21,  $\angle AOC$  and  $\angle BOC$  form a pair of**

(a) vertically opposite angles

(b) complementary angles

(c) alternate interior angles

(d) supplementary angles

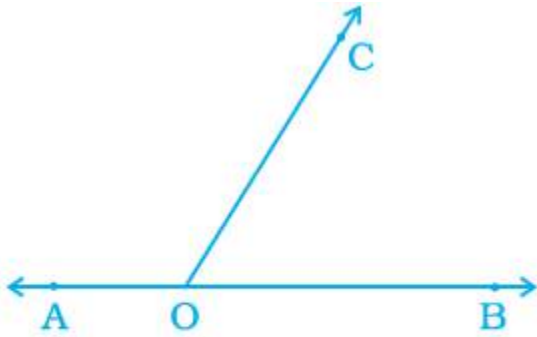


Fig. 5.21

**Solution:-**

(d) supplementary angles

26. In Fig. 5.22, the value of  $a$  is

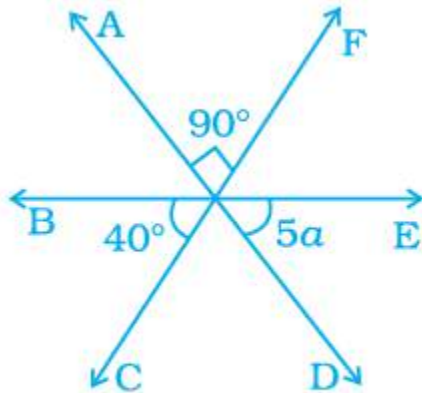


Fig. 5.22

(a)  $20^\circ$

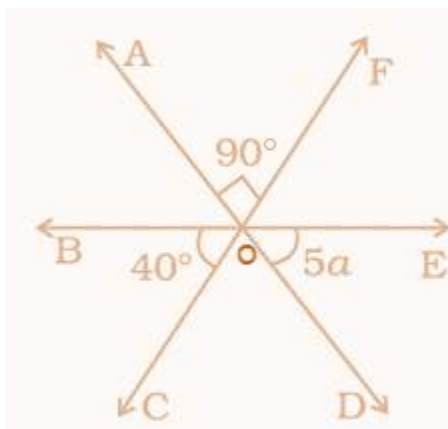
(c)  $5^\circ$

(b)  $15^\circ$

(d)  $10^\circ$

**Solution:-**

(d)  $10^\circ$



$\angle AOF = \angle COD = 90^\circ$  [because vertically opposite angles]

Sum of all angles about a straight line given in the figure are equal to  $180^\circ$ .

Then,  $\angle BOC + \angle COD + \angle DOE = 180^\circ$

$$40^\circ + 90^\circ + 5a = 180^\circ$$

$$130^\circ + 5a = 180^\circ$$

$$5a = 180^\circ - 130^\circ$$

$$5a = 50^\circ$$

$$a = 50/5$$

$$a = 10^\circ$$

27. In Fig. 5.23, if  $QP \parallel SR$ , the value of  $a$  is

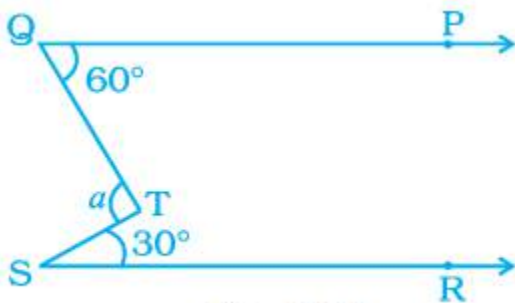


Fig. 5.23

(a)  $40^\circ$

(b)  $30^\circ$

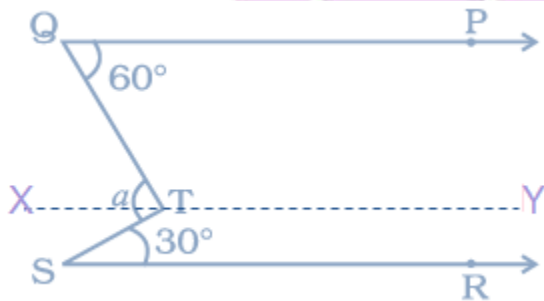
(c)  $90^\circ$

(d)  $80^\circ$

**Solution:-**

(c)  $90^\circ$

To find out the value of ' $a$ ', draw a line  $XY$ , to cut at ' $a$ '.



So,  $XY \parallel SR$

$\angle XTS = \angle TSR = 30^\circ$

... [because interior alternate angles]

$\angle PQT = \angle QTX = 60^\circ$

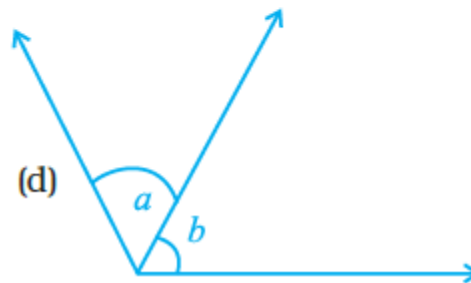
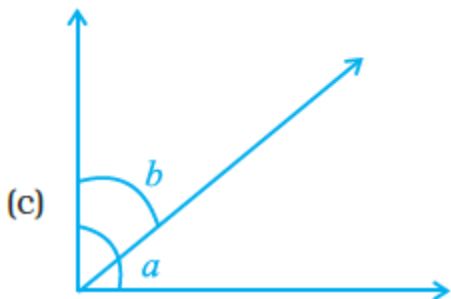
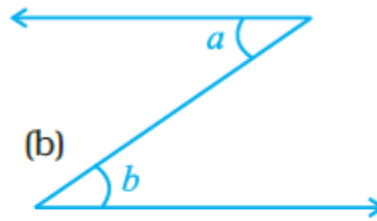
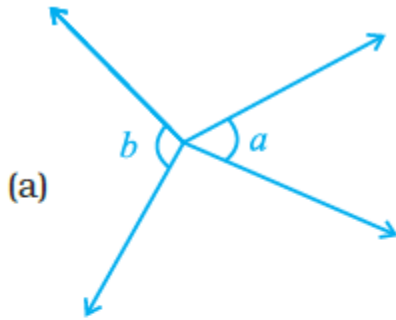
... [because interior alternate angles]

Then,  $a = \angle XTS + \angle QTX$

$$= 30^\circ + 60^\circ$$

$$= 90^\circ$$

28. In which of the following figures,  $a$  and  $b$  are forming a pair of adjacent angles?



**Solution:-**

In figure (d)  $a$  and  $b$  are forming a pair of adjacent angles.

29. In a pair of adjacent angles, (i) vertex is always common, (ii) one arm is always common, and (iii) uncommon arms are always opposite rays

Then

- (a) All (i), (ii) and (iii) are true
- (b) (iii) is false
- (c) (i) is false but (ii) and (iii) are true
- (d) (ii) is false

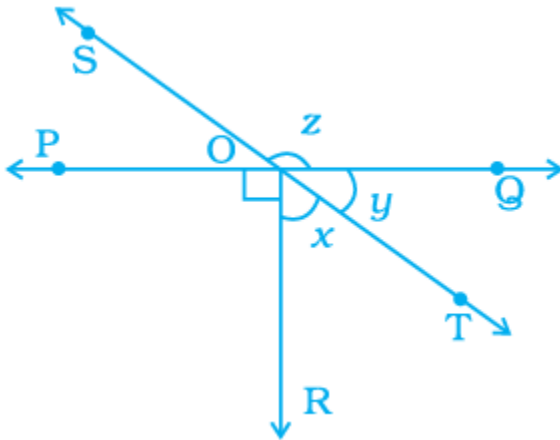
**Solution:-**

(b) (iii) is false

Two angles are called adjacent angles, if they have a common vertex and a common arm but no common interior points.

30. In Fig. 5.25, lines  $PQ$  and  $ST$  intersect at  $O$ . If  $\angle POR = 90^\circ$  and  $x : y = 3 : 2$ , then  $z$  is equal to

- (a)  $126^\circ$
- (b)  $144^\circ$
- (c)  $136^\circ$
- (d)  $154^\circ$



**Solution:-**

(b)  $144^\circ$

Sum of all angles about a straight line given in the figure are equal to  $180^\circ$ .

PQ is a straight line.

Then,  $\angle POR + \angle ROT + \angle TOQ = 180^\circ$

Given,  $x : y = 3 : 2$

Let us assume  $x = 3a$ ,  $y = 2a$

$$90^\circ + 3a + 2a = 180^\circ$$

$$90^\circ + 5a = 180^\circ$$

$$5a = 180^\circ - 90^\circ$$

$$5a = 90^\circ$$

$$a = 90/5$$

$$a = 18^\circ$$

So,  $x = 3a = 3 \times 18 = 54^\circ$

$$y = 2a = 2 \times 18 = 36^\circ$$

From the figure SOT is a straight line,

Then,  $z + y = 180^\circ$

$$z + 36^\circ = 180^\circ$$

$$z = 180^\circ - 36^\circ$$

$$z = 144^\circ$$

**31. In Fig. 5.26, POQ is a line, then a is equal to**

(a)  $35^\circ$

(b)  $100^\circ$

(c)  $80^\circ$

(d)  $135^\circ$

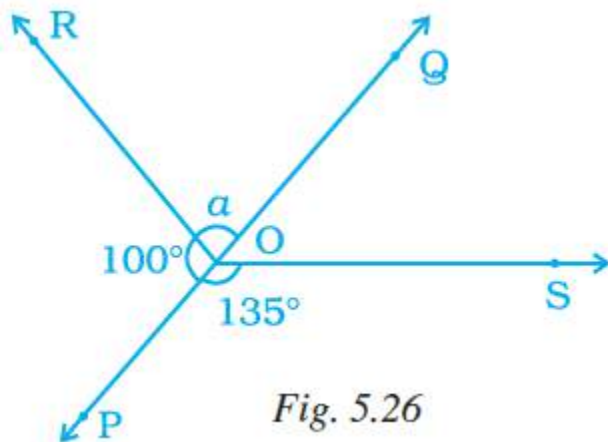


Fig. 5.26

**Solution:-**

(c)  $80^\circ$

From the figure POQ is a straight line,

Then,  $100 + a = 180^\circ$

$$a = 180^\circ - 100$$

$$a = 80^\circ$$

**32. Vertically opposite angles are always**

(a) supplementary

(b) complementary

(c) adjacent

(d) equal

**Solution:-**

(d) equal

**33. In Fig. 5.27,  $a = 40^\circ$ . The value of b is**

(a)  $20^\circ$

(b)  $24^\circ$

(c)  $36^\circ$

(d)  $120^\circ$

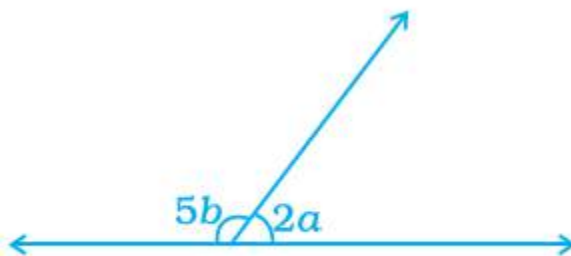


Fig. 5.27

**Solution:-**

(a)  $20^\circ$

Given,  $a = 40^\circ$



Then,  $2a = 2 \times 40 = 80^\circ$

From the figure, angles formed on the straight line are equal to  $180^\circ$ ,

Then,  $5b + 2a = 180^\circ$

$$5b + 80^\circ = 180^\circ$$

$$5b = 180^\circ - 80^\circ$$

$$5b = 100^\circ$$

$$b = 100/5$$

$$b = 20^\circ$$

**34. If an angle is  $60^\circ$  less than two times of its supplement, then the greater angle is**

- (a)  $100^\circ$                       (b)  $80^\circ$                       (c)  $60^\circ$                       (d)  $120^\circ$

**Solution:-**

(a)  $100^\circ$

Let us assume the angle be P.

Then, its supplement is  $180^\circ - P$

As per the condition in the question,

$$P = 2(180^\circ - P) - 60^\circ$$

$$P = 360^\circ - 2P - 60^\circ$$

$$P + 2P = 300^\circ$$

$$3P = 300^\circ$$

$$P = 300/3$$

$$P = 100^\circ$$

So, its supplement is  $180^\circ - P = 180^\circ - 100^\circ = 80^\circ$

Therefore, the greater angle is  $100^\circ$ .

**35. In Fig. 5.28,  $PQ \parallel RS$ . If  $\angle 1 = (2a+b)^\circ$  and  $\angle 6 = (3a-b)^\circ$ , then the measure of  $\angle 2$  in terms of b is**

- (a)  $(2+b)^\circ$                       (b)  $(3-b)^\circ$                       (c)  $(108-b)^\circ$                       (d)  $(180-b)^\circ$

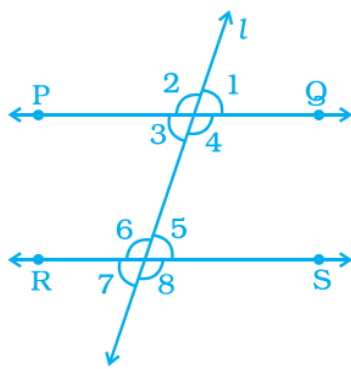


Fig. 5.28

**Solution: -**

(c)  $(108-b)^\circ$

From the question it is given that,  $\angle 1 = (2a + b)^\circ$  and  $\angle 6 = (3a - b)^\circ$

Since  $\angle 5$  and  $\angle 6$  forms a linear pair of angles

Then,

$$\angle 5 = (180-3a + b)^\circ \quad \dots \text{[equation 1]}$$

$$\angle 5 = \angle 1 = (180-3a + b)^\circ \quad \text{[Because Corresponding angles]} \quad \dots \text{equation (2)}$$

From equation (2) we get,

$$2a + b = 180-3a + b$$

$$5a = 180$$

$$a = 36^\circ$$

Since  $\angle 1$  and  $\angle 2$  forms a linear pair so

$$\angle 2 = 180^\circ - 2a - b$$

Substituting the value of a

$$\angle 2 = 180^\circ - 72^\circ - b$$

$$\angle 2 = 108^\circ - b$$

**36. In Fig. 5.29,  $PQ \parallel RS$  and  $a : b = 3 : 2$ . Then, f is equal to**

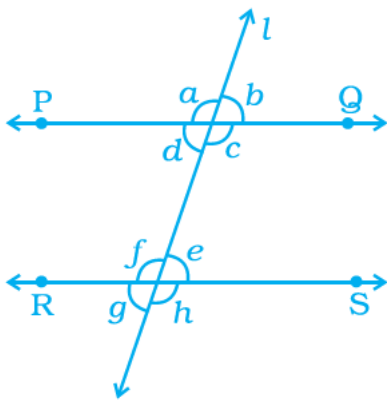


Fig. 5.29

(a)  $36^\circ$

(b)  $108^\circ$

(c)  $72^\circ$

(d)  $144^\circ$

**Solution: -**

(b)  $108^\circ$

From the figure,  $PQ \parallel RS$ .

From the question it is given that,  $a : b = 3 : 2$

So, let us assume  $a = 3m$  and  $b = 2m$

We know that, sum of angles on the straight line is equal to  $180^\circ$

Then,  $\angle a + \angle b = 180^\circ$

$$3m + 2m = 180^\circ$$

$$5m = 180^\circ$$

$$m = 180^\circ/5$$

$$m = 36^\circ$$

So,  $a = 3m = 3 \times 36^\circ = 108^\circ$

$$b = 2m = 2 \times 36^\circ = 72$$

Therefore,  $\angle a = \angle f = 108^\circ$

[because corresponding angles]

**37. In Fig. 5.30, line  $l$  intersects two parallel lines  $PQ$  and  $RS$ . Then, which one of the following is not true?**

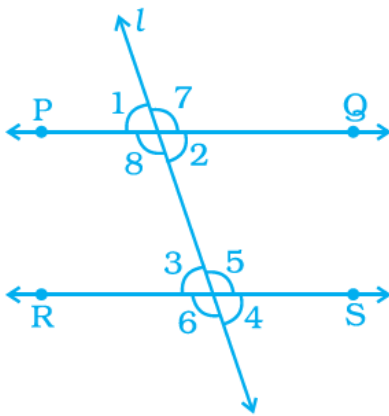


Fig. 5.30

(a)  $\angle 1 = \angle 3$

(b)  $\angle 2 = \angle 4$

(c)  $\angle 6 = \angle 7$

(d)  $\angle 4 = \angle 8$

**Solution:-**

(d)  $\angle 4 = \angle 8$

Because,  $\angle 4 \neq \angle 8$

**38. In Fig. 5.30, which one of the following is not true?**

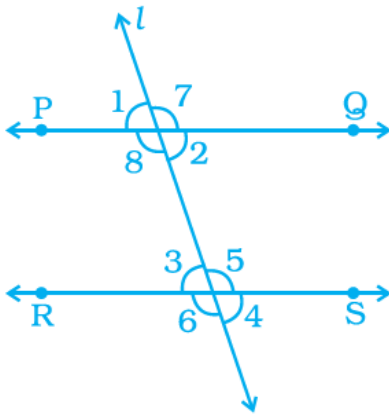


Fig. 5.30

- (a)  $\angle 1 + \angle 5 = 180^\circ$
- (b)  $\angle 2 + \angle 5 = 180^\circ$
- (c)  $\angle 3 + \angle 8 = 180^\circ$
- (d)  $\angle 2 + \angle 3 = 180^\circ$

**Solution:-**

(d)  $\angle 2 + \angle 3 = 180^\circ$

We know that, interior opposite angles are equal  
 $\angle 2 = \angle 3$

39. In Fig. 5.30, which of the following is true?

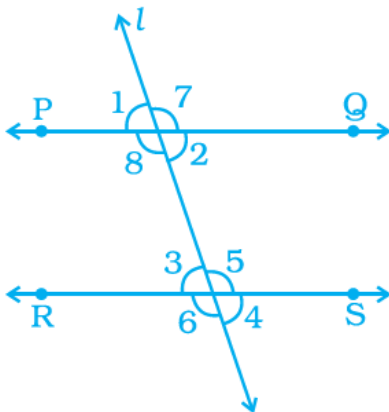


Fig. 5.30

- (a)  $\angle 1 = \angle 5$
- (b)  $\angle 4 = \angle 8$
- (c)  $\angle 5 = \angle 8$
- (d)  $\angle 3 = \angle 7$

**Solution:-**

(c)  $\angle 5 = \angle 8$

From the figure,  $PQ \parallel RS$

$\angle 5 = \angle 8$  [interior alternate angles are equal]

40. In Fig. 5.31,  $PQ \parallel ST$ . Then, the value of  $x + y$  is

- (a)  $125^\circ$                       (b)  $135^\circ$                       (c)  $145^\circ$                       (d)  $120^\circ$

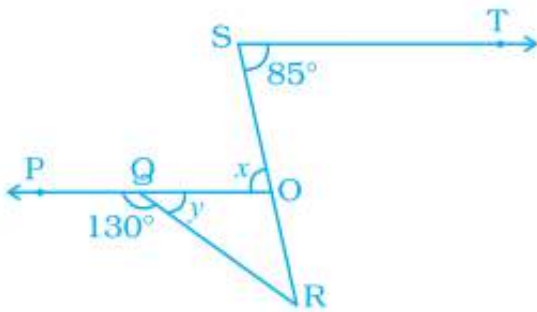


Fig. 5.31

**Solution: -**

(b)  $135^\circ$

From the figure, PO is a straight line

We know that, sum of angles on the straight is equal to  $180^\circ$ .

Then,

$$y + \angle PQR = 180^\circ$$

$$y + 130^\circ = 180^\circ$$

$$y = 50^\circ$$

Then,

$$\angle QOS = \angle TSO \quad [\text{Co-interior angle}]$$

$$x = 85^\circ$$

$$x + y = 135$$

41. In Fig. 5.32, if  $PQ \parallel RS$  and  $QR \parallel TS$ , then the value a is

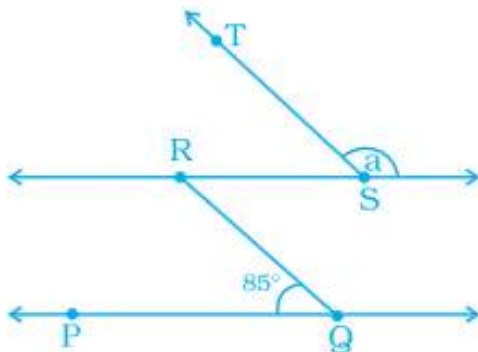


Fig. 5.32

- (a)  $95^\circ$                       (b)  $90^\circ$                       (c)  $85^\circ$                       (d)  $75^\circ$

**Solution:-**

(a)  $95^\circ$

We know that, corresponding angles are equal

So,

$$\angle RQP = \angle TSR = 85^\circ \text{ (Corresponding angles)}$$

$$a + \angle TSR = 180^\circ$$

$$\angle a = 95$$

In questions 42 to 56, fill in the blanks to make the statements true.

**42. If sum of measures of two angles is  $90^\circ$ , then the angles are \_\_\_\_\_.**

**Solution:-**

If sum of measures of two angles is  $90^\circ$ , then the angles are complementary.

**43. If the sum of measures of two angles is  $180^\circ$ , then they are \_\_\_\_\_.**

**Solution:-**

If the sum of measures of two angles is  $180^\circ$ , then they are supplementary.

**44. A transversal intersects two or more than two lines at \_\_\_\_\_ points.**

**Solution:-**

A transversal intersects two or more than two lines at distinct points.

**If a transversal intersects two parallel lines, then (Q. 45 to 48).**

**45. sum of interior angles on the same side of a transversal is \_\_\_\_\_.**

**Solution:-**

Sum of interior angles on the same side of a transversal is  $180^\circ$ .

**46. Alternate interior angles have one common \_\_\_\_\_.**

**Solution:-**

Alternate interior angles have one common arm.

**47. Corresponding angles are on the \_\_\_\_\_ side of the transversal.**

**Solution:-**

Corresponding angles are on the same side of the transversal.

**48. Alternate interior angles are on the \_\_\_\_\_ side of the transversal.**

**Solution:-**

Alternate interior angles are on the opposite side of the transversal

**49. Two lines in a plane which do not meet at a point anywhere are called \_\_\_\_\_ lines.**

**Solution:-**

Two lines in a plane which do not meet at a point anywhere are called parallel lines.

**50. Two angles forming a \_\_\_\_\_ pair are supplementary.**

**Solution:-**

Two angles forming a linear pair are supplementary.

**51. The supplement of an acute is always \_\_\_\_\_ angle.**

**Solution:-**

The supplement of an acute is always obtuse angle.

**52. The supplement of a right angle is always \_\_\_\_\_ angle.**

**Solution:-**

The supplement of a right angle is always right angle.

**53. The supplement of an obtuse angle is always \_\_\_\_\_ angle.**

**Solution:-**

The supplement of an obtuse angle is always acute angle.

**54. In a pair of complementary angles, each angle cannot be more than \_\_\_\_\_.**

**Solution:-**

In a pair of complementary angles, each angle cannot be more than 90°.

**55. An angle is 45°. Its complementary angle will be \_\_\_\_\_ .**

**Solution:-**

An angle is 45°. Its complementary angle will be 45°.

**56. An angle which is half of its supplement is of \_\_\_\_\_.**

**Solution:-**

An angle which is half of its supplement is of 60°.

Let us assume the angle be  $p$ , and supplement be  $2p$

$$p + 2p = 180^\circ$$

$$3p = 180^\circ$$

$$p = 60^\circ$$

